

# Search for Diboson production in $WW/WZ \rightarrow l\nu jj$ using $3.9 \text{ fb}^{-1}$

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## Abstract

We describe a search for  $WW/WZ \rightarrow l\nu jj$  processes. A data sample of high  $p_T$  electrons and muons corresponding to approximately  $3.9 \text{ fb}^{-1}$  of integrated luminosity is used to reconstruct  $W$  boson. We look for another boson candidate in the event by selecting two additional jets. A fit to the invariant mass distribution  $M_{jj}$  of the two jets is performed. We found  $1079 \pm 232 \text{ (stat.)} \pm 86 \text{ (syst.)}$   $WW/WZ \rightarrow l\nu jj$  events, corresponding to a statistical significance of  $4.4\sigma$ . We also measure  $\sigma_{WW/WZ} = 14.4 \pm 3.1 \text{ (stat.)} \pm 2.2 \text{ (syst.)}$ .

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## 1 Introduction

In this note we describe a search for WW/WZ production in the  $l\nu jj$  final state using  $3.9\text{fb}^{-1}$  of data collected by CDF.

CDF recently observed diboson production in the  $\cancel{E}_T + jj$  channel using the *met* trigger [1]. On the other hand, in this analysis we attempt to reconstruct the  $l\nu jj$  final states using a sample of high  $p_T$  electrons and muons. As a consequence, our analysis will not be sensitive to  $ZZ$  events, but we are sensitive to lower boson  $p_T$ .

Our strategy is quite straightforward. First select a sample of  $W + n\text{jets}$  with  $n \geq 2$ , then we reconstruct the dijet invariant mass from the two leading jets. Eventually, the dijet invariant mass is used as the main discriminant to separate the signal from the abundant background using a binned fit. This method does not optimize the discriminating power between signal and background, but it eventually minimises the systematics uncertainty and it is of straightforward interpretation.

At first, we will show the reconstruction and measurement of the inclusive  $W \rightarrow l\nu$  cross-section to validate our samples. We will then focus on the *jet – jet* candidate and show some distributions of data and Monte Carlo and the MC expectation of the number of signal events and the contribution of each background component. In section 9 we describe the fitting procedure to the  $M_{jj}$  and the results found on data. Finally, we describe the systematic uncertainties and our final results.

## 2 Data Sample

We use the high  $P_T$  electron and muon datasets up to period 21 for a total luminosity of  $3.9\text{ fb}^{-1}$ .

For the electron decay channel we use the datasets bhelkd, bhelkh, bhelki, bhelmi, bhelmj, bhelmk and bhelmm selected using the ELECTRON\_TRIGGER\_18 trigger. For muon channel we use the datasets bhmukd, bhmukh, bhmuki, bhmumi, bhmumj, bhmumk and bhmumm. The events in these datasets are triggered by:

- CMUP: run  $\leq 229763$ : MUON\_CMUP\_18\_V || MUON\_CMUP\_18\_L2\_PT15\_V
- $229763 < \text{run}$ : MUON\_CMUP18\_V
- CMX: run  $\leq 200272$ : MUON\_CMX18\_V || MUON\_CMX18\_L2\_PT15\_V
- $200272 < \text{run} \leq 226194$ : MUON\_CMX18\_L2\_PT15\_V  
|| MUON\_CMX18\_L2\_PT15\_LUMI\_200\_V
- $226194 < \text{run} \leq 257201$ : MUON\_CMX18\_&\_JET10\_V ||  
MUON\_CMX18\_&\_JET10\_LUMI\_270\_V
- $257201 < \text{run}$ : MUON\_CMX18\_V

Events have been reconstructed using version 6.1.4 of the offline software. We require the silicon to be fully operational using the Silicon Good Run List version 27 with logic (1,1,0,1) for electrons and (0,1,4,1) for muons.

### 3 Montecarlo Sample

The MonteCarlo samples are generated with Alpgen v2.10 prime and PYTHIA v. 6.325 for showering. Each sample is weighted to the same equivalent integrated luminosity according to:

$$weight = \frac{\int \mathcal{L} dt_{wanted} * \sigma_{ALPGEN}}{number of events}. \quad (1)$$

A list of the MC used for the analysis can be found in Table 1 - 2. Alpgen generates different samples for heavy flavour,  $Z+bb+Np$  and  $Z+cc+Np$ . In the light flavour sample Alpgen generates quark up, down, strange and charm without mass, while, during the showering, Pythia generates all five flavours with mass. It is then necessary to remove the double counting between the  $Z+Np$  sample that contains b's and c's from the Pythia showering and the heavy flavour sample.

A way to handle this overlap is to remove events that have jets that come from a b or a c quark with a bottom or charm hadron inside the cone of the jet (0.4 in our case) in the light sample. Then, we take the c sample and remove events that have jets with a b inside the cone of the jet. We don't have to remove anything from the b sample because a cut in the  $P_T$  of the jet removes all the charm. After this procedure we can simply add all the samples together.

### 4 $W \rightarrow e\nu$ selection

$W \rightarrow e\nu$  events are selected looking for one tight electron that satisfies the requirements of Tab. 3 and  $\cancel{E}_T > 25 \text{ GeV}$ . Moreover,  $\cancel{E}_T$  is corrected for loose muons in the event and for jets with  $E_{Traw} > 8 \text{ GeV}$  (the raw jet energy is replaced with the level 5 corrected one). Finally, to reconstruct the W we also require the transverse mass of the W ( $M_T(W)$ ) to be  $> 30 \text{ GeV}/c^2$ .

#### 4.1 Electron Energy Scale

The electron energy scale is already corrected in Topntuple. However we still observe a shift in the mass peak (Fig.1). For this reason, we correct the energy of the electrons to match the measured Z boson mass peaks at  $91 \text{ GeV}/c^2$ . Since we have a slightly different selection from other analysis we have to calculate our own scale factors using the following expressions (see [2]):

$$E_{scale}^{CEM} = \frac{91}{M_{CC}} \quad (2)$$

The value of  $M_{CC}$  is obtained from a gaussian fit to the mass peak in both data and MC performed between 86 and 98  $GeV/c^2$  (Fig.2).

We obtain a scale factor of 1.005 for data and 0.995 for MC.

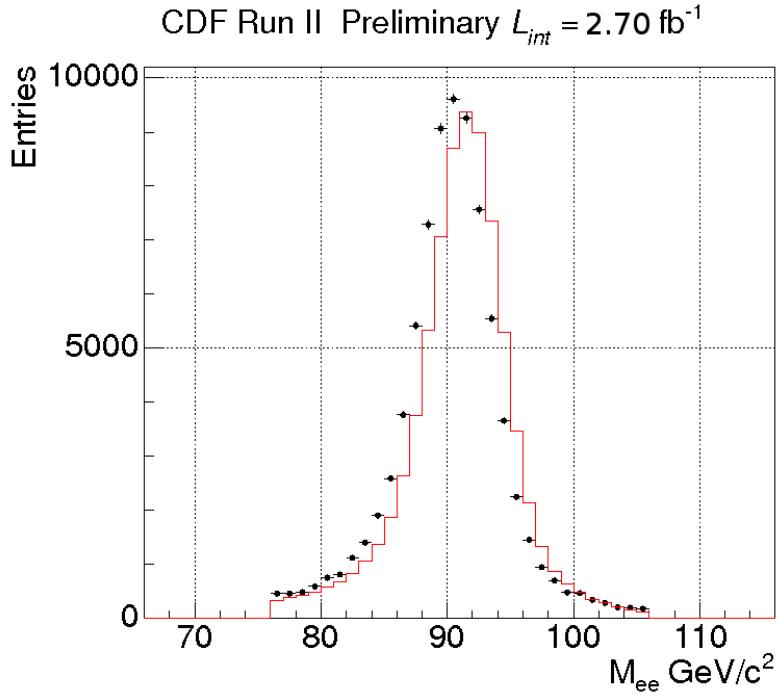
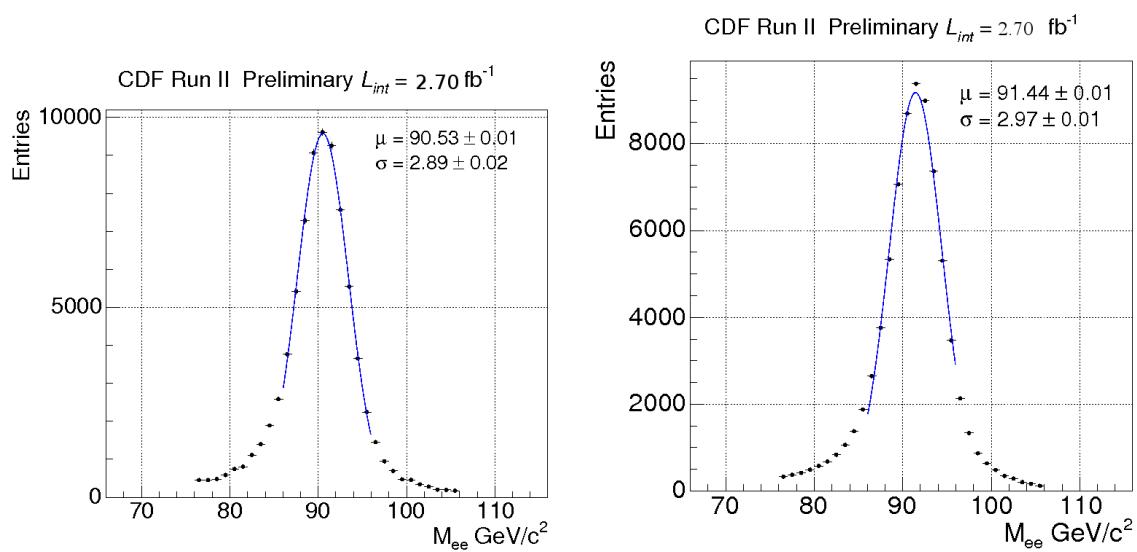


Figure 1:  $M_{ee}$  in data (dot) and MC (histogram).

Figure 2: Fit to the  $M_{ee}$  for tight electrons in MC (left) and data (right)

sample	$\sigma_{gen}$	Ngen	sample	$\sigma_{gen}$	Ngen
<b>Diboson</b>			<b><math>Z(e^+e^-) + \text{jets}</math></b>		
itopww	12.40	2284862	ztopp0	158.	2639520
itopwz	3.70	2306591	ztopp1	21.60	2630345
itopzz	3.80	2323812	ztop2p	3.47	536159
<b><math>W(e\nu) + \text{jets}</math></b>			ztopzb	3.46	4641816
ptopw0	1800	4928812	ztop3p	0.55	528491
ptopw1	225	4909767	ztop4p	0.0992	525065
ptop2w	35.30	1003193	<b><math>Z(\mu^+\mu^-) + \text{jets}</math></b>		
ptop3w	5.59	1003040	ztopp5	158	2665104
ptop4w	1.03	989607	ztopp6	21.60	2664729
<b><math>W(\mu\nu) + \text{jets}</math></b>			ztop7p	3.47	530843
ptopw5	1800	5017218	ztopzt	3.46	4710842
ptopw6	225	5003166	ztop8p	0.548	536159
ptop7w	35.3	1002804	ztop9p	0.0992	536159
ptop8w	5.59	1013373	<b>Z+HF</b>		
ptop9w	1.03	988545	ztopb0	0.511	516239
<b><math>W(\tau\nu) + \text{jets}</math></b>			ztopb1	0.134	493381
utopw0	1800	4885557	ztopb2	0.0385	498736
utopw1	225	4987134	ztopb5	0.511	437329
utop2w	35.3	923989	ztopb6	0.134	494480
utop3w	5.59	1008221	ztopb7	0.0385	478485
utop4w	1.03	186494	ztopc0	1.08	662939
<b>W+HF</b>			ztopc1	0.331	695289
btop0w	2.98	1542539	ztopc2	0.107	658211
btop1w	0.888	1545970	ztopc5	1.08	671375
btop2w	0.287	1498550	ztopc6	0.331	663431
btop5w	2.98	1524880	ztopc7	0.107	705108
btop6w	0.888	1508029	<b><math>Z(\tau^+\tau^-) + \text{jets}</math></b>		
btop7w	0.287	1506613	ztopt3	158.	5860164
ctop0w	5.	2008023	ztopt4	21.5	5864300
ctop1w	1.79	1987389	ztopt2	4.14	2273221
ctop2w	0.628	1926322	xtopt0	160	1136851
ctop5w	5.	1985033	xtopt1	8.3	1153959
ctop6w	1.79	1979810	xtopt2	1.82	2270345
ctop7w	0.628	1970504	zttt0h	4.07	268428
<b>top</b>			zttt1h	0.707	268428
ttkt75	6.7000	5445003	zttt2h	0.117	263291
			zttt3h	0.0185	268428
			zttt4h	0.0033	56398

Table 1: List of the Monte Carlo samples.

