## EXPERIMENTAL OBSERVATION OF ISOLATED LARGE TRANSVERSE ENERGY ELECTRONS

WITH ASSOCIATED MISSING ENERGY AT $\sqrt{s}=540 \mathrm{GeV}$
The UAl Collaboration
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Abstract: We report the results of two searches made on data recorded at the CERN SPS Proton-Antiproton Collider: one for isolated large-ET electrons, the other for large-ET neutrinos using the technique of missing transverse energy. Both searches converge to the same events, which have the signature of a two-body decay of a particle of mass $\sim 80 \mathrm{GeV} / \mathrm{c}^{2}$. The topology as well as the number of events fits well the hypothesis that they are produced by the process $\bar{p}+p \rightarrow W^{ \pm}+X$, with $\mathrm{W}^{ \pm} \rightarrow \mathrm{e}^{ \pm}+v$; where $\mathrm{W}^{ \pm}$is the Intermediate Vector Boson postulated by the unified theory of weak and electromagnetic interactions.

Résumé: Les résultats de deux recherches effectuées auprès du Collisionneur protón-antiproton du CERN sont présentés: la première concerne des électrons isolés ayant une grande énergie transverse, l'autre des neutrinos ayant également une grande $E_{\perp}$, en utilisant la technique de l'énergie transverse manquante. Les deux approches conduisent aux mêmes évènements, qui ont la signature de la désintégration 2 -corps d'une particule de masse $\sim 80 \mathrm{GeV} / \mathrm{c}^{2}$. La topologie aussi bien que le nombre d'évènements sont en accord avec l'hypothèse de la réaction $\bar{p} p \rightarrow W^{ \pm} X$, avec $W^{ \pm} \rightarrow e^{ \pm} v$, où $W^{ \pm}$est le boson intermédiaire postulé par la théorie électro-faible.
. INTRODUCTION
It is generally postulated that the beta decay, namely (quark) $\rightarrow$ (quark) + $+\mathrm{e}^{ \pm}+\nu$ is mediated by one of two charged Intermediate Vector Bosons (IVBs), $\mathrm{W}^{+}$ and $\mathrm{W}^{-}$of very large masses. If these particles exist, an enhancement of the cross-section for the process (quark) + (antiquark) $\rightarrow \mathbf{e}^{ \pm}+V$ should occur at centre-of-mass energies in the vicinity of the IVB mass (pole), where direct experimental observation and a study of the properties of such particles become possible. The CERN Super Proton Synchrotron (SPS) collider, in which proton and antiproton collisions at $\sqrt{\mathrm{s}}=540 \mathrm{GeV}$ provide a rich sample of quark-antiquark events, has been designed with this search as the primary goal [1].

Properties of IVBs become better specified within the theoretical frame of the unified weak and electromagnetic theory and o: the Weinberg-Salam model [2]. The mass of the IVB is precisely predicted [3]:

$$
\mathrm{M}_{W^{ \pm}}=82 \pm 2.4 \mathrm{GeV} / \mathrm{E}^{2}
$$

for the presently preferred [4] experimental value of the Weinberg angle sin ${ }^{2} \theta_{W}=$ $=0.23 \pm 0.01$. The cross-section for production is also reasonably well anticipated $[5]$

$$
\sigma\left(\mathrm{p} \overline{\mathrm{p}} \rightarrow \mathrm{~W}^{ \pm}+\mathrm{e}^{ \pm}+v\right) \simeq 0.4 \times 10^{-33} \mathrm{k} \mathrm{~cm}^{2}
$$

where $k$ is an enhancen. $\begin{gathered}\text { nt } f a c t o r ~ o f ~\end{gathered} 1.5$, which san be related to a similar well-known effect in the Drell-Yan production of lepton pairs. It arises from additional $Q C D$ diagrams in the production reaction with emission of gluons. In our search we have reduced the value of $k$ by accepting only those events which show no evidence for associated jet structure in the detector.

## 2. THE DETECTOR

The UAl apparatus has already been extensively described elsewhere [6]. Here we concentrate on those aspects of the detector which are relevant to the present investigation.

The detector is a transverse dipole magnet wilich produces a uniform field of 0.7 T over a volume of $7 \times 3.5 \times 3.5 \mathrm{~m}^{3}$. The interaction point is surrounded by
the central detector (CD): a cylindrical drift chamber volume, 5.8 m long and 2.3 m in diameter, which yields a bubble-chamber quality picture of each $\mathrm{p} \overline{\mathrm{p}}$ interaction in addition to measuring momentum and specific ionization of all charged tracks.

Momentum precision for high-momentum particles is dominated by a localization error inherent to the system ( $\leq 100 \mu \mathrm{~m}$ ) and the diffusion of electrons drifting in the gas (proportional to $\sqrt{\ell}$ and about $350 \mu \mathrm{~m}$ after $\ell=22 \mathrm{~cm}$ maximum drift length). This results in a typical relative accuracy of $\pm 20 \%$ for a 1 m long track at $p=40 \mathrm{GeV} / \mathrm{c}$, and in the plane normal to the magnetic field. The precision, of course, improves considerably for longer tracks. The ionization of tracks can be measured by the classical method of the truncated mean of the $60 \%$ lowest readings to an accuracy of $10 \%$. This allows an unambiguous identification of narrow, high-energy particle bundles ( $e^{+} e^{-}$pairs or pencil jets) which cannot be resolved by the drift chamber digitizings.

The central section of electromagnetic and hadronic calorimetry has been used in the present investigation to identify electrons over a pseudorapidity interval $|\eta|<3$ with full azimuthal coverage. Additional calorimetry, both electromagnetic and hadronic, extends to the forward regions of the experiment, down to $0.2^{\circ}$ (for details, see table 1).

The central electromagnetic calorimeters consist of two different parts:
i) 48 semicylindrical modules of alternate layers of scintillator and lead (gondolas), arranged in two cylindrical half-shells, one on either side of the beam axis with an inner radius of 1.36 m . Each module extends over approximately $180^{\circ}$ in azimuth and measures 22.5 cm in the beam direction. The light produced in each of the four separate segmentations in depth is seen by wavelength shifter plates on each side of the counter, in turn connected to four photomultipliers (PMs), two at the top and two at the bottom. Light attenuation is exploited in order to further improve the calorimetric information: the comparison of the pulse heights of the top and bottom PM of each segment gives a measurement of the azimuthal angle $\phi$ for localized energy depositions,

Table 1
Calorimetry

| Calorimeter | Angular coverage $\theta$ <br> $\left({ }^{\circ}\right)$ | Thickness |  | Cell size |  | Sampling step | Segmentation in depth | Resolution |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | No. rad. lengths | No. abs. lengths | $\begin{aligned} & \Delta \theta \\ & \left({ }^{\circ}\right) \end{aligned}$ | $\begin{aligned} & \Delta \phi \\ & \left({ }^{\circ}\right) \end{aligned}$ |  |  |  |
| Barrel e.m.: gondolas <br>  hadr.: <br>  $c^{\prime} s$ | 25-155 | $26 / \sin \theta$ | $\begin{aligned} & 1.1 / \sin \theta \\ & 5.0 / \sin \theta \end{aligned}$ | $5$ $15$ | $\begin{array}{r} 180 \\ 18 \end{array}$ | 1.2 mm Pb 1.5 mon scint. <br> 50 mm Fe 10 mun scint. | $\begin{gathered} 3.3 / 6.6 / 9.9 / 6.6 \mathrm{X}_{0} \\ 2.5 / 2.5 \lambda \end{gathered}$ | $\begin{gathered} 0.15 / \sqrt{E} \\ 0.8 / \sqrt{E} \end{gathered}$ |
| e.m.: bouchons <br> End-caps <br> hadr.: I's | $\begin{gathered} 5-25 \\ 155-175 \end{gathered}$ | $27 / \cos \theta$ | $1.1 / \cos \theta$ <br> 7.1/cos $\theta$ | $20$ $5$ | $\begin{aligned} & 11 \\ & 10 \end{aligned}$ | $\begin{gathered} 4 \text { mm } \mathrm{Pb} \\ 6 \text { mm scint. } \\ 50 \text { mom } \mathrm{Fe} \\ 10 \text { mom scint. } \end{gathered}$ | $\begin{gathered} 4 / 7 / 9 / 7 x_{0} \\ 3.5 / 3.5 \lambda \end{gathered}$ | $\begin{aligned} & 0.12 / \sqrt{E_{\mathrm{T}}} \\ & 0.8 / \sqrt{\mathrm{E}} \end{aligned}$ |
| Calcom e.m. <br>  hadr. | $\begin{aligned} & 0.7-5 \\ & 175-179.3 \end{aligned}$ | $30$ | $\begin{gathered} 1.2 \\ 10.2 \end{gathered}$ | $4$ | $45$ | 3 mm Pb 3 mm scint. 40 mm Fe 8 mm scint. | $\begin{aligned} & 4 \times 7.5 x_{0} \\ & 6 \times 1.7 \lambda \end{aligned}$ | $\begin{gathered} 0.15 / \sqrt{ } \mathrm{E} \\ 0.8 / \sqrt{\mathrm{E}} \end{gathered}$ |
| e.m. <br> Very forward <br> hadr. | $\begin{aligned} & 0.2-0.7 \\ & 179.3-179.8 \end{aligned}$ | $24.5$ | $\begin{aligned} & 1.0 \\ & 5.7 \end{aligned}$ | $\begin{aligned} & 0.5 \\ & 0.5 \end{aligned}$ | $\begin{aligned} & 90 \\ & 90 \end{aligned}$ | 3 mm Pb 6 mm scint. 40 mm Fe 10 mm scint. | $\text { 5.7/5.3/5.8/7.7 } \mathrm{X}_{0}$ $5 \times 1.25 \lambda$ | $\begin{gathered} 0.15 / \sqrt{\mathrm{E}} \\ 0.8 / \sqrt{\mathrm{E}} \end{gathered}$ |

$\Delta \phi(\mathrm{rad})=0.3 / \sqrt{E(\mathrm{GeV})}$. A similar localization along the beam direction is possible using the complementary pairing of PMs. The energy resolution for electrons using all four $P M s$ is $\Delta E / E=0.15 / \sqrt{E(G e V)}$.
ii) 64 petals of end-cap electromagnetic shower counters (bouchons), segmented four times in depth, on both sides of the central detector at 3 m distance from the beam crossing point. The position of each shower is measured with a position detector located inside the calorimeter at a depth of 11 radiation lengths, i.e. after the first two segments. It consists of two planes of orthogonal proportional tubes of $2 \times 2 \mathrm{~cm}^{2}$ cross-section and it locates the centre of gravity of energetic electromagnetic showers to $\pm 2 \mathrm{~mm}$ in space. The attenuation length of the scintillator has been chosen to match the variation of $\sin \theta$ over the radius of the calorimeters, so as to directly measure in first approximation $E_{T}=E \sin \theta$ rather than the true energy deposition $E$, which can, however, be determined later, using the information from the position detector. This technique permits us to read out directly from the end-cap detectors the amount of transverse energy deposited, without reconstruction of the event topology.
3. ELECTRON IDENTIFICATION

Electromagnetic showers are identified by their characteristic transition curve, and in particular by the lack of penetration in the hadron calorimeter behind them. The performance of the detectors with respect to hadrons and elec trons has been studied extensively in a test beam as a function of the energy, the angle of incidence, and the location of impact. The fraction of hadrons (pions) delivering an energy deposition $E_{c}$ below a given threshold in the hadron calorimeter is a rapidly falling function of energy, amounting to about $0.3 \%$ for $\mathrm{p} \simeq 40 \mathrm{GeV} / \mathrm{c}$ and $\mathrm{E}_{\mathrm{c}}<200 \mathrm{MeV}$. Under these conditions, $98 \%$ of electrons are detected.
4. NEUTRINO IDENTIFICATION

The emission of one (or more) neutrinos can be signalled only by an apparent visible energy imbalance of the event (missing energy). In order to permit such
a measurement, calorimeters have been made completely hermetic down to angles of $0.2^{\circ}$ with respect to the direction of the beams. (In practice, $97 \%$ of the mass of the magnet is calorimetrized.) It is possible to define an energy flow vector $\overrightarrow{\Delta E}$, adding vectorially the observed energy depositions over the whole solid angle. Neglecting particle masses and with an ideal calorimeter response and solid-angle coverage, momentum conservation requires $\overrightarrow{\Delta E}=0$. We have tested this technique on minimum bias and jet-enriched events for which neutrino emission ordinarily does not occur. The transverse components $\Delta E_{y}$ and $\Delta E_{z}$ exhibit small residuals centred on zero with an r.m.s. deviation well described by the law $\Delta \mathrm{E}_{\mathrm{y}, \mathrm{z}}=0.4 \sqrt{\sum_{i}\left|\mathrm{E}_{\mathrm{T}}\right|}$, where all units are in GeV and the quantity under the square root is the scalar sum of all transverse energy contributions recorded in the event (fig. 1). The distributions have Gaussian shape and no prominent tails. The longitudinal component of energy $\Delta E_{x}$ is affected by the energy flow escaping through the $0^{\circ}$ singularity of the collider's beam pipe and it cannot be of much practical use. We remark that, like neutrinos, high-energy muons easily penetrate the calorimeter and leak out substantial amounts of energy. A muon detector, consisting of stacks of eight planes of drift chambers, surrounds the whole apparatus and has been used to identify such processes, which are occurring at the level of 1 event per nanobarn for $\Delta E_{y, z} \geq 10 \mathrm{GeV}$.
5. DATA-TAKING AND INITIAL EVENT SELECTIONS

The present work is based on data recorded in a 30-day period during November and December 1982. The integrated luminosity after subtraction of dead~time and other instrumental inefficiencies was $18 \mathrm{nb}^{-1}$, corresponding to about $10^{9}$ collisions between protons and antiprotons at $\sqrt{\mathbf{s}}=540 \mathrm{GeV}$.

For each beam-beam collision detected by scintillator hodoscopes, the energy depositions in all calorimeter cells after fast digitization were processed, in the time prior to the occurrence of the next bear-beam crossing, by a fast arithmetic processor in order to recognize the presence of a localized electromagnetic energy deposition, namely of at least 10 GeV of transverse energy either in two gondola elements or in two bouchon petals. In addition, we have simultaneously


Fig. 1

The missing transverse energy in the $y$ direction $\left[\Delta E_{y}(G e V)\right]$ plotted versus the scalar sum of missing transverse energy $\left[E_{T}(G e V)\right]$ for minimum bias triggers. The y-axis is pointing up vertically.
operated three other trigger conditions: i) a jet trigger, with 215 GeV of transverse energy in a localized cluster [7] of elestromagnetic and hadron calorimeters; ii) a global $\mathrm{E}_{\mathrm{T}}$ trigger, with $>40 \mathrm{GeV}$ of total transverse energy from all calorimeters with $|n|<1.4$; and iii) a muon trigger, namely at least one penetrating track with $|n|<1.3$ pointing to the diamond.

The electron trigger rate was about 0.2 event per second at the (peak) luminosity $\mathrm{L}=5 \times 10^{2 \theta} \mathrm{~cm}^{-2} \mathrm{~s}^{-1}$. Collisions with residual gas or with vacuum chamber walls were completely negligible, and the apparatus in normal machine conditions yielded an almost pure sample of beam-beam collisions. In total, $9.75 \times 10^{5}$ triggers were collected, of which $1.4 \times 1.0^{5}$ were characterized by an electron trigger flag.

Event filtering by calorimetric information was further perfected by off-line selection of 28,000 events with $\mathrm{E}_{\mathrm{T}}>15 \mathrm{GeV}$ in two gondolas, or $\mathrm{E}_{\mathrm{T}}>15 \mathrm{GeV}$ in two bouchon petals with valid position-detector information. These events were finally processed with the central detector reconstruction. Of these events there are 2125 with a good quality, vertex-associated charged track of $p_{T}>7 \mathrm{GeV} / \mathrm{c}$. This sample will be used for the subsequent analysis of events in the gondolas.

## 6. SEARCH FOR ELECTRON CANDIDATES

We now require three conditions in succession in order to ensure that the track is isolated, namely to reject the debris of jets:
i) The fast track ( $\mathrm{p}_{\mathrm{T}}>7 \mathrm{GeV} / \mathrm{c}$ ) as recorded by the central detector must hit an pair of adjacent gondolas with transverse ener $\xi_{1} \mathrm{E}_{\mathrm{T}}>15 \mathrm{GeV}$ (1106 events).
ii) Other charged tracks, entering the same pair of gondolas, must not add up to more than $2 \mathrm{GeV} / \mathrm{c}$ of transverse momenta (276 events).
iii) The $\phi$ information from pulse division from gonola phototubes must agree within $3 \sigma$ with the impact of the track ( 167 events). Next we introduce two simple conditions to enhance its electromagnetic nature:
iv) The energy deposition $E_{c}$ in the hadronic calorimeters aimed at by the track must not exceed 600 MeV ( 72 events).

## EVENTS WITHOUT JETS



Fig. 2b

The missing transverse energy ( $E_{V}$ ) is plotted vectorially against the electron direction for the events yielded by the electron search:
a) without jets, b) with jets.
v) The energy deposited in the gondolas $E_{\text {gon }}$ must match the measurement of the momentum of the track $P_{C D}$, namely $\left|1 / \mathrm{P}_{\mathrm{CD}}-1 / \mathrm{E}_{\text {gon }}\right|<3 \sigma$.
At this point only 39 events are left, which were individually examined by physicists on the visual scanning and interactive facility Megatek. The surviving events break up cleanly into three classes, namely 5 events with no jet activity [8], 11 with a jet opposite to the track within a $30^{\circ}$ angle in $\phi$, and 23 with two jets (one of which contains the electron candidate) or clear $\mathrm{e}^{+} \mathrm{e}^{-}$conversion pairs. A similar analysis performed on the bouchon has led to another event with no jets. The classes of events have striking differences. We find that whilst events with jet activity have essentially no missing energy (fig. 2b) [9], the ones with no jets show evidence of a missing transverse energy of the same magnitude as the transverse electron energy (fig. 3a), with the vector momenta almost exactly balanced back-to-back (fig. 2a). In order to assess how significant the effect is, we proceed to an alternative analysis based exclusively on the presence of missing transverse energy.
7. SEARCH FOR EVENTS WITH ENERGETIC NEUTRINOS

We start again with the initial sample of 2125 events with a charged track of $\mathrm{p}_{\mathrm{T}}>7 \mathrm{GeV} / \mathrm{c}$. We now move to pick up validated events with a high missing transverse energy and with the candidate track not part of a jet:
i) The track must point to a pair of gondolas with deposition in excess of $\mathrm{E}_{\mathrm{T}}>15 \mathrm{GeV}$ and no other track with $\mathrm{p}_{\mathrm{T}}>2 \mathrm{GeV} / \mathrm{c}$ in a $20^{\circ}$ cone (911 events).
ii) Missing transverse energy imbalance in excess of 15 GeV .

Only 70 events survive these simple cuts, as shown in fig. 4. The previously found 5 jetless events of the gondolas are clearly visible. At this point, as for the electron analysis, we process the events at the interactive facility Megatek:
iii) The missing transverse energy is validated, removing those events in which jets are pointing to where the detector response is limited, i.e. corners, light-pipe ducts going up and down. Some very evident, big secondary interactions in the beam pipe are also removed. We are left with 31 events, of which 21 have $\mathrm{E}_{\mathrm{c}}>0.01 \mathrm{E}_{\text {gon }}$ and 10 events in which $\mathrm{E}_{\mathrm{c}}<0.01 \mathrm{E}_{\text {gon }}$.

## EVENTS WITHOUT JETS EVENTS WITH JETS



Fig. 3

The components of the missing energy parallel and perpendicular to the electron momentum plotted versus the electron energy for the events found in the electron search: a) without jets, b) with jets.


Fig. 4 : The distribution of the square of the missing transverse energy for those events which survive the cuts requiring association of the central detector isolated track and a struck gondola in the missingenergy search. The five jetless events firom the electron search are indicated.
iv) We require that the candidate track be well isolated, that there is no track with $\mathrm{P}_{\mathrm{T}}>1.5 \mathrm{GeV}$ in a cone of $30^{\circ}$, and that $\mathrm{E}_{\mathrm{T}}<4 \mathrm{GeV}$ for neutrals in neighbouring gondolas at similar $\phi$ angle. Eighteen events survive: ten with $E_{c} \neq 0$ and eight with $E_{c}=0$.
The events once again divide naturally into the two classes: 11 events with jet activity in the azimuth opposite to the track, and 7 events without detectable jet structure. If we now examine $E_{c}$, we see that these two classes are strikingly different, with large $E_{c}$ for the events with jets (fig. 5b) and negligible $E_{c}$ for the jetless ones (fig. 5a). We conclude that whilst the first ones are most likely to be hadrons, the latter constitute an electron sample.

We now compare the present result with the candidates of the previous analysis based on electron signature. We remark that five out of the seven events constitute the previous final sample (fig. 5a). Two new events have been added, eliminated previously by the test on energy matching between the central detector and the gondolas. Clearly the same physical process that provided us with the large$\mathrm{P}_{\mathrm{T}}$ electron delivers also high-energy neutrinos. The selectivity of our apparatus is sufficient to isolate such a process from either its electron or its neutrino features individually. If ( $\left.\nu_{e}, e\right)$ pairs and $\left(\nu_{\tau}, \tau\right)$ pairs are both produced at comparable rates, the two additional new events can readily be explained since missing energy can arise equally well from $\nu_{e}$ and $\nu_{\tau}$. Indeed, closer inspection of these events shows them to be compatible with the $\tau$ hypothesis, for instance, $\tau^{-} \rightarrow \pi^{-} \pi^{0} U_{\tau}$ with leading $\pi^{0}$. However, our isolation requirements on the charged track strongly biases against most of the $\tau$ decay modes.

## 8. DETAILED DESCRIPTION OF THE ELECTRON-NEUTRINO EVENTS

The main properties of the final sample of six events (five gondolas, one bouchon) are given in table 2 and marked $A$ through $F$. The event $G$ is a $\tau$ candidate. One can remark that both charges of the electrons are represented. The successive energy depositions in the gondola samples are consistent with test beam findings. All but event $D$ have no energy deposition in the hadron calorimeter; event $D$ has a 400 MeV visible, $1 \%$ energy leakage beyond 25 radiation lengths. Test


EVENTS
WITH JETS




Fig. 5 : A plot of the transverse energy in the e.m. calorimeters versus the fraction of energy deposited in the hadron calorimeters for events which survive the missing-energy search: a) without jets, b) with jets.

## Table 2

Main parameters of electron events with a large missing transverse energy

| $\begin{aligned} & \text { foun, } \\ & \text { event } \end{aligned}$ | Properties of the electron track |  |  |  |  |  |  |  |  |  | Calorimeter information |  |  |  |  | General event topology |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\begin{aligned} & \mathrm{E}_{\mathrm{T}} \\ & (\mathrm{GeV}) \end{aligned}$ | $\begin{gathered} E \\ (\mathrm{GeV}) \end{gathered}$ |  | $\Delta \mathrm{pa}$ a | Q | $\begin{gathered} \mathrm{dE} / \mathrm{dx} \\ \mathrm{I} / \mathrm{I}_{0} \end{gathered}$ | y b) | Track <br> No. | (m) | Sagitta <br> (mxn) | Electromagnetic energy deposition |  |  |  | Ehad <br> (GeV) | $\begin{aligned} & \mathrm{E}_{\text {tot }} \\ & (\mathrm{GeV}) \end{aligned}$ | Missing $\mathrm{E}_{\mathrm{T}}$ (GeV) | $\Delta \Phi$ c) <br> (deg.) | Charged tracks | $\begin{aligned} & \sum \mid \mathrm{E}_{\mathrm{T}}! \\ & (\mathrm{GeV}) \end{aligned}$ |
|  |  |  |  |  |  |  |  |  |  |  | Sanyle 1 (GeV) | $\begin{aligned} & \text { Sample } 2 \\ & (\mathrm{GeV}) \end{aligned}$ | $\begin{array}{\|c} \text { Saqple } 3 \\ (\mathrm{GeV}) \end{array}$ | Sample 4 (GeV) |  |  |  |  |  |  |
| A $\begin{array}{r}2958 \\ 1279\end{array}$ | 24 | 39 | 33.8 | $\begin{aligned} & +6.3 \\ & -4.6 \end{aligned}$ | - | $\begin{gathered} 1.22 \\ \pm 0.2 \end{gathered}$ | +1.1 | 36 | 1.36 | 1.7 | 3 | 34 | 2 | 0.2 | 0 | 278 | $24.4 \pm 4.6$ | 179 | 65 | 81 |
| B $\begin{array}{r}3522 \\ \\ 214\end{array}$ | 17 | 46 | 47.5 | +8.2 -6.1 | - | 1.37 $\pm 0.16$ | +1.7 | 18 | 1.64 | 1.5 | 2 | 32 | 10 | 0.5 | 0 | 296 | $11.6 \pm 4.0$ | 219 | 49 | 60 |
| C $\begin{array}{r}3524 \\ \\ \end{array}$ | 34 | 45 | 21.6 | +21.8 +7.2 | - | $\begin{gathered} 1.37 \\ \pm 0.3 \end{gathered}$ | -0.8 | 26 | 1.25 | 2.11 | 1 | 30 | 14 | 0.2 | 0 | 367 | $41.3 \pm 3.6$ | 187 | 21 | 68 |
| D $\begin{array}{r}3610 \\ 760\end{array}$ | 38 | 40 | 33.4 | +33.0 -11.1 | - | $\begin{array}{r} 1.64 \\ \pm 0.34 \end{array}$ | +0.3 | 9 | 0.98 | 0.75 | 3 | 9 | 26 | 2.2 | 0.4 | 111 | $40.0 \pm 2.0$ | 181 | 10 | 47 |
| E $\begin{array}{r}3701 \\ \\ \\ \end{array}$ | 37 | 37 | 56.2 | +121.3 -22.8 | + | 1.54 $\pm 0.28$ | -0.1 | 12 | 0.95 | 0.4 | 1 | 18 | 17 | 0.9 | 0 | 363 | $35.5 \pm 4.3$ | 173 | 39 | 87 |
| F $\begin{array}{r}4017 \\ 838\end{array}$ | 36 | 70 | 53.1 | +6.6 +5.3 | - | $\begin{array}{r} 1.30 \\ \pm 0.26 \end{array}$ | +1.4 | 3 | 2.01 | 2.0 | 19 | 48. | 3 | 0.3 | 0 | 177 | $32.3 \pm 2.4$ | 179 | 14 | 49 |
| G $\begin{aligned} & 3262 \\ & 1108\end{aligned}$ | 40 | 40 | 6.7 | +1.9 -1.2 | - | $\begin{array}{r} 1.23 \\ \pm 0.28 \end{array}$ | 0.0 | 21 | 0.85 | 3.0 | 2 | 22 | 15 | 0.9 | 0 | 218 | $33.4 \pm 2.9$ | 172 | 21 | 63 |

a) Including 200 m systematic error.
b) $y$ is defined as positive in the direction of outgoing $\bar{p}$.
c) Angle between electron and missing energy (neutrino).
beam measurements show that this is a possible fluctuation. Multiplicity of the events is widely different: event $F$ (fig. 6 b , fig. 7 b ) has a small charged multiplicity (14), whilst event A (fig. 6a, fig. 7a) is very rich in particles (65). Event $B$ is the bouchon event, and it has a number of features which must be mentioned. A $100 \mathrm{MeV} / \mathrm{c}$ track emerges from the vacuum chamber near the exit point of the electron track, which might form a part of an asymmetric electron pair with the candidate. The initial angle between the two tracks would then be $11^{\circ}$, not incompatible with this hypothesis once Coulomb scattering and measurement errors of the two tracks are taken into account. There is also some activity in the muon detector opposite to the electron candidate; the ruon track is unmeasurable in the central detector. For these reasons we prefer to limit our final analysis to the events in the gondolas, although we believe that everything is still consistent with event $B$ being a good event.

## 9. BACKGROUND EVALUATIONS

We first consider possible backgrounds to the electron signature for events with no jets. Missing energy (neutrino signature) is not yet advocated. We have taken the following into consideration:

1) A high- $\mathrm{p}_{\mathrm{T}}$ charged pion (hadron) misidentified as an electron, or a high- $\mathrm{p}_{\mathrm{T}}$ charged pion (hadron) overlapping with one or more $\pi^{0}$.

The central detector measurement obviously gives only the momentum $p$ of the charged pion. In addition, the electromagnetic detectors can accumulate an arbitrary amount of electromagnetic energy from $\pi^{0}$ 's, which would simulate the electron behaviour. Since gondolas are thick enoug, to absorb the electromagnetic cascade, the energy deposition in the hadron calorimeter is dominated by the punch-through of the charged pion of momentum $p$ measured in the central detector, for which rejection tables exist from test beam results. In our $18 \mathrm{nb}^{-1}$ sample we have searched for single-track events with $\mathrm{P}_{\mathrm{T}}>20 \mathrm{GeV} / \mathrm{c}$, no associated jet, $\mathrm{E}_{\mathrm{c}}>$ > 600 MeV to ensure hadronic signature, and a reascnable energy balance (within 3 st. dev.) between the charged track momentum measurement and the sum of hadronic and electromagnetic energy depositions. We have fcund no such event. Once the

EVENT 2958. 1279.


Fig. 6a

EVENT 4017. 838.


Fig. 6b

The digitizations from the central detector for the tracks in two of the events which have an identified, isolated, well-measured high- $\mathrm{p}_{\mathrm{T}}$ electron: a) high-multiplicity, 65 associated tracks;
b) low-multiplicity, 14 associated tracks.


Fig. 7 : The energy deposited in the cells of the central calorimetry and the equivalent plot for track momenta in the central detector for the two events of fig. 6. The top diagram shows the electromagnetic cells, the middle shows the central detector tracks, and the bottom plot, with a very much increased sensitivity, shows the energy in the hadron calorimeter. The plots reveal no hadronic energy behind the electron and no jet structure; a) high multiplicity, b) low multiplicity.
measured pion rejection table is folded in, this background is entirely negligible. A further test against pile-up is given by the matching in the $x$-direction between the charged track of the central detector and the centroid of the energy depositions in the gondolas, and which is very good for all events.
2) High- $\mathrm{p}_{\mathrm{T}} \pi^{0}, \eta^{0}$, or $\gamma$ internally (Dalitz) or externally converted to an $e^{+} e^{-}$pair with one leg missed. The number of isolated e.m. conversions ( $\pi^{0}, \eta, \gamma$, etc.) per unit of rapidity has been directly measured as a function of $\mathrm{E}_{\mathrm{T}}$ in the bouchons, using the position detectors over the interval $10-40 \mathrm{GeV}$. From this spectrum, the Bethe-Heitler formula for pair creation, and the Kroll-Wada formula for Dalitz pairs [10], the expected number of events with a "single" $e^{ \pm}$with $p_{T}$ > $>20 \mathrm{GeV} / \mathrm{c}$ is $0.2 \mathrm{p}_{0}$ (in $\mathrm{GeV} / \mathrm{c}$ ), largely independent of the composition of the e.m. component; $p_{0}$ is the effective momentum below which the low-energy leg of the pair becomes undetectable. Very conservatively, we can take $p_{0}=200 \mathrm{MeV} / \mathrm{c}$ (curvature radius 1.2 m ) and conclude that this background is negligible.
3) Heavy quark associated production, followed by pathological fragmentation and decay configuration, such that $Q_{1} \rightarrow e(\nu X)$ with the electron leading and the rest undetected, and $Q_{2} \rightarrow V(\ell X)$, with the neutrino leading and the rest undetected. In $5 \mathrm{nb}^{-1}$ we have observed one event in which there is a muon and an electron in separate jets, with $\mathrm{p}_{\mathrm{T}}^{(\mu)}=4.4 \mathrm{GeV} / \mathrm{c}$ and $\mathrm{p}_{\mathrm{T}}^{(\mathrm{e})}=13.3 \mathrm{GeV} / \mathrm{c}$. Requiring i) extrapolation to the energy of the events, ii) fragmentation functions for leading lepton, and iii) a detection hole for all remaining particles, makes the rate of these background events negligible.

In conclusion, we have been unable to find a background process capable of simulating the observed high-energy electrons. Thus we are led to: the conclusion that they are electrons. Likewise we have searched for backgrounds capable of simulating large- $\mathrm{E}_{\mathrm{T}}$ neutrino events. Again, none of the processes considered appear to be even near to becoming competitive.
10. COMPAR.ISON BETWEEN EVENTS AND EXPECTATIONS FROM W IECAYS

The simultaneous presence of an electron and (one) neutrino of approximately equal and opposite momenta in the transverse direction (fig. 8) suggests the presence of a two-body decay, $W \rightarrow e+v_{e}$. The main kinematical quantities of the events are given in table 3. A lower, model-independent bound to the $W$ mass $m_{W}$ can be obtained from the transverse mass, $m_{T}^{2}=2 p_{T}^{(\epsilon)} p_{T}^{(\nu)}\left(1-\cos \phi_{\nu_{e}}\right)$, remarking that $m_{W} \geq m_{T}$ (fig. 9). We conclude that:

$$
\mathrm{m}_{\mathrm{W}}>73 \mathrm{GeV} / \mathrm{c}^{2} \text { (90\% confidence level) }
$$

A better accuracy can be obtained from the data if one assumes W decay kinematics and standard V-A couplings. The transverse momentum distribution of the W at production also plays a role. We can either i) extract it from the events (table 3); or, ii) use theoretical predictions [11].

As one can see from fig. 10, there is good agreement between two extreme assumptions of a theoretical model [11] and our observations. By requiring no associated jet, we may have actually biased our sam.ple towards the narrower firstorder curve. Fitting of the inclusive electron spectrum and using full QCD smearing gives $m_{W}=74+4 \mathrm{GeV} / \mathrm{c}^{2}$. The method finally used is the one of correcting, on an event-to-event basis, for the transverse $W$ motion from the ( $E_{V}-E_{e}$ ) imbalance, and using the Drell-Yan predictions with no smearing. The result of a fit on electron angle and energy and neut trino transverse energy with allowance for systematic errors, is

$$
\mathrm{m}_{\mathrm{W}}=81+5 \mathrm{GeV} / \mathrm{c}^{2}
$$

in excellent agreement with the expectation of the Weinberg-Salam model [2].
We find that the number of observed events, once detection efficiencies are taken into account, is in agreement with the cross-section estimates based on structure functions, scaling violations, and the Weinberg-Salam parameters for the W particle [5].

Table 3
Transverse mass and transverse momentum of a W decaying into an electron and a neutrino computed from the events of table 2

| Run, event | $\mathrm{p}_{\mathrm{T}}^{(\mathrm{e})}$ of ${ }^{\mathrm{p}} \mathrm{P}$ ectron ( $\mathrm{GeV} / \mathrm{c}$ ) | $\begin{gathered} \mathrm{p}_{\mathrm{T}}(\mathrm{~V})= \\ \operatorname{mising} \mathrm{E}_{\mathrm{T}} \\ (\mathrm{GeV}) \end{gathered}$ | Transverse mass $\left(\mathrm{GeV} / \mathrm{c}^{2}\right)$ | $\left.\begin{aligned} & \mathrm{p}_{\mathrm{T}}^{(\mathrm{W})}= \underset{(\mathrm{GeV})}{(\mathrm{e})} \\ & \mathrm{p}_{\mathrm{T}} \\ & \mathrm{p}_{\mathrm{T}} \end{aligned} \overrightarrow{\mathrm{p}}_{\mathrm{T}}^{(\mathrm{v})} \right\rvert\,$ |
| :---: | :---: | :---: | :---: | :---: |
| $\begin{array}{ll}  & 2958 \\ \text { A } \\ 1279 \end{array}$ | $24 \pm 0.6$ | $24.4 \pm 4.6$ | $48.4 \pm 4.6$ | $0.6 \pm 4.6$ |
| B $\begin{array}{r}3522 \\ \\ \hline\end{array}$ | $17 \pm 0.4$ | $11.6 \pm 4.0$ | $26.5 \pm 4.6$ | $10.8 \pm 4.0$ |
| C 3524 | $34 \pm 0.8$ | $41.3 \pm 3.6$ | $74.8 \pm 3.4$ | $8.6 \pm 3.7$ |
| D $\begin{array}{r}3610 \\ 760\end{array}$ | $38 \pm 1.0$ | $40.0 \pm 2.0$ | $78.0 \pm 2.2$ | $2.1 \pm 2.2$ |
| $\begin{array}{r}  \\ \text { E } \quad 3701 \\ 305 \end{array}$ | $37 \pm 1.0$ | $35.5 \pm 4.3$ | $72.4 \pm 4.5$ | $4.7 \pm 4.4$ |
| $\begin{array}{r}  \\ F \end{array} \begin{array}{r} 4017 \\ 838 \end{array}$ | $36 \pm 0.7$ | $32.3 \pm 2.4$ | $68.2 \pm 2.6$ | $3.8 \pm 2.5$ |

## EVENTS WITHOUT JETS



Fig. 8

The missing transverse energy component parallel to the electron, plotted versus the transverse electron energy for the final six electron events without jets ( 5 gondolas, 1 bouchon). All the events in the gondolas appear well above the threshold cuts used in the searches.


Fig. 9
The distribution of the transverse mass derived from the measured electron and neutrino vectors of the six electron events.


Fig. 10
The transverse momentum distribution of the W derived from our events, using the electron and missing-energy vectors. This is compared with the theoretical predictions of Halzen et al. [11] for W production without $\left[O\left(\alpha_{s}\right)\right]$ and with QCD smearing.

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