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The silicon vacancy centers in SiC: determination of intrinsic spin dynamics for integrated quantum photonics



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The negatively charged silicon vacancy center (V_{Si}^-) in silicon carbide (SiC) is an emerging color center for quantum technology covering quantum sensing, communication, and computing. Yet, limited information currently available on the internal spin-optical dynamics of these color centers prevents us from achieving the optimal operation conditions and reaching the maximum performance especially when integrated within quantum photonics. Here, we establish all the relevant intrinsic spin dynamics of the V_{Si}^- center at cubic lattice site (V2) in 4H-SiC by an in-depth electronic fine structure modeling including the intersystem-crossing and deshelling mechanisms. With carefully designed spin-dependent measurements, we obtain all the previously unknown spin-selective radiative and non-radiative decay rates. To showcase the relevance of our work for integrated quantum photonics, we use the obtained rates to propose a realistic implementation of time-bin entangled multi-photon GHZ and cluster state generation. We find that up to three-photon GHZ or cluster states are readily within reach using the existing nanophotonic cavity technology.

Solid-state spin qubits based on color centers in wide bandgap semiconductors are one of the leading platforms for quantum networks, information processing, and sensing^{1–4} owing to their robust spin-optical properties and long coherence times. Among many available host materials^{5–7}, silicon carbide (SiC) particularly stands out as a wafer-scalable material with well-established isotopic engineering and compatibility with today's complementary metal-oxide-semiconductor (CMOS) micro-fabrication technology providing a path towards scalable systems. Rapid progress with spin qubits in SiC has already been made including the milestone demonstrations of millisecond spin coherence times at room temperature^{8,9}, high-fidelity spin and optical control¹⁰, coherent spin-photon interfaces¹¹, entanglement with nuclear spin registers¹², and single-shot charge readout¹³. Capitalizing on the SiC's material advantages, steps towards scalability have also been implemented through successful integration of negatively charged silicon vacancy color centers (V_{Si}^-) into nanophotonic waveguides¹⁴ and resonators^{15–17}, the latter one being compatible with SiC-on-insulator processing¹⁸. These proof-of-concept demonstrations identify the cubic lattice site V_{Si}^- , i.e. V2 in 4H-SiC as a

strong contender for quantum applications based on a dense integration of multiple color centers on one chip. Further progress towards fully scalable integrated solutions with V2 is necessitated by a complete understanding of its intrinsic spin-optical dynamics to guide the engineering efforts of cavity-emitter coupling and optimization of spin and optical properties. It will also provide the critical insights and metrics necessary for developing realistic quantum network applications.

In this paper, we focus on the V2 center in 4H-SiC occupying the cubic lattice site having a much larger zero-field splitting⁸ (ZFS) in the ground state compared to the hexagonal-site V1 center¹⁰. This larger ZFS leads to a much faster ground-state spin manipulation and higher state fidelities¹⁹. We reveal the comprehensive internal spin dynamics of the V2 center by theoretical characterization of its electronic structure. The theory is confirmed by our experimental investigations, which include the measurements of spin-selective excited state (ES) lifetimes, ground state spin initialization via resonant and off-resonant laser excitation, as well as probing the intricate dynamics within the metastable state (MS) manifolds via spin manipulation combined with a delayed pulse measurement. In this way, we determine all

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the spin-dependent radiative and non-radiative transition rates and identify the intersystem crossing (ISC) mechanism which all play a crucial role in defining realistic protocols for scalable quantum network applications. To showcase this, we develop a protocol for generating time-bin entangled multi-photon Greenberger-Horne-Zeilinger²⁰ (GHZ) and cluster states²¹, which are particularly important for quantum network applications, one-way quantum computation, and quantum repeaters. Using the involved intrinsic transition rates and ISC mechanism, we provide estimates for quantum efficiencies, state fidelities, optimal pulse timings, and minimum requirements for a cavity enhancement of radiative lifetimes. The approaches and insights developed here are also directly applicable to other color centers and their benchmarking for specific applications.