Sample	$\sigma_{gen}$	Ngen	Sample	$\sigma_{gen}$	Ngen
DY			DY		
xtop0p	160.0000	536159	ytop0p	4.0700	519104
xtop1p	8.3900	515515	ytop1p	0.7060	524895
xtop2p	1.6100	536159	ytop2p	0.1170	513428
xtoppb	1.6000	4610071	ytop3p	0.0185	531075
xtop3p	0.2330	525670	ytop4p	0.0033	527280
xtop4p	0.0398	520758	ytop5p	4.0700	536159
xtop5p	160.0000	524357	ytop6p	0.7060	529581
xtop6p	8.3900	530696	ytop7p	0.1170	531006
xtop7p	1.6100	525769	ytop8p	0.0185	520531
xtoppc	1.6000	4644940	ytop9p	0.0033	527838
xtop8p	0.2330	524697			
xtop9p	0.0398	529635			

Table 2: List of the Monte Carlo samples.

Variable	Cut
Region	central
Track	yes
$\text{Iso}/E_T$	$\leq 0.1$
$E_T$	$> 20 \text{ GeV}$
$P_T$	$> 10 \text{ GeV}$
Track $ Z_0 $	$\leq 60\text{cm}$
E/P	$\leq 2$ (unless $p_t \geq 50 \text{ GeV}/c$ )
Had/Em	$\leq 0.055 + 0.00043 \cdot E$
Signed CES $\Delta X$	$3.0 \leq q\Delta X \leq 1.5$
CES $\Delta X$	$< 3\text{cm}$
Lshr	$< 0.2$
CES Strip $\chi^2$	$\leq 10$
Fiducial	yes

Table 3: Electron selections.

Variable	Cut
$Iso/P_T$	$\leq 0.1$
$P_T$	$> 20 \text{ GeV}$
Track $ Z_0 $	$\leq 60\text{cm}$
CMU Fid	$x - fid < 0\text{cm}, z - fid < 0\text{cm}$
CMP FId	$x - fid < 0\text{cm}, z - fid < -3\text{cm}$
CMX Fid	$x - fid < 0\text{cm}, z - fid < -3\text{cm}$
$E_{em}$	$\leq 2 + \max(0, (p - 100) \cdot 0.0115)$
$E_{had}$	$\leq 6 + \max(0, (p - 100) \cdot 0.028)$
COT Ax hits / Ax Seg	$\geq 5 / \geq 3$
COT Ax hits / Ax Seg	$\geq 5 / \geq 3$
Track no si hits $ d_0 $	$< 0.2\text{cm}$
Track si hits $ d_0 $	$< 0.02\text{cm}$
$\rho_{exit}$	$> 140$ if CMX
$ \Delta X_{CMU} $	$\leq 7\text{cm}$
$ \Delta X_{CMP} $	$\leq 5\text{cm}$
$ \Delta X_{CMX} $	$\leq 6\text{cm}$
No muons in bluebeam	run <154449
No muons in keystone	run <186598
No muons in miniskirt	run <186598
Larry corrections	data only

Table 4: Muon selections.

## 5 $W \rightarrow \mu\nu$ selection

We reconstruct CMUP and CMX muons separately according to the selection of Table 4. We also correct  $\cancel{E}_T$  for loose muons and jet with  $E_{Traw} > 8 \text{ GeV}$  (Level 5 correction). Moreover, we also require the  $M_T(W) > 30 \text{ GeV}/c^2$ .

## 6 Background

We consider the following backgrounds both for inclusive W and Di-Boson reconstruction:

- $W \rightarrow l\nu + n \text{ jets} ; n \geq 0, l = e, \mu, \tau$
- $Z \rightarrow ll + n \text{ jets} ; n \geq 0, l = e, \mu, \tau$
- $t\bar{t}$
- QCD

The only background that is not extracted by Monte Carlo is the QCD contribution. The other sources are estimated by the MC of Table 1 - 2.

QCD background is estimated using the technique described in [3] [4]. A fit to the  $\cancel{E}_T$  distribution in the range [0,200] GeV is performed both in the inclusive and the di-jet cases (see Fig.3 for an example in the di-jet case, with selections described in section 8). In the muon sample, the QCD template is extracted from the high isolation sample ( $I_{\text{so}} > 0.2$ ), while in the case of the electron samples we use the antielectron method. For all the other background contributions the template is extracted from Monte Carlo.

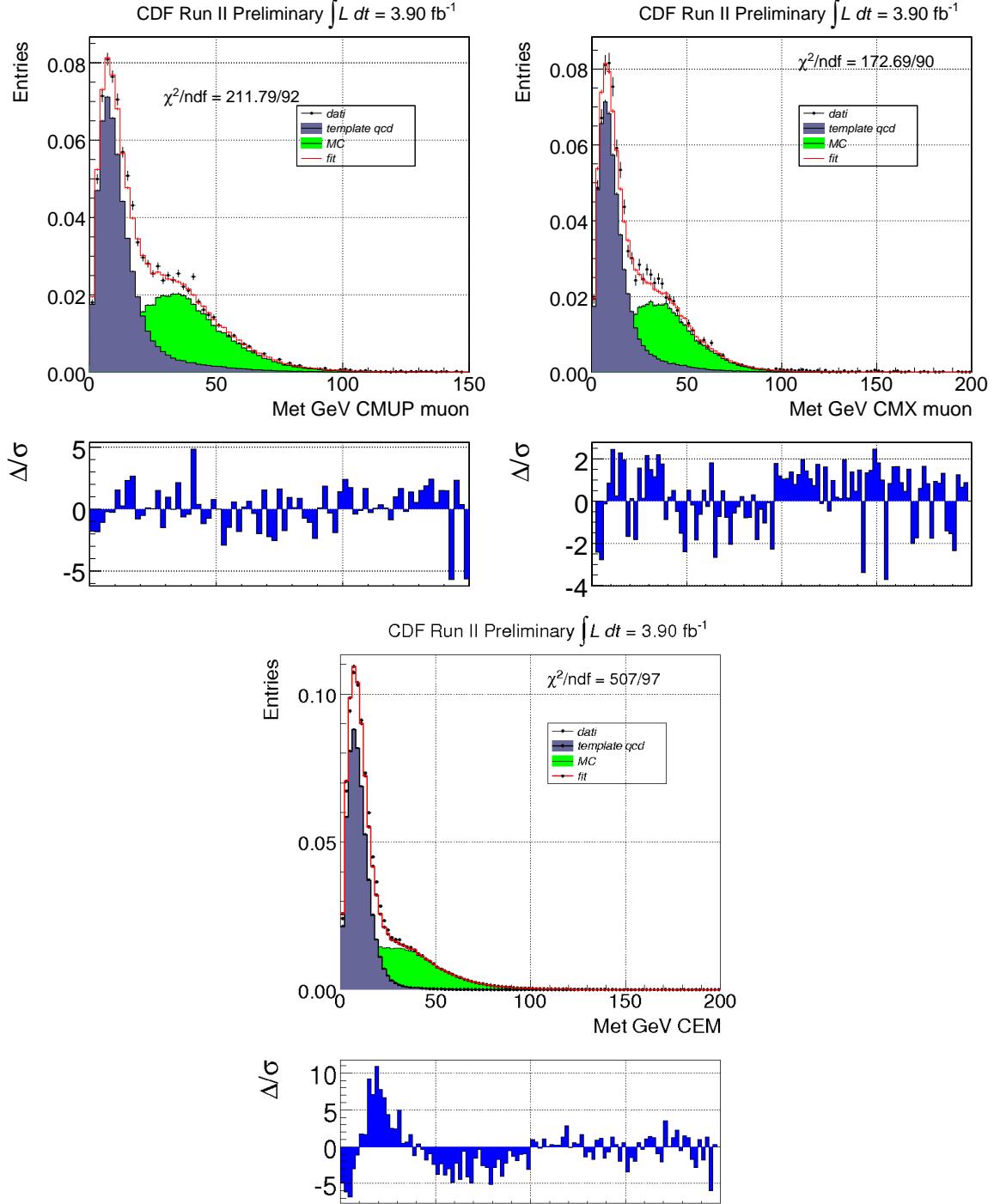


Figure 3: Upper left:  $\cancel{E}_T$  fit of the QCD background for CMUP. Upper right:  $\cancel{E}_T$  fit of the QCD background for CMX. Bottom:  $\cancel{E}_T$  fit of the QCD background for CEM. These fits refer to the di-jet selection.

## 7 Inclusive $W \rightarrow l\nu$ Results

Our inclusive study is based on  $2.7 \text{ fb}^{-1}$  of integrated luminosity, that is of course a large subsample of the sample used in our main analysis.

In Tab. 5 we show the estimated number of events for the  $W$  inclusive sample. The resulting cross section is also shown and is in good agreement with the CDF measurement [5].

Fig. 4 - Fig. 9 show the distributions of some kinematical variables for CEM, CMUP and CMX samples. An overall reasonable agreement between data and MC is observed.

Sample	CEM	CMUP	CMX
MC W +jets	$1426100 \pm 85667$	$680890 \pm 40853$	$427846 \pm 25670$
MC Z+jets	$12824 \pm 255$	$79275 \pm 423$	$47386 \pm 217$
MC Z(tau)	$1835 \pm 184$	$849 \pm 171$	$520 \pm 23$
diboson	$1754 \pm 42$	$932 \pm 31$	$507 \pm 23$
top	$919 \pm 30$	$542 \pm 23$	$248 \pm 16$
QCD (from data)	$58029 \pm 2337$	$9693 \pm 522$	$7465 \pm 417$
MC all	$1538640$	$790060$	$494697$
data	$1532320 \pm 1237$	$801395 \pm 895$	$503529 \pm 710$
W Cross Section	$2.68 \text{ nb}$	$2.87 \text{ nb}$	$2.75 \text{ nb}$

Table 5: Inclusive  $W \rightarrow l\nu$  results.

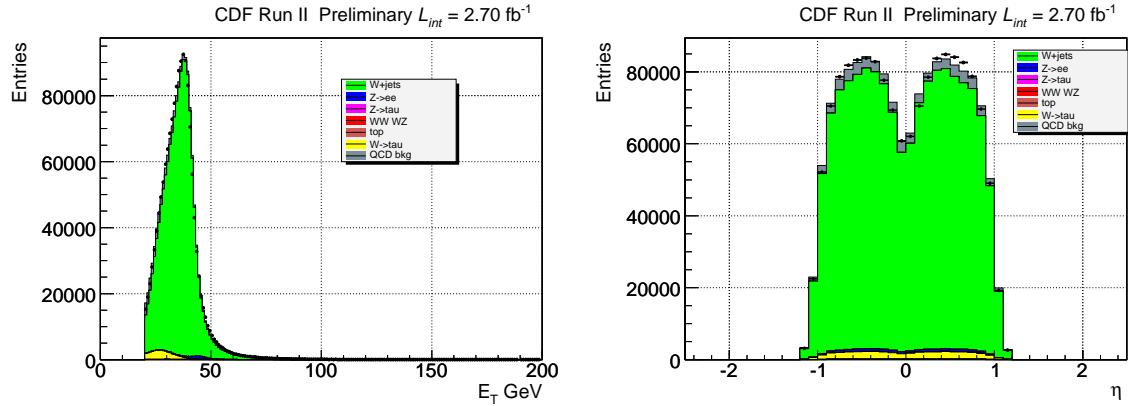
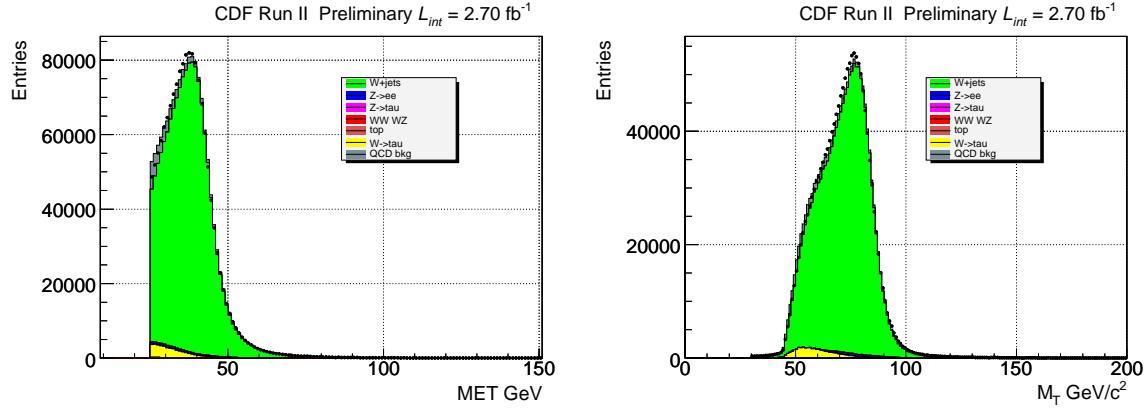
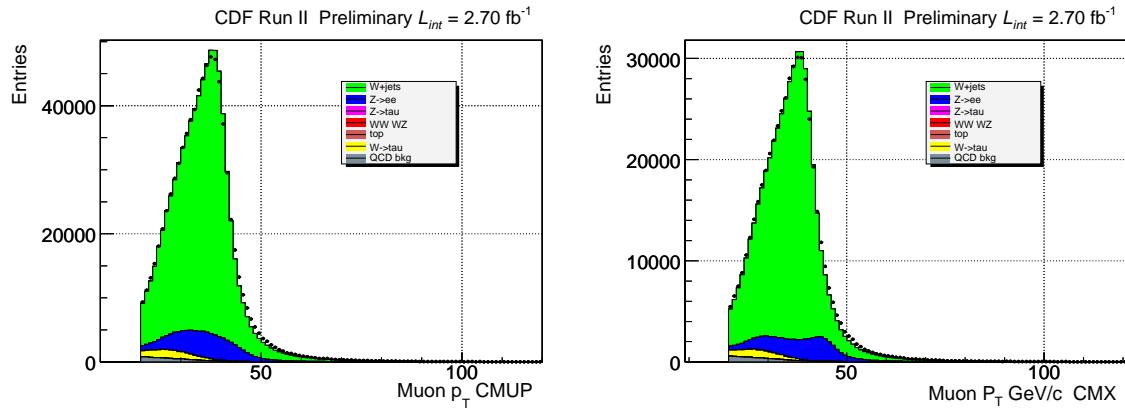
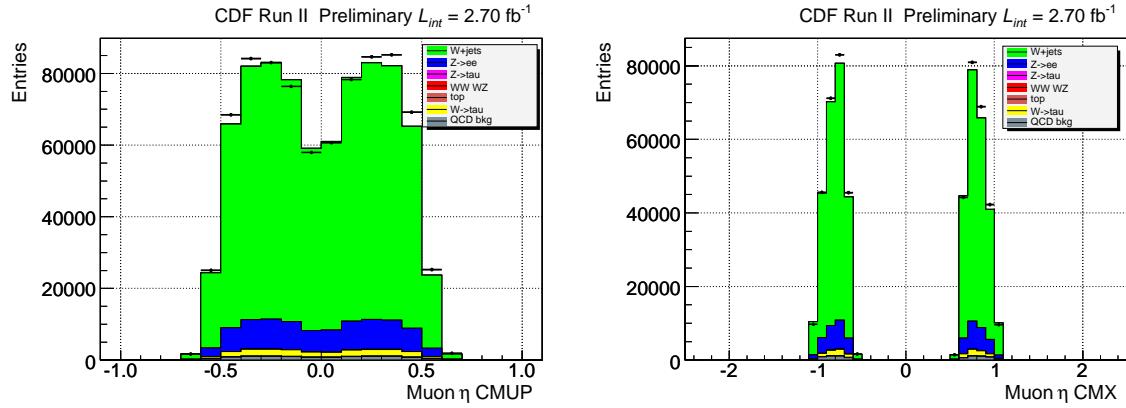
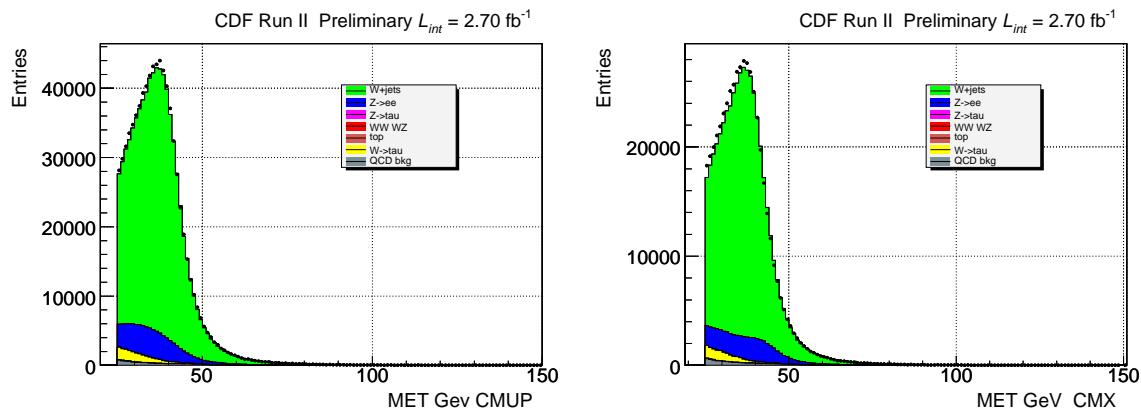


Figure 4: Left: electron  $E_T$ ; right: electron  $\eta$ .

Figure 5: Left: electron  $\cancel{E}_T$ ; right:  $M_T W \rightarrow e\nu$ .Figure 6: Left: CMUP  $P_T$ ; right: CMX  $P_T$ .

Figure 7: Left: CMUP  $\eta$ ; right: CMX  $\eta$ .Figure 8: Left: CMUP  $\cancel{E}_T$ ; right: CMX  $\cancel{E}_T$ .

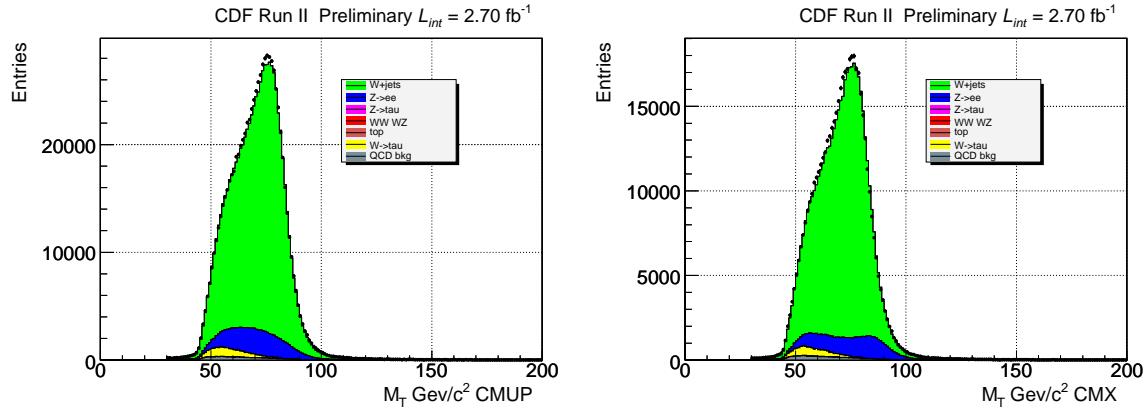


Figure 9: Left: CMUP  $M_T W \rightarrow \mu\nu$ ; right: CMX  $M_T W \rightarrow \mu\nu$ .

## 8 Jet-Jet Candidate Selection and Expected Yields

To selected our di-Boson candidates sample we require at least two jets. The jets are reconstructed using JETCLU04 and corrected at level 7; in addition they are required to have  $E_T > 20 \text{ GeV}$ ,  $|\eta| < 2.4$  and  $\Delta\eta_{j1j2} < 2.5$ .

In what follow, when we refere to muon sample we consider CMUP and CMX samples together and when we refere to the electron sample we consider CEM sample. In addition, we apply a selection cut on the  $p_T$  of the  $W/Z$  jet-jet candidate. We require  $p_T > 40 \text{ GeV}/c$  for the hadronic diboson. As shown in Fig.10 a clear step is observed (both in muons and electrons) for  $p_T \approx 40 \text{ GeV}$ . This is a consequence of our jet selection that, in the case of boosted hadronic  $W/Z$ , reaches full acceptance at  $40 \text{ GeV}/c$ . For values above the cut a steep and smooth decreasing shape is present.

The effect of the  $p_T > 40 \text{ GeV}/c$  cut on the  $M_{jj}$  distribution is shown in Fig.11 and Fig.12: in the  $M_{jj}$  distribution for  $p_T > 40 \text{ GeV}$  the signal is expect to lay on the smooth decay of the background distribution (right), an eventual bump can be observed also by eye and a good agreement between the MC expectation and data is observed both for electrons and muons for  $M_{jj} > 36 \text{ GeV}$ ; on the other hand the agreement between data and MC is less good for the  $p_T < 40 \text{ GeV}/c$  case, in addition the signal is expected to lay near the turn on shoulder of the background.

For these reasons, at the moment in our analysis we decide to consider the  $p_T > 40 \text{ GeV}/c$  subsample only since we believe that the  $p_T < 40 \text{ GeV}/c$  requires more careful understanding. In any case we consider rather essential to treat separately the two samples since they correspond to two different kinematical regimes. In fact, if these samples are treated together, we must assume that the  $p_T$  distribution of the hadronic  $W/Z$  candidates ( $P_T(jj)$ ) is correctly reproduced by of background model (in contrast with what shown in Fig.10). This happens even if the  $M_{jj}$  distribution without the  $P_T(jj)$  cut seems to be in reasonable agreement between data and Monte Carlo (Fig.13)

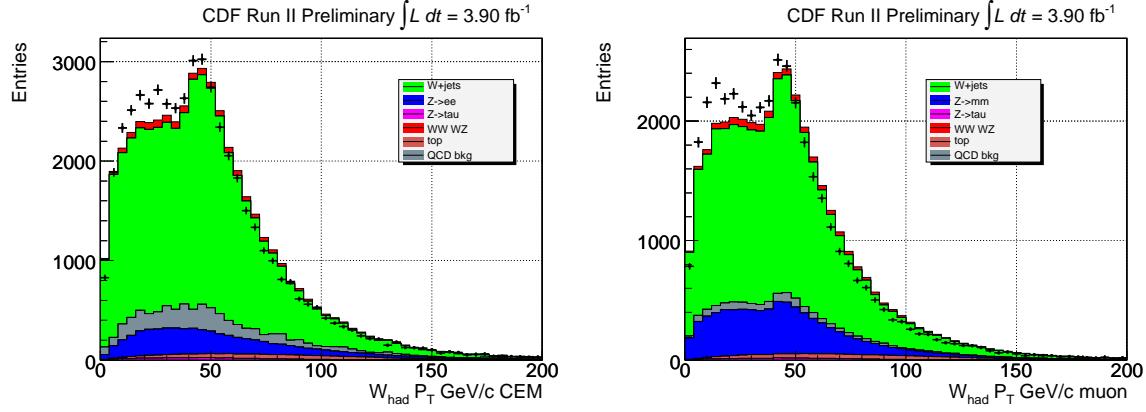


Figure 10:  $p_T$  distribution of the  $W/Z \rightarrow \text{jetjet}$  candidate; left: CEM sample; right: CMUP + CMX sample.

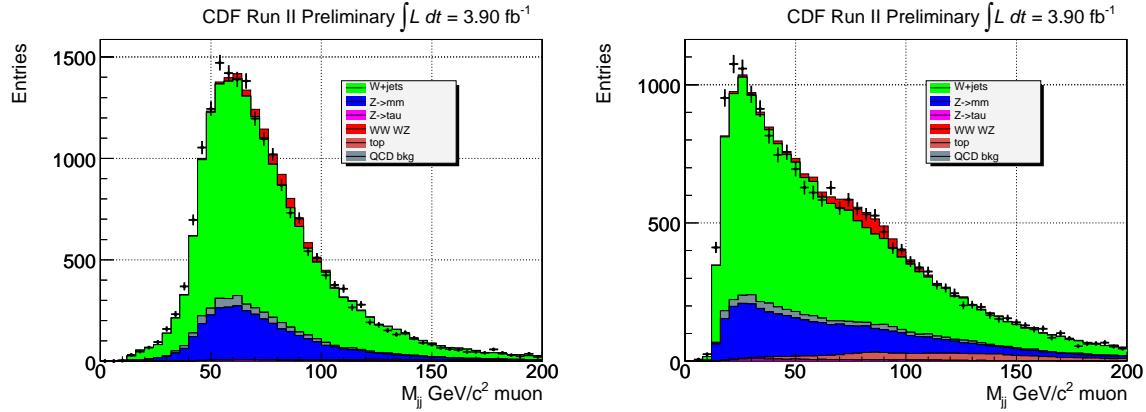


Figure 11:  $M_{jj}$  distribution in the CMUP + CMX sample with  $p_T(jj) < 40 \text{ GeV}/c$  (left) and  $p_T(jj) > 40 \text{ GeV}/c$  (right).

In Tab. 6 we show the estimated number of events for the di-Boson sample. Fig.14 - Fig.17 show the distributions of some kinematical variables for CEM, CMUP and CMX samples. An overall reasonable agreement between data and MC is observed.

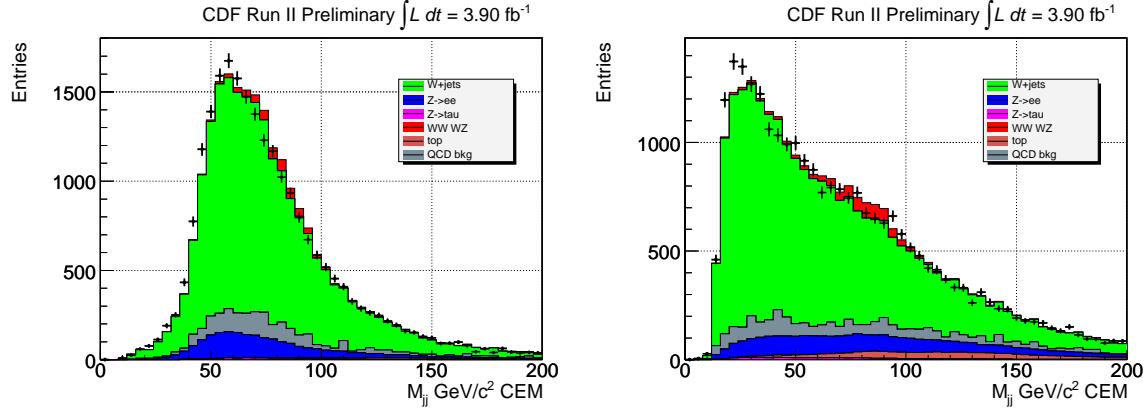


Figure 12:  $M_{jj}$  distribution in the CEM sample with  $p_T(jj) < 40\text{GeV}/c$  (left) and  $p_T(jj) > 40\text{GeV}/c$  (right).

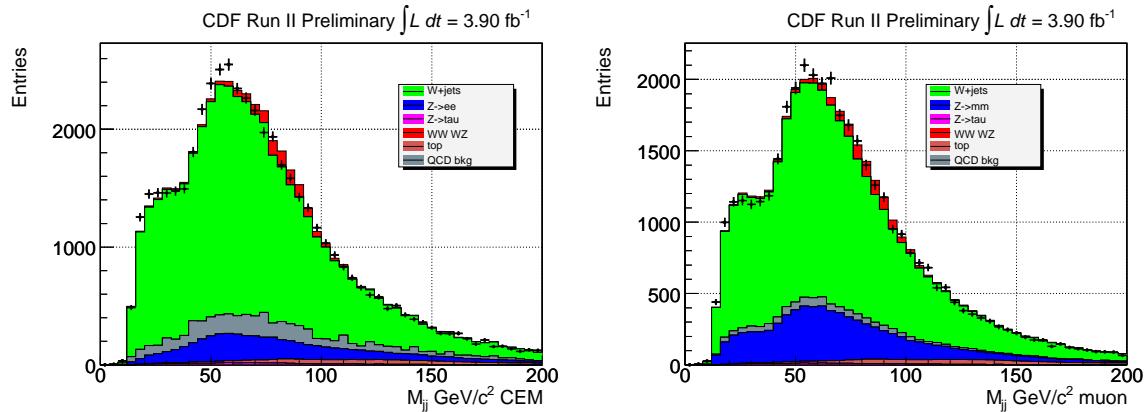


Figure 13:  $M_{jj}$  distribution without the  $p_T(jj) > 40\text{GeV}/c$  cut; left: CEM; right: CMUP + CMX.

Sample	CEM	CMUP + CMX
MC W +jets	$19245 \pm 1520$	$13371 \pm 1069$
MC Z+jets	$2553 \pm 70$	$3504 \pm 87$
diboson	$725 \pm 30$	$579 \pm 27$
top	$878 \pm 32$	$745 \pm 28$
QCD (from data)	$2054 \pm 204$	$755 \pm 73$
Total MC + QCD	25455	18954
data	$25684 \pm 160$	$18891 \pm 137$

Table 6: MC estimate of the expected number of events for signal and each background component for  $M_{jj} \in [0,200] \text{ GeV}/c^2$ .

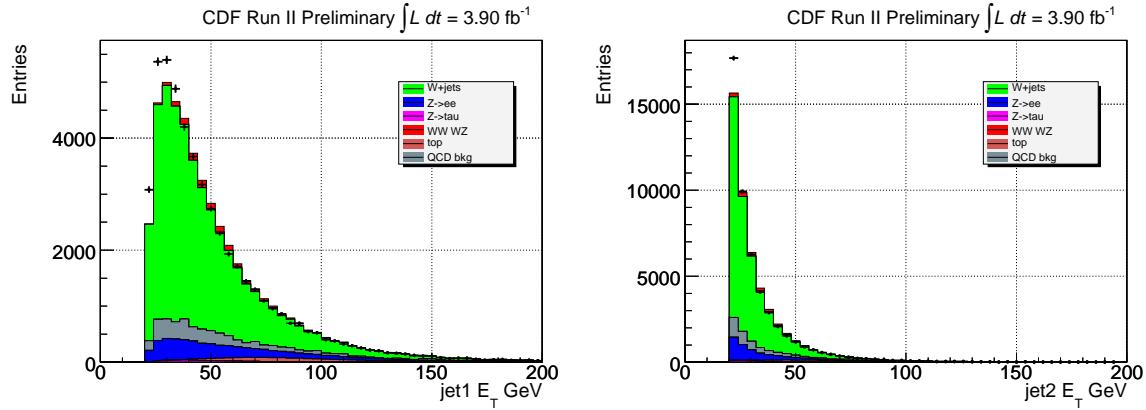


Figure 14: CEM. Left: leading jet  $E_T$ ; right: second jet  $E_T$ .

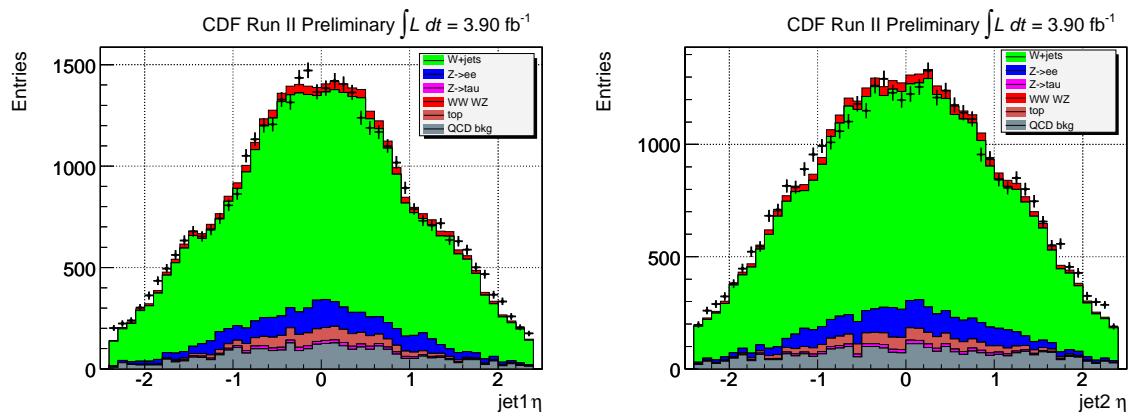


Figure 15: CEM. Left: leading jet  $\eta$ ; right: second jet  $\eta$ .

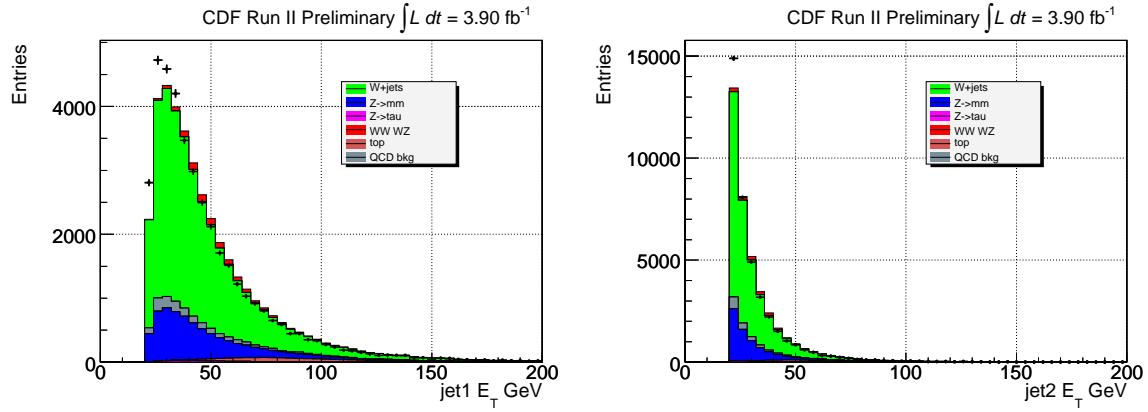


Figure 16: CMUP+CMX. Left: leading jet  $E_T$ ; right: second jet  $E_T$ .

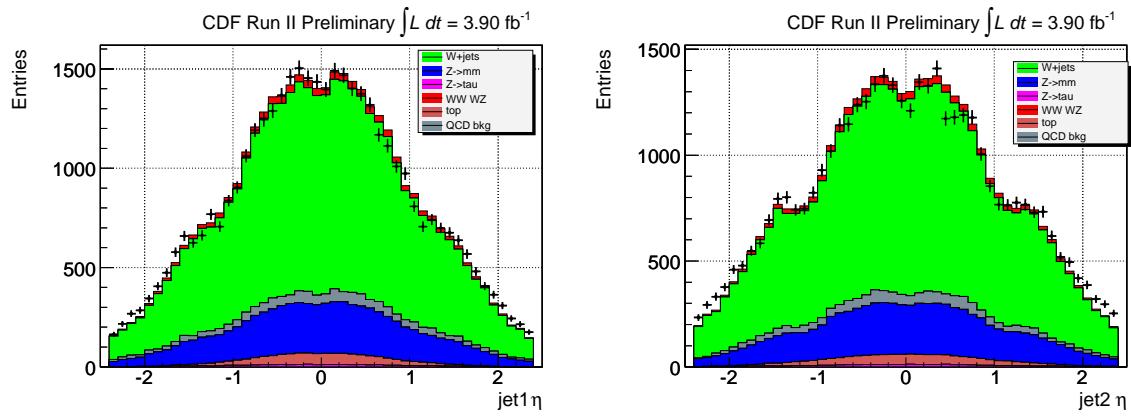


Figure 17: CMUP+CMX. Left: leading jet  $\eta$ ; right: second jet  $\eta$ .

## 9 Fitting Procedure to the Dijet Mass Distribution

The  $WW/WZ$  signal is extracted performing a  $\chi^2$  fit of the  $M_{jj}$  distribution; the  $\chi^2$  minimisation is performed using MINUIT.

As templates for the fit we consider three components: the Electroweak background, the QCD background and the signal.

In particular, we perform a separate fit for the electron and the muon channels: we believe that our choice ensures a more straightforward cross-check of the two samples separately and avoids the uncertainty in the combination of the two sample templates, i.e. we do not have to combine the template of each component on purely MC driven assumptions; in this way, the contribution of each component for each decay channel is determined by the fit.

The fits are performed in the mass range [36,200]  $GeV/c^2$  and the statistics uncertainty on the templates (weighted histograms) is included in the fit as described in [6]. The total number of events is a free parameter of the fit.

### 9.1 Electroweak Background

As electroweak background we consider:

- $W \rightarrow l\nu + n \text{ jets} ; n \geq 0, l = e, \mu, \tau$
- $Z \rightarrow ll + n \text{ jets} ; n \geq 0, l = e, \mu, \tau$
- $t\bar{t}$

each single contribution to the  $M_{jj}$  shape is extracted by Monte Carlo (see Section 3) and added together in what we consider our EWK template. The relative contribution of each component is determined and fixed by MC. As shown in Fig.14 and Fig.16 the dominant contribution comes from  $W + \text{jets}$  both for electrons and muons.

Fig.18 shows the resulting template for the electrons (left) and muons (right).

The total EWK contribution is a free parameter to be determined by the fit.

### 9.2 QCD Background Template

In the case of the electron sample, the QCD  $M_{jj}$  template is extracted using the antielectron method; for the muon sample, we select a sample of non isolated muons; the method is described in [3] [4].

The resulting templates are shown in Fig.19 for electrons (left) and muons (right).

The QCD content estimated in section 6 is rescaled to the expected number of events in our  $M_{jj}$  fit region after the cuts on the  $\cancel{E}_T > 25GeV/c^2$  and  $M_T(W \rightarrow l\nu) > 30GeV/c^2$  are applied.

In the  $M_{jj}$  fit the QCD component is gaussian-constrained to this rescaled value with a width of 20%, i.e. conservatively twice the error returned by the fit of section 6.

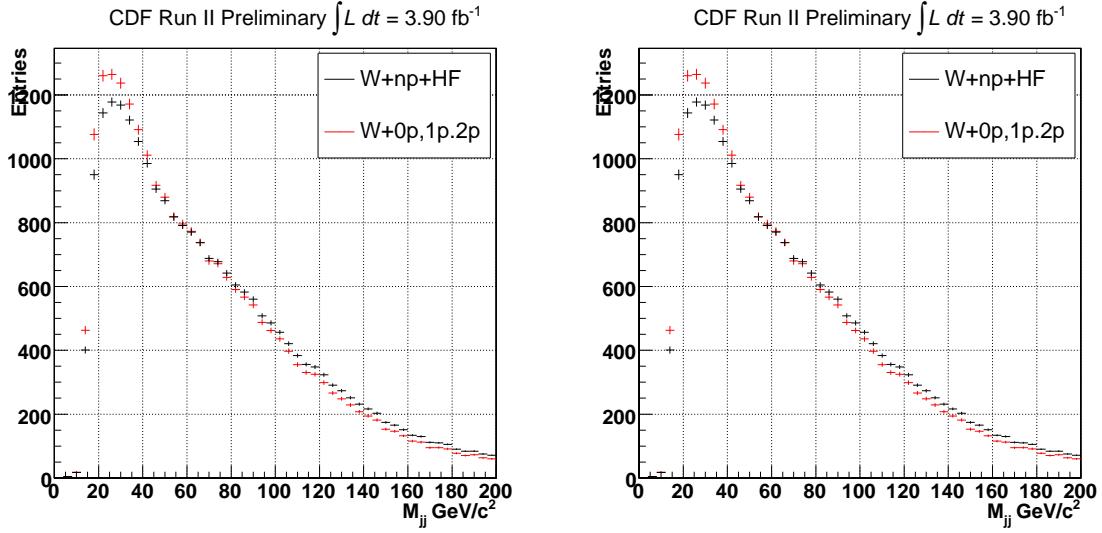


Figure 18: EWK  $M_{jj}$  template for electrons (left) and muons (right).

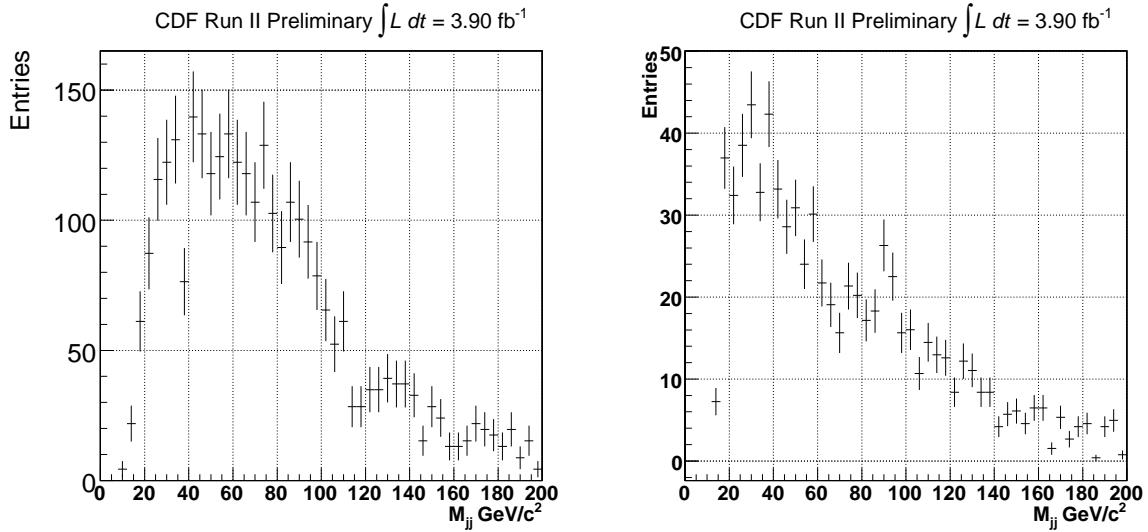


Figure 19: QCD  $M_{jj}$  template for electrons (left) and muons (right).

However, as discussed in section 11, the effect of the gaussian constraint on the QCD contribution to the central value of the signal content is negligible.

### 9.3 Signal Template

The signal template, both for electrons and muons, are obtained from Monte Carlo combining the  $WW$  and  $WZ$  templates, whose relative normalizations are fixed by Monte Carlo.

The resulting tempaltes are shown in Fig.20 for electrons (left) and muons (right).

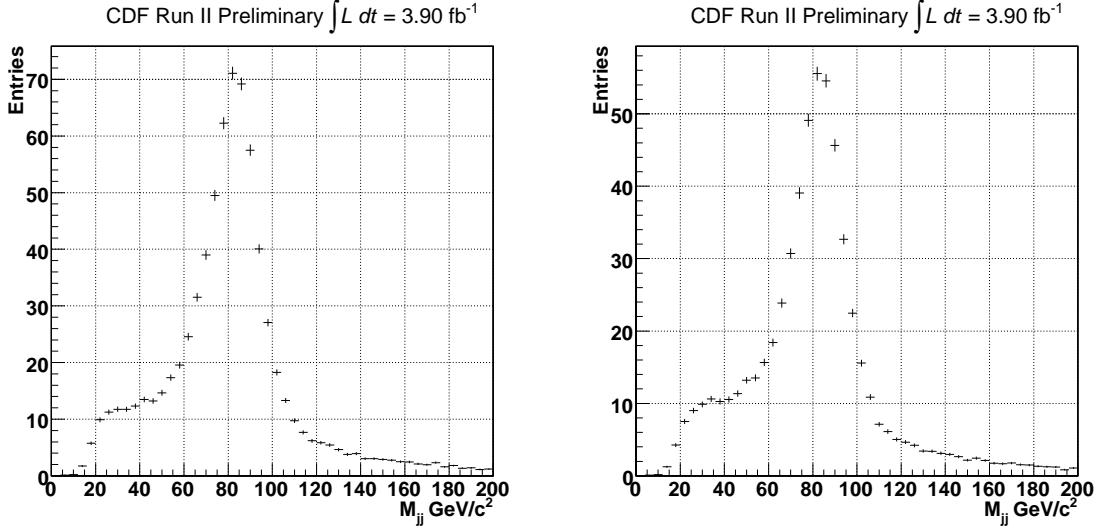


Figure 20:  $WW/WZ$   $M_{jj}$  template for electrons (left) and muons (right).

### 9.4 Fitter Validation

Our fit procedure is valided through pseudo-experiments. We run, independently for electrons and muons, 10000 toy experimets using the previously described signal and background models. The expected content of each component of Tab.6 is used as input of the pseudo-experiment generation.

As shown in Fig.21 and Fig.22, the residual and pull distributions of the estimated number of signal events do not show any deviation form the central vaule used in the generation; moreover, the pull width is compatible with one.

We conclude that our fitting procedure does not introduce any bias in the signal content estimation and the corresponding uncertainty is correctly estimated by MINUIT.

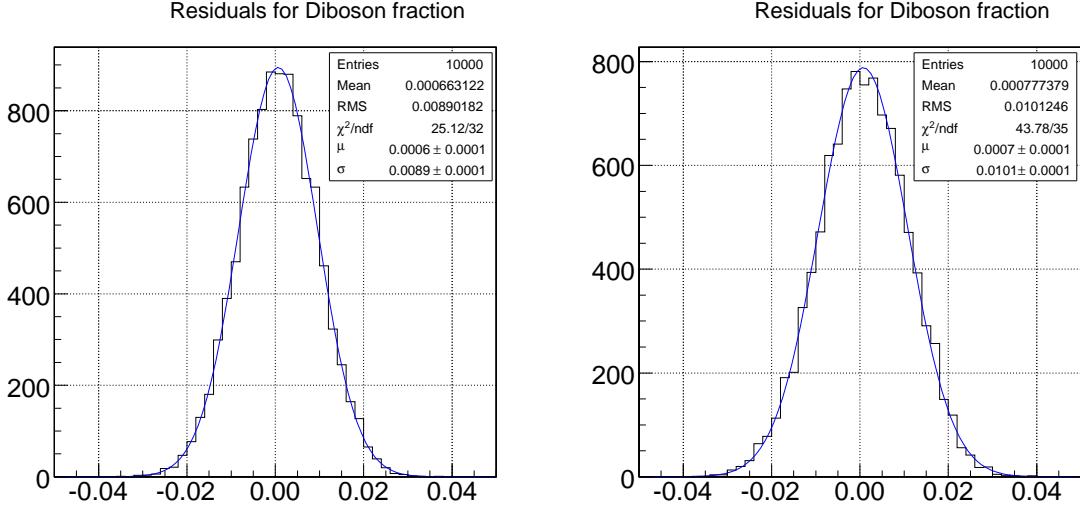


Figure 21: Residual distribution of the Signal content estimator for electrons (left) and muons (right).

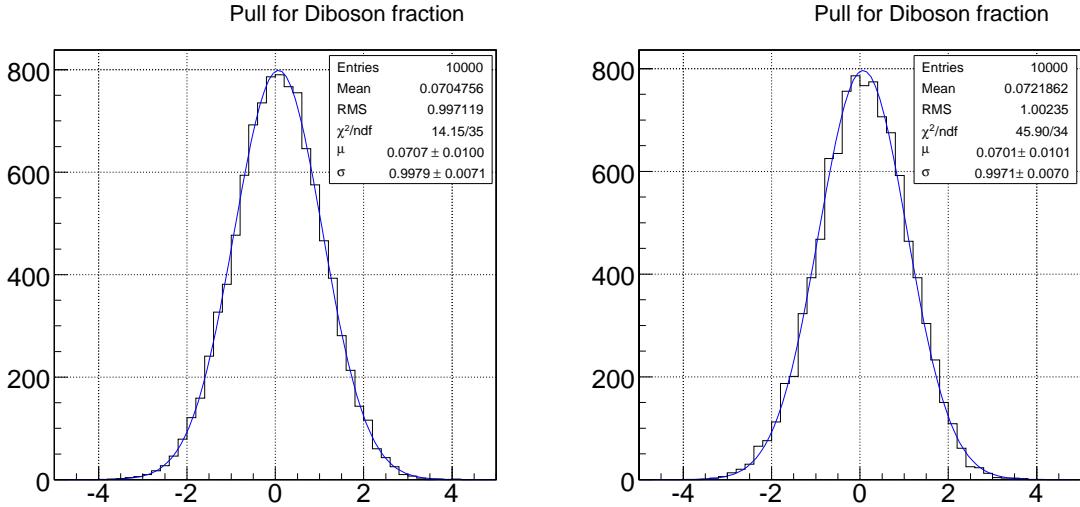


Figure 22: Pull distribution of the Signal content estimator for electrons (left) and muons (right).

## 9.5 Fit Results on Data

In Fig.23 we show the fit on data for electrons and muons. The estimated fractions are shown in table 7. We estimate  $429 \pm 177$  (stat.) events in the electron sample and  $650 \pm 149$  (stat.) events in the muon sample.

In Fig.25 we show, separately for the two decay channel, the data  $M_{jj}$  distribution after background subtraction with Monte Carlo signal normalized to the fit result superimposed. In Fig.26 we show the same plot when the electrons and muons are combined.

	Electron	Muon
$f_{sig}$	$0.0227 \pm 0.0094$	$0.048 \pm 0.011$
$f_{qcd}$	$0.083 \pm 0.016$	$0.0428 \pm 0.0083$
Total # Events	$18866 \pm 148$	$13549 \pm 122$
Observed Total # Events	18905	13573

Table 7: Fit results.

Electron Sample	Total # of Events	$f_{qcd}$	$f_{sig}$
Total # Events	1.000	0.016	-0.005
$f_{qcd}$	0.016	1.000	-0.114
$f_{sig}$	-0.005	-0.114	1.000
Muon Sample			
Total # Events	1.000	0.002	-0.005
$f_{qcd}$	0.002	1.000	0.014
$f_{sig}$	-0.005	0.014	1.000

Table 8: Fit correlation matrices.

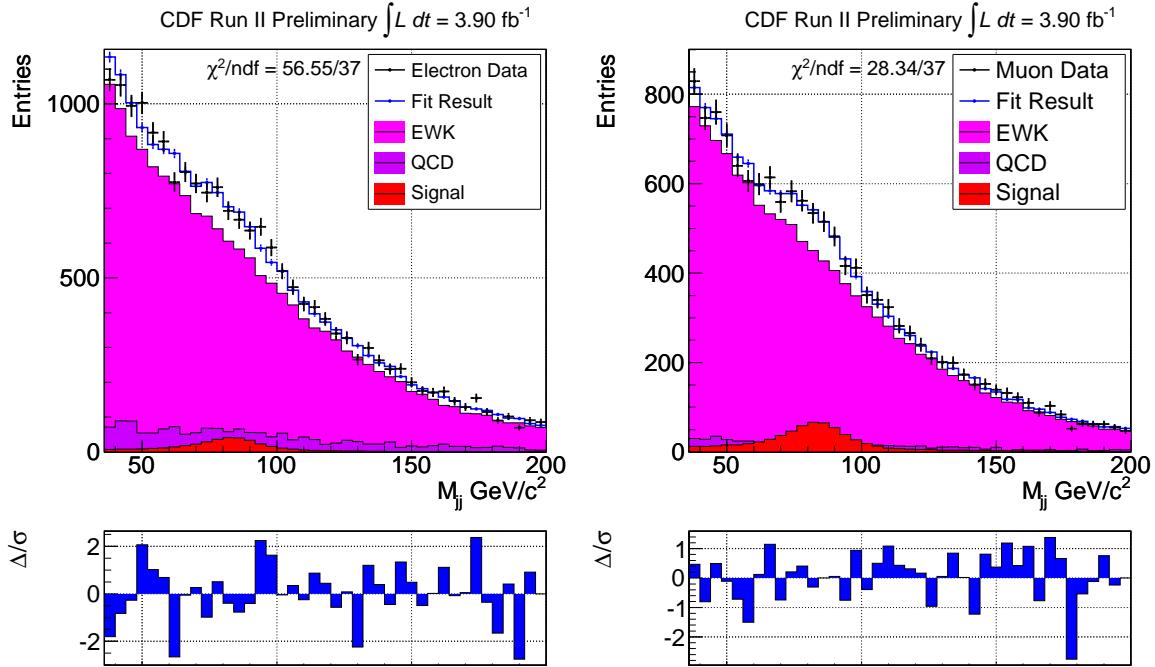


Figure 23: Fit on data for electrons (left) and muons (right). Magenta is EWK, Pink qcd and red is signal. In Blue there's the fit projection and data in black

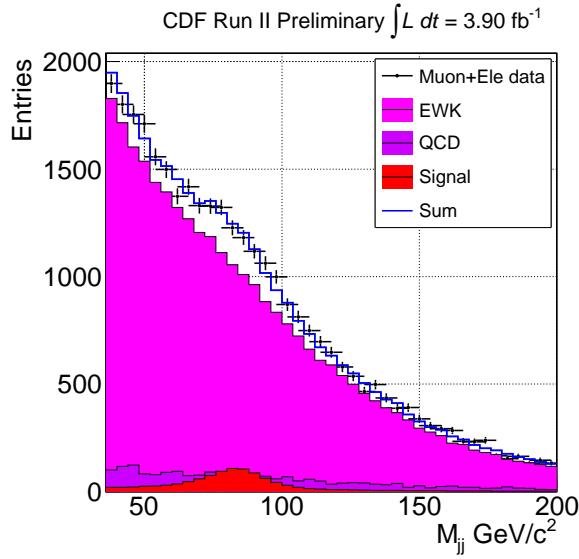


Figure 24: Sum of electron and muons data . Magenta is EWK, Pink qcd and red is signal. In Blue there's the fit projection and data in black

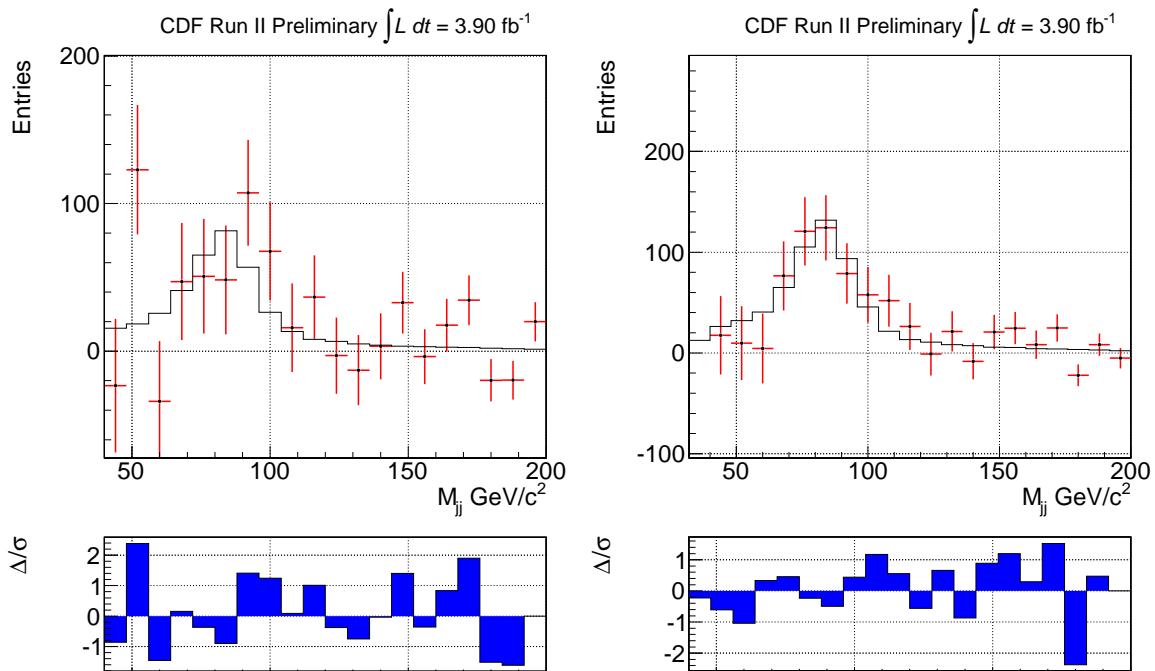


Figure 25: Background subtracted data (points) for electrons (left) and muons (right) superimposed to Monte Carlo signal normalized to the fit result (histogram).

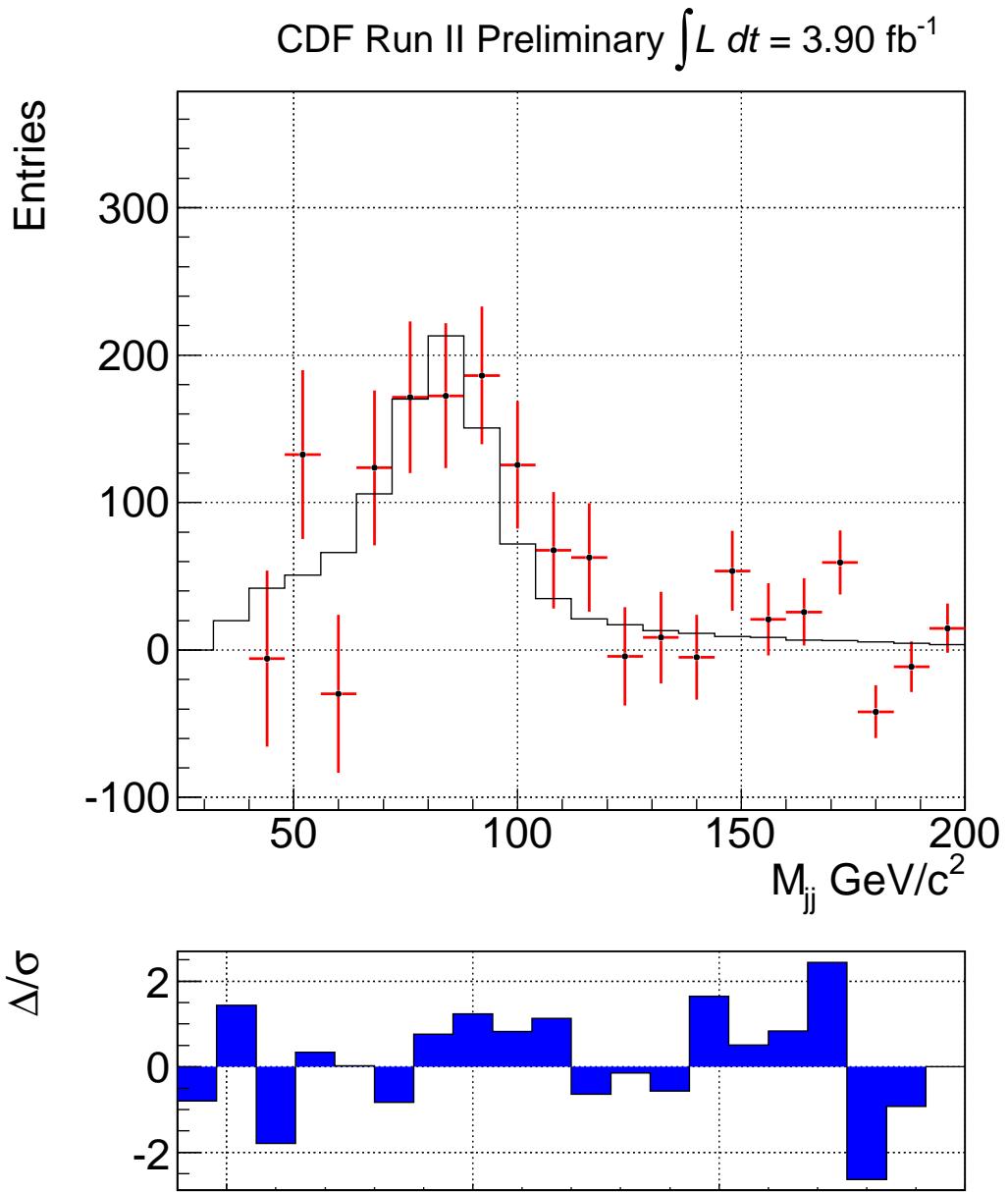


Figure 26: Background subtracted data (points) for muons+electrons superimposed to Monte Carlo signal normalized to the fit result (histogram).

## 10 Expected Significance

To evaluate the expected significance of our fit on data, we performed 10000 pseudo-experiments. The event content of each component of Tab.6 is used as input of the pseudo-experiment generation.

In Fig.27 we show the distribution of the significance estimators of the signal fraction (defined as  $f_{WW/WZ}^{fitted}/\sigma_{WW/WZ}^{fitted}$ ) for electrons and muons considering the statistical uncertainty only.

We expect a significance of  $4.0\sigma$  and  $3.7\sigma$  in the electron and muon sample respectively. A quick combination of the two values gives an expected significance of  $5.5\sigma$  (statistics only).

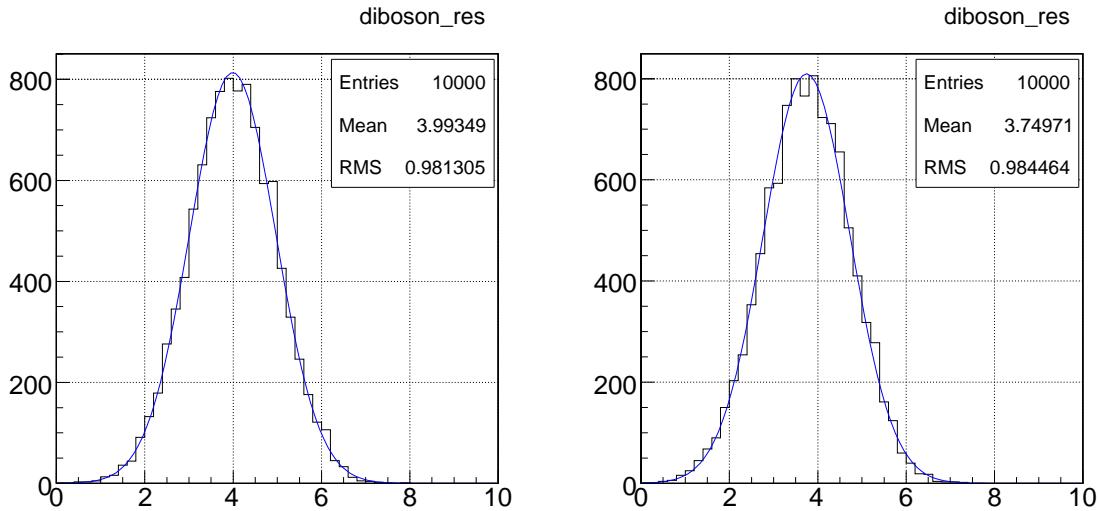


Figure 27: Expected Significance for electrons (left) and muons (right); Statistical uncertainty only.

## 11 Systematics

We consider two classes of systematics: the systematics affecting signal extraction (i.e. the number of signal events estimated in our data samples) and the additional systematics affecting the signal cross-section.

If not otherwise explicitly stated, we estimate the systematics on the signal extraction by generating pseudo-experiment using an alternative template model for each systematic source. The pseudo-experiments are then fitted using the templates used in the main fit on data.

The difference between the central value of the fit on data and the mean of the estimator of the signal content on the alternative pseudo-experiment is taken as systematics on the corresponding source.

Tab.11 shows our systematics results; the total systematics is obtained adding in quadrature each individual contribution. In sections 11.1 and 11.2 we describe in detail how the systematics associated to each source has been evaluated.

	Source	$e\ \%$	$\mu\ \%$	e # of Ev.	$\mu\#\ of\ Ev.$
<b>Signal Extraction</b>	QCD shape	6.4%	4.8 %	28	31
	EWK shape	9.8%	6.6%	42	43
	JES up	5.1%	5.7%	22	37
	JES down	2.8%	1.6%	12	10
	JER	1.4%	1.1 %	6	7
<b>TOTAL</b>		13.1 %	10.1 %	56	65
<b>Cross section</b>	Luminosity	6%	6%	26	39
	Lepton Acceptance	2%	2%	9	13
	ISR more	1.9%	1.4%	8	9
	ISR less	-1.9%	-1.4%	8	9
	FSR more	0.5%	3%	2	19
	FSR less	-0.5%	-3%	2	19
	PDF	2.0%	2.0 %		13
<b>TOTAL</b>		14.8 %	12.8%	63	83

Table 9: Systematics uncertainties.

### 11.1 Signal Extraction

For signal extraction we consider the following systematics sources:

- **Jet Energy Scale**

The Jet Energy Scale systematics is estimated varying the JES by  $\pm 1\sigma$  with respect to its central value. Since the JES does not affect the QCD component,

the alternative templates are generated for the EWK and signal only.

Two different templates corresponding to JES  $+1\sigma$  and JES  $-1\sigma$  are obtained for the EWK and the signal components separately for electrons and muons. The new templates are shown in Fig. 28 and 29. The corresponding systematic is evaluated to be JES  $+1\sigma = 5.1\%$  and JES  $-1\sigma = 2.8\%$  for electrons and  $+1\sigma = 5.7\%$  and JES  $-1\sigma = 1.6\%$  for muons.

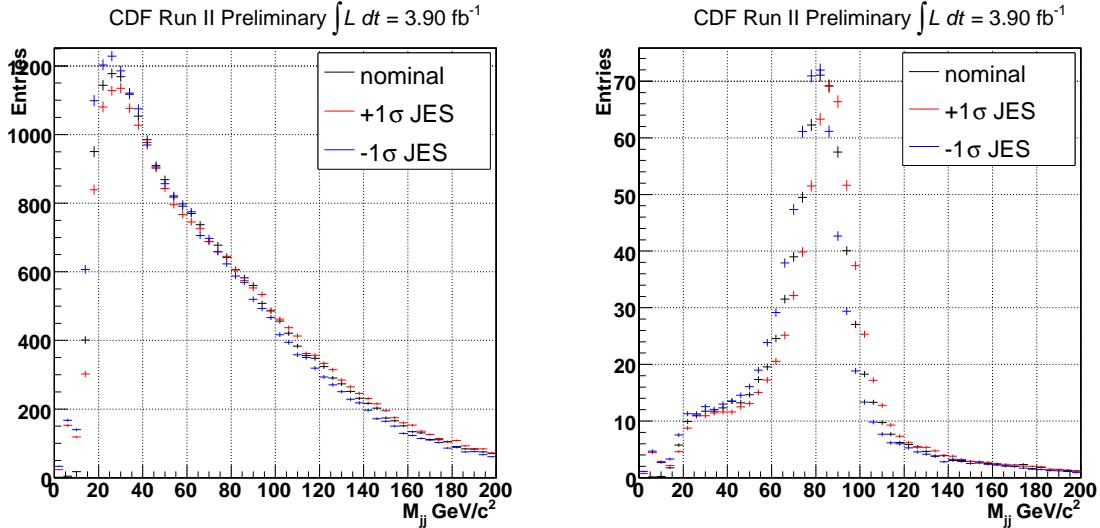


Figure 28: JES  $\pm 1\sigma$  templates for EWK (left) and signal in the electron sample.

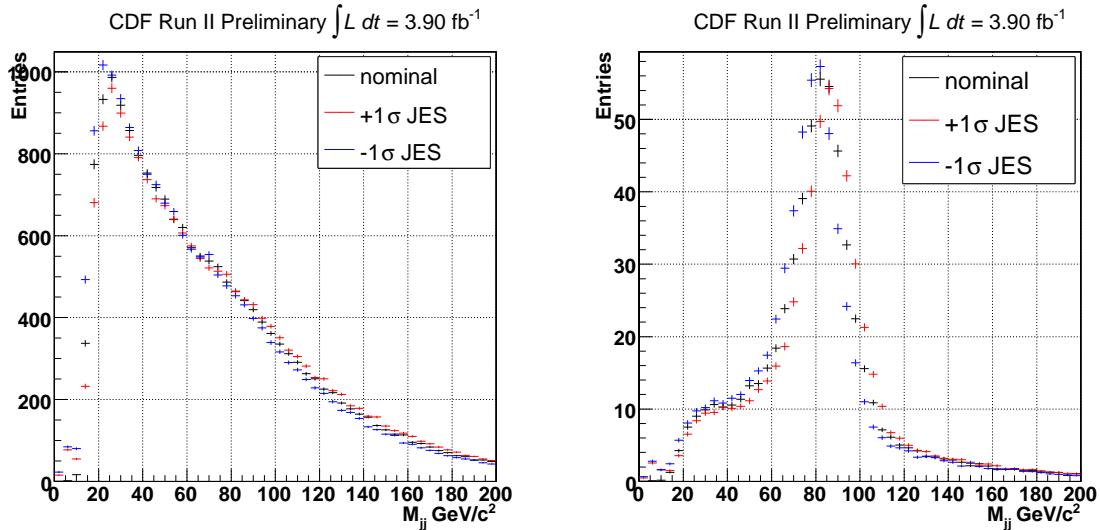


Figure 29: JES  $\pm 1\sigma$  templates for EWK (left) and signal in the muon sample.

- **Jet Energy Resolution**

The dijet signal and ewk template are smeared according to the uncertainty on the jet energy resolution of  $0.03 \pm 1.7/E_T$  [7]. The alternative template obtained by smearing (Fig.30) are then used to asses the corresponding systematics that is evaluated to be 1.4% for electrons and 1.1 % for muons.

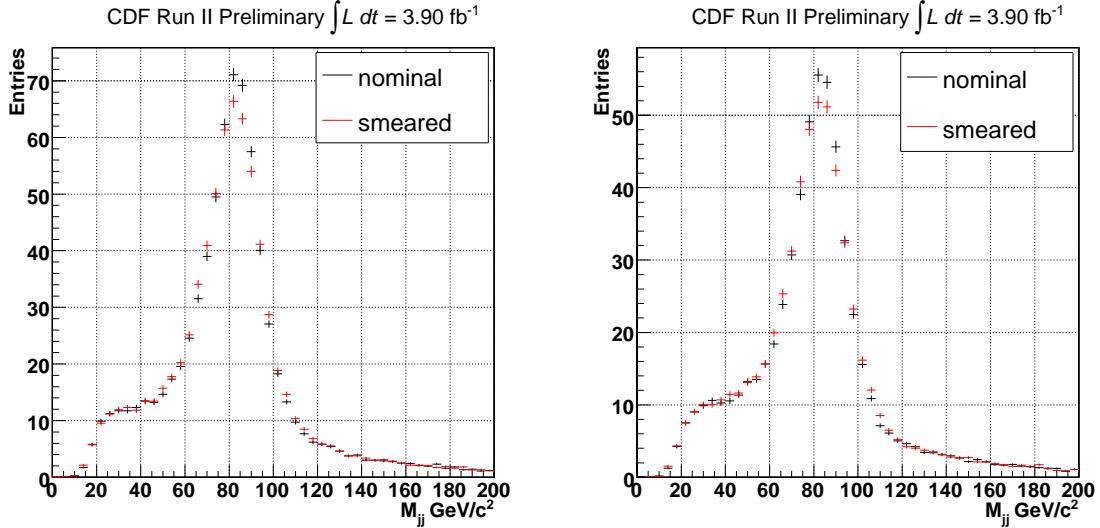


Figure 30: JER smeared templates for signal in electrons (left) and muon sample.

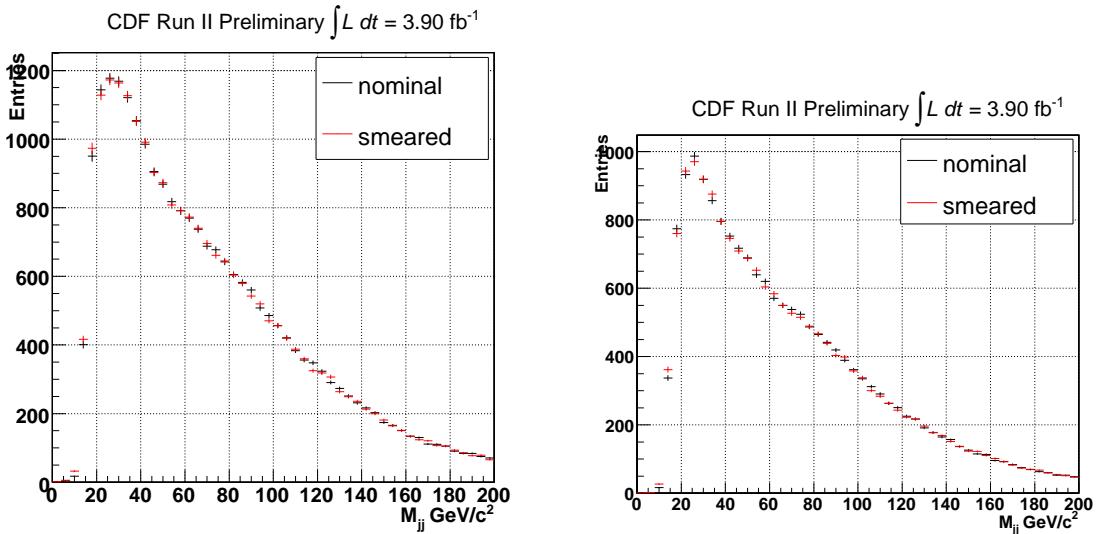


Figure 31: JES smeared templates for EWK (left) and signal in the muon sample.

- **Electroweak Shape**

Having already considered JES and JER as possible sources of uncertainty on the shape of the EWK template, the only remaining effect might be due to mismodeling of the involved physics processes.

The main contribution to the EWK component arises from  $W + jets$  events. For this reason, we investigate the effect of different relative composition of the  $W + np$  processes.

In particular, we generated a new EWK template (again, separately for electrons and muons) removing the  $W + (n > 3p)$  and  $W + HF$  processes; removing  $W + np$  with any  $n \leq 3$  would be too unrealistic and we decided to consider as alternative templates the ones obtained with  $W + (n \leq 3p)$  (shown in Fig.32).

The corresponding systematic is evaluated to be 9.8% for electrons and 6.6 % for muons.

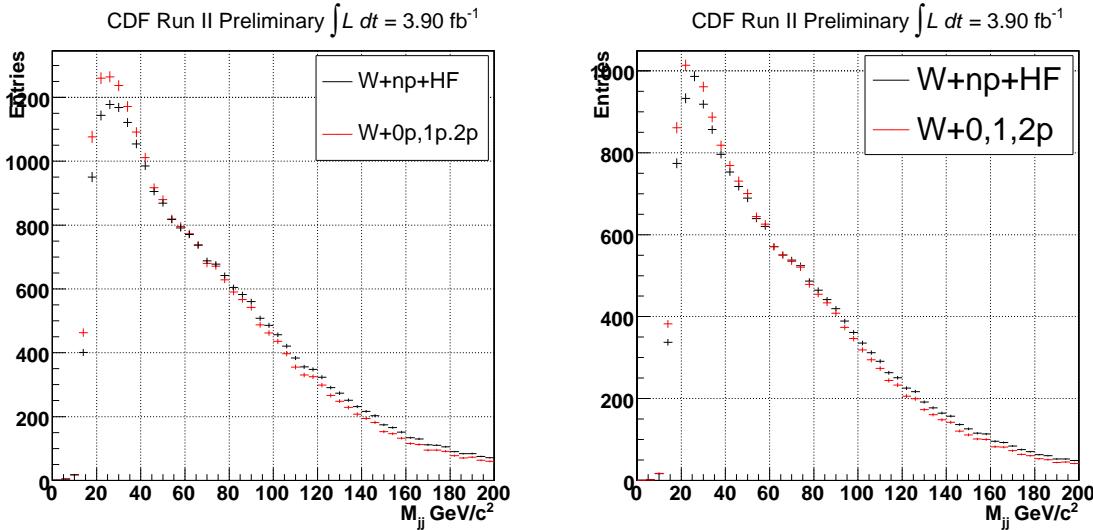


Figure 32: EWK template used in systematic evaluation overimposed to the main fit template; electrons (left), muons (right).

- **QCD Shape and Normalization**

The systematic associated with the QCD  $M_{jj}$  shape component is evaluated using different QCD templates. The alternative templates are obtained, separately for electrons and muons, considering data events with  $Iso > 0.2$  and  $Iso > 0.4$  respectively.

In Fig.33 we overimpose the template used in the main fit to the ones used in the systematics for electrons (left) and muons (right).

The corresponding systematic is evaluated to be 6.4% for electrons and 4.8% for muons.

In addition, the QCD contribution is gaussian-constrained in our fit procedure. However, if we remove the constraint and let the QCD normalization free do be determined by the fit (on data), we estimate a fraction of  $0.049 \pm 0.013$  for muons and  $0.025 \pm 0.009$  for electrons. The values are almost identical to our central results; we then decided to consider the associated systematics negligible.

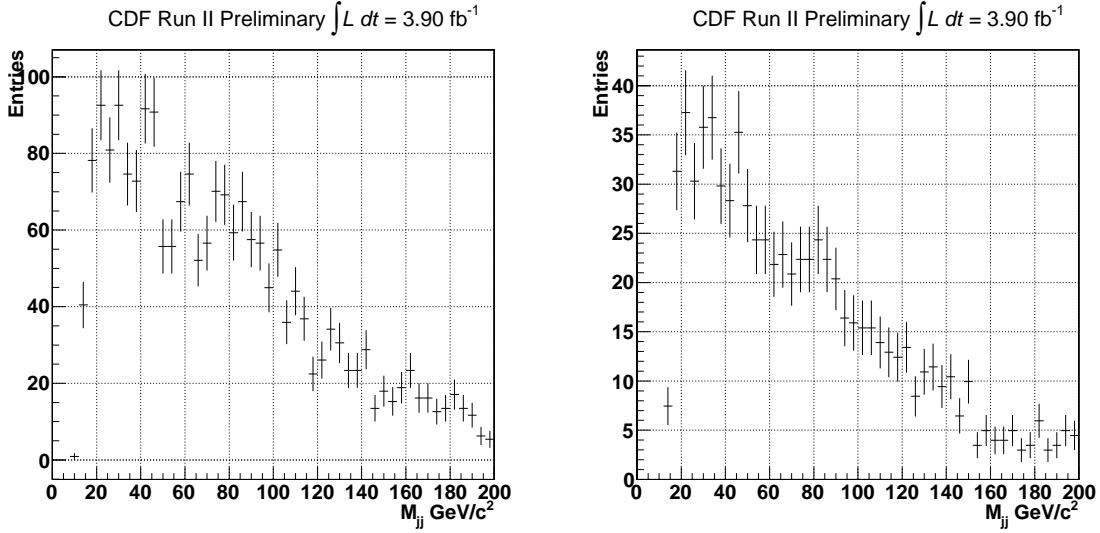


Figure 33: QCD template used in systematic evaluation overimposed to the main fit template; electrons (left), muons (right).

## 11.2 Cross-section

In addition to the signal extraction systematics, for the cross-section measurement we consider also the following sources:

- **Luminosity:** The standard 6% systematics is considered.
- **Lepton Acceptance:** We quote a 2% systematics on the lepton acceptance.
- **ISR/FSR:** We take the sample of higgs produced in association with W with ISR and FSR changed since there are no available MC sample for our channel and scale the  $E_T$  of jets by 80./120. Then we take the difference in acceptance between the sample with more ISR and less ISR divided by two. We do the same for the FSR systematics.
- **PDF:** We quote the same systematics used in  $WH \rightarrow l\nu b\bar{b}$  that was found to be 2.0% [8] (the worst case with double tag).

## 12 Constraining the JES

We also tried to allow the jet energy scale to float in the extraction fit. For this purpose we performed an unbinned maximum likelihood fit to our data. In this cross-check, for simplicity we decided to perform one single combined fit to the electron and muon sample together.

Signal template is parameterized as the sum of two gaussians and a first order polynomial. The mean of the main gaussian (the one describing the signal at the peak) is multiplied by a scale factor that is left free to be determined by the fit. This scale factor is the multiplicative correction to be applied to our expected JES and, if significantly different from one, it provides evidence of a different JES in data.

The EWK and QCD template are not parameterized and the corresponding normalized histograms (the same used in the main fit) are used as probability density functions. In Tab. 10 we show the results of the new fit and in Fig. 34 its projection.

The fitted scale factor is consistent with one at  $\sim 1\sigma$ .

	Value found
$f_{sig}$	$0.0354 \pm 0.0069$
$f_{qcd}$	$0.0543$ (constrained)
JES	$1.037 \pm 0.035$

Table 10: JES constraining.

## 13 Acceptance

We might argue that since we are using events with  $p_T(W) > 40\text{GeV}/c$  we should quote the cross section for those events. To do this, we calculate the ratio between the number of events that pass our cuts at quark level including the cut of  $p_T > 40\text{GeV}/c$  and the number of events at quark level with  $p_T > 0\text{GeV}/c$  (Tab. 11). The formula used for quoting the cross section is:

$$\sigma_{measured}^{40} = \frac{N_{obs} \cdot \sigma_{theory}^{40}}{N_{MC}}$$

where  $N_{obs}$  is the number of events in data,  $\sigma_{theory}$  is the standard model cross section ( $16.1 \pm 0.9\text{pb}$ ),  $N_{MC}$  is the number of events of MC (corrected for all efficiency and acceptance). We calculate  $\sigma_{theory}^{40}$  from the MC as:

$$\sigma_{theory}^{40} = \sigma_{theory}^0 * \frac{N_{pt>40}}{N_{pt>0}}$$

where  $N_{pt>0}$  is the number of events at quark level with  $p_T > 0\text{GeV}/c$  and  $N_{pt>40}$  is the number of events at quark level with  $p_T > 40\text{GeV}/c$ ,  $\sigma_{theory}^0$  is the theoretical cross

section . We can now quote the cross section (for  $p_T > 40\text{GeV}/c$ )  $5.3 \pm 2.3(\text{stat.}) \pm 1.0(\text{syst.}) \text{ pb}$  for electrons and  $10.1 \pm 2.6(\text{stat.}) \pm 1.9(\text{syst.}) \text{ pb}$  for muons, respectively. The combined result for  $p_T > 40\text{GeV}/c$  is  $\sigma_{WW/WZ}^{40} = 7.4 \pm 1.7(\text{stat.}) \pm 1.4 \text{ (syst.) pb}$ .

	Electron	Muon
$p_T > 0\text{GeV}/c$	2557	2276
$p_T > 40\text{GeV}/c$	1329	1158

Table 11: Acceptance. The MC statistical error is negligible.

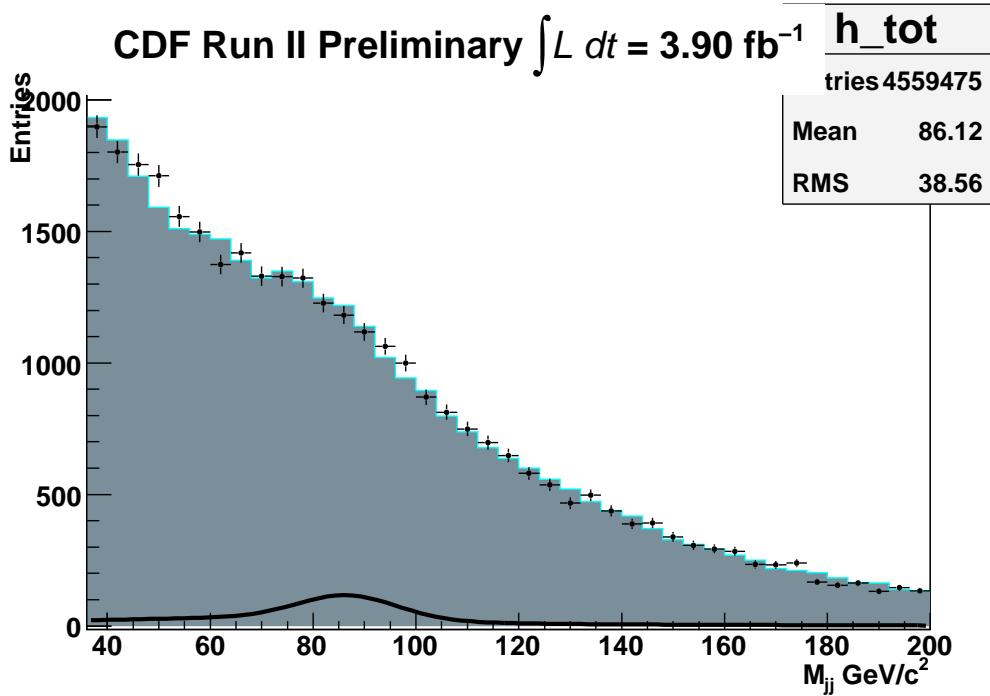


Figure 34: Fit to data with JES floating, in black is signal.

## 14 Final Results

In a data sample corresponding to  $3.9 \text{ fb}^{-1}$  of integrated luminosity of high  $p_T$  muons and electrons, we performed a search for  $WW/WZ \rightarrow l\nu jj$  processes.

Using a fit to the invariant mass distribution  $M_{jj}$  we estimate  $428 \pm 177 \text{ (stat.)} \pm 56 \text{ (syst.)}$  events in the  $WW/WZ \rightarrow e\nu jj$  sample and  $650 \pm 149 \text{ (stat.)} \pm 66 \text{ (syst.)}$  events in the  $WW/WZ \rightarrow \mu\nu jj$  sample that leads to a cross section of  $10.3 \pm 4.2 \text{ (stat.)} \pm 1.7 \text{ (syst.)} \text{ pb}$  for electrons and  $19.5 \pm 4.7 \text{ (stat.)} \pm 2.8 \text{ (syst.)} \text{ pb}$  for muons, respectively.

Combining the two decays, we estimate a total of  $1079 \pm 232 \text{ (stat.)} \pm 86 \text{ (syst.)} \text{ } WW/WZ \rightarrow l\nu jj$  events, corresponding to a significance of  $4.4 \sigma$ . Finally, we measure  $\sigma_{WW/WZ} = 14.4 \pm 3.1 \text{ (stat.)} \pm 2.2 \text{ (syst.)} \text{ pb}$ .

	Electron	Muon	Combined
# $WW/WZ$	$428 \pm 177 \pm 56$	$650 \pm 149 \pm 66$	$1079 \pm 232 \pm 86$
$\sigma_{WW/WZ} \text{ (pb)}$	$10.3 \pm 4.2 \pm 1.7$	$19.5 \pm 4.7 \pm 2.8$	$14.1 \pm 3.1 \pm 2.3$

Table 12: Final Results.

## References

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- [6] N. D. Gagunashvili, Proceedings of the Conference on Statistical Problems in Particle Physics, Astrophysics and Cosmology, 43-44, 12-15 September, 2005, Oxford, Imperial College Press, London, 2006.
- [7] F. Canelli *et al.*, CDF Note 7856.
- [8] J. Dittman *et al.*, CDF Note 9401.