Results

Electronic fine structure of V_{Si}^- in 4H-SiC

The crystal structure of 4H-SiC allows for two nonequivalent lattice sites, so-called hexagonal (h) and cubic (k) sites, to be occupied by the deep center V_{Si}^- defect. Defects belonging to the h- and k-sites, referred to as the V1 and V2 centers, have distinct optical resonant excitation signatures at zero-phonon line (ZPL) wavelengths of 862 nm and 916 nm, respectively. Five active electrons present in V1 and V2, originating from the four sp^3 dangling bonds surrounding the vacancy and an additional captured negative charge, result with optically active ground and excited states in a Kramer's degenerate $S = 3/2$ spin quartet configuration.

Both V1 and V2 have a local symmetry that belongs to the C_{3v} double point group that is only slightly distorted from the cubic T_d symmetry. In the case of V2, this distortion is stronger because of the additional next nearest neighbor silicon atom present along the c-axis for k-sites. As we will show in this work, this leads to a completely different spin-optical dynamics of the V2 center compared to the formerly studied V1 center²².

To investigate the dynamics of the V2 center (from now on dubbed as V_{Si}^- center), we use the group theoretical framework, developed by Soykal et al.²³, based on multi-particle symmetry adapted total wavefunctions built from single-electron molecular orbitals (MOs) and linear combinations of localized many body sp^3 orbitals. Combining the theory and our experimental measurements, we reveal all the spin-dependent radiative and non-radiative transition rates, and as a result the intrinsic optical and spin dynamics of V_{Si}^- . Our results corroborate a complete picture of all the metastable-state doublets involved in the ISC and spin polarization of this defect with their relevant coupling mechanisms (spin-orbit, dynamic pseudo-Jahn Teller, and optical deshelling) as explained in the following subsections. Although the possible involvement of higher-lying doublets within the ISC was previously pointed out by Dong et al.²⁴, some of the crucial ISC doublet states were either missing or obtained incorrectly there, e.g. missing an extra uve doublet or not satisfying the orthonormality condition for the presented one. Coupled with lack of prior experimental data, critical mechanisms such as pseudo-Jahn Teller effect and involvement of a deshelling state were also not identified leaving the ISC still an open question. The comprehensive V_{Si}^- electronic fine structure is shown in Fig. 1a, in terms of MOs obtained by group theoretical analysis and considerations of many-body spin-orbit, spin-spin, and exchange interactions (see Supplementary Note 2).

The ground state (GS) manifold contains a spin-quartet state in an orbital-singlet ($^4A_2 : ve^2$) configuration and five metastable spin-doublet states. These doublets consist of two orbital-singlet ($^2A_1, ^2A_2 : ve^2$) and three orbital-doublet ($^2E : ve^2, e^3, v^2e$) configurations (see ref. 23 and Supplementary Note 2). The first excited state manifold differs from the ground state solely in the u orbital, replacing v ($ve^2 \rightarrow ue^2$). This leads to a spin-quartet orbital-singlet state ($^4A_2 : ue^2$) and three metastable spin-doublet states. These doublets consist of two orbital-singlets ($^2A_1 : ue^2, ^2A_2 : ue^2$) and an orbital-doublet ($^2E : ue^2$) configurations. It has been shown that the charge distribution localized on the nearest neighbor basal plane carbon atoms has an opposite parity for the u and v MOs, making the transition dipole moment ($\mu_{ve^2 \rightarrow ue^2}$ less sensitive to fluctuations in non-axial local electric field and strain, even though V_{Si}^- defect lacks an inversion symmetry²⁵. This explains

the experimentally observed high spectral stability of V_{Si}^- center during a continuous resonant optical excitation^{14,16}. The second excited state manifold includes another optically active spin-quartet orbital-doublet ($^4E : uve$), which is split by the spin-orbit coupling, as well as two metastable spin-doublet orbital-doublet states ($^2E : uve$). The symmetry-allowed spin-orbit coupling channels are indicated in Fig. 1a (dashed lines and arrows).

Based on the described fine structure and the allowed coupling channels, we develop a simplified and a fully equivalent energy level model of the V_{Si}^- center as shown in Fig. 1b. It consists of Kramer's degenerate ground and excited states for the spin subspaces $m_s = \pm 1/2$ and $m_s = \pm 3/2$, and three effective metastable states, which can be further reduced to two as we show in the analysis below. The spin-conserving optical transitions between ground and excited states are denoted by O_1 and O_2 for each spin subspace whereas the additional radiative and intersystem-crossing (ISC) rates are denoted by γ_i . In this work, we use resonant and off-resonant optical excitation methods to extract all the transition rates shown in Fig. 1b, and we will show that the results are in excellent agreement with our theoretical calculations. The intrinsic spin dynamics of the V_{Si}^- defect under optical illumination is governed by the radiative transitions between states of the same spin multiplicity as well as nonradiative ISCs between states of different spin multiplicity. In the case of optical excitation of the first excited state, the ISC is established by two processes involving:

- Transitions from the optical ($^4A_2 : ue^2$) first excited spin-quartet state to energetically higher metastable spin-doublet states ($^2E : v^2e, ^2A_1 : ve^2$).
- Transitions from the metastable spin-doublet states ($^2E : e^3, v^2e$) to the ground spin-quartet ($^4A_2 : ve^2$) state.

Both processes are mediated by a combination of spin-orbit (spin-lowering/raising) and electron-phonon (spin-conserving) interactions. The ISC mechanisms involved in these transitions can be explained intuitively using the simpler MO picture as shown in Fig. 1c.

ISC mechanism

The upper ISC mechanism is governed by the $\gamma_{1,2}$ and $\gamma'_{1,2}$ rates (ES to MSs) in Fig. 1b. It consists of transitions from the $^4A_2 : ue^2$ spin quartet state to the $^2E : v^2e$ and $^2A_1 : ve^2$ spin-doublets, being assisted by both the spin-orbit coupling and the electron-phonon interaction. Consider the system to be initially in the excited state ue^2 spin-quartet configuration, as shown in the inset (i) of Fig. 1c. From here, and as shown in the inset (ii) of Fig. 1c, the spin-orbit coupling (α_{j,j_s}) can promote an electron from the v orbital to the \bar{e}_x orbital. This is followed by a fast spin-conserving decay of a second electron from the \bar{v} orbital to the \bar{u} orbital via either a photon emission or a phonon relaxation process. This then leads to the v^2e spin-doublet configuration. The inset (iii) of Fig. 1c shows an alternative pathway from the configuration in (i). Here, the spin-orbit coupling (α_{z,z_s}) can promote an electron from the e_y to the \bar{e}_x orbital. Again, this is followed by the $\bar{v} \rightarrow \bar{u}$ decay, resulting in the ve^2 spin-doublet. In fact, due to the stronger spin-orbit coupling along the c-axis ($\alpha_z > \alpha_{x,y}$), the latter process (iii) is expected to be faster than (ii), which will be confirmed by our experimental investigations. As shown in the inset (iv) in Fig. 1c, we must also consider that the ve^2 and the e^3 spin-doublet states can be vibrationally coupled together by the e -symmetry acoustic phonons ($^2A_1 \times e \times ^2E$) via the pseudo-Jahn Teller (PJT) effect. This allows the ve^2 spin-doublet of (iii) to transition into the e^3 spin-doublet state at a relatively fast dynamic relaxation rate ($\gamma_{n1} \gg \gamma_{1,2}$) which redistributes most of the population into the e^3 spin-doublet during an optical excitation cycle.

Deshelling mechanism

Subsequently, the non-radiative transition of the e^3 spin-doublet state to the ground ve^2 spin-quartet state forms the basis of the lower ISC mechanism represented by the effective $\gamma_{3,4}$ rates (MS to GS). In the MS manifold, the ve^2 doublets experience ultra-fast relaxation to the e^3 doublets (γ_{n1}), which is why we can combine them into a single effective spin-doublet state. On the other hand, the v^2e state lacks a similar fast relaxation path ($\gamma_{n2} \sim 0$), thus resulting in low non-radiative decay rates $\gamma'_{3,4}$ to the ground state. Interestingly, the rather long lifetime of the v^2e state can result in a sizeable optical excitation

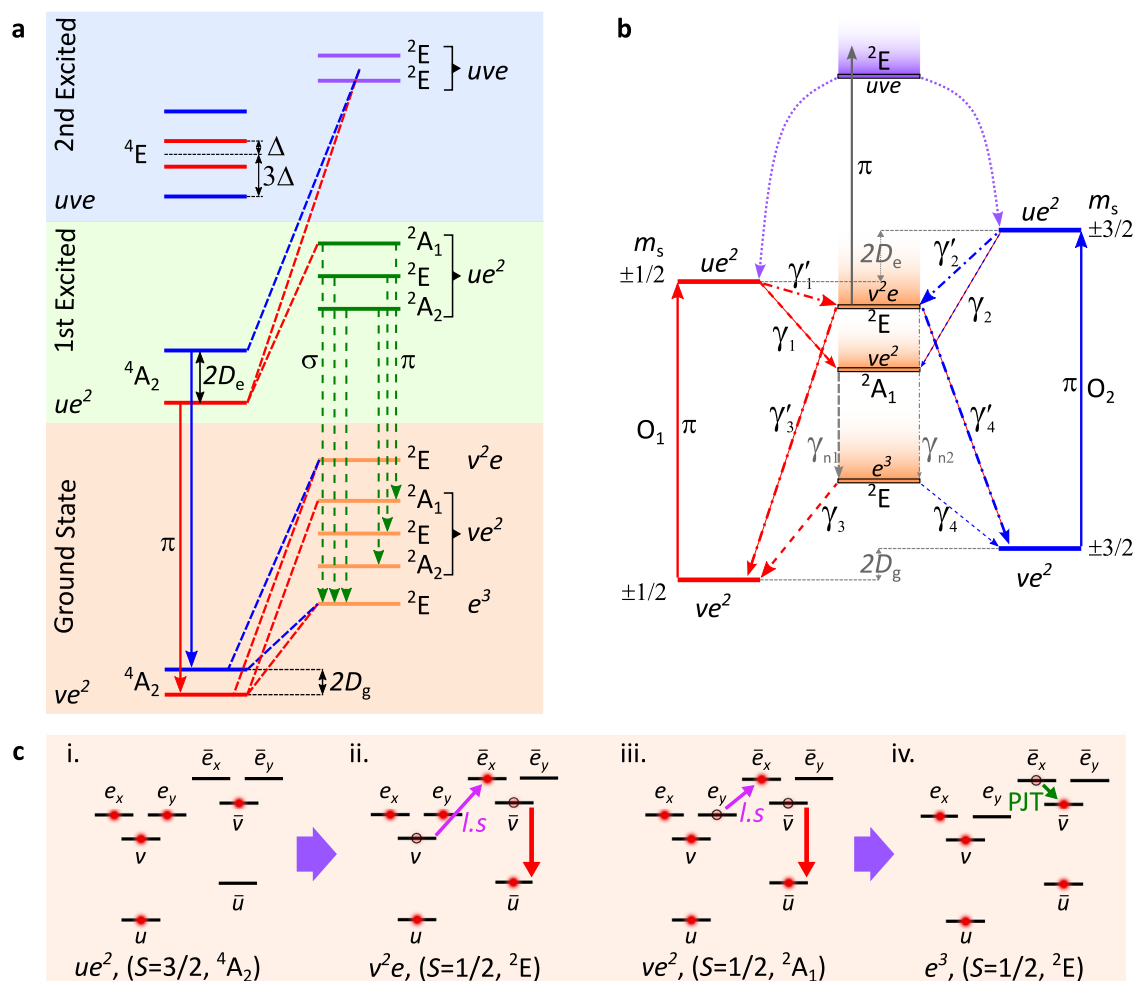


Fig. 1 | Energy levels and the intersystem crossing mechanism of the V_{Si}^- center. **a** Schematic of the electronic fine structure of V_{Si}^- center including the spin-orbit direct coupling between the quartets and the doublets. Energy levels are not-to-scale. **b** The spin-selective ISC channels enabled by the spin-orbit and vibronic coupling. **c** Molecular orbital configurations of the states involved in the ISC. The bar (no bar) over the orbitals represents the spin majority (minority) channel within the spin

polarized molecular orbital (MO) picture. Starting from the (i) configuration, the configurations (ii) and (iii) can be reached by spin-orbit (purple arrows) enabled transitions accompanied by a fast optical or phonon assisted relaxation from the \bar{v} orbital to the \bar{u} orbital (red arrow). Configuration (iii) can also transition into (iv) enabled by the pseudo-Jahn Teller effect (green solid arrow).

rate into the higher-lying uve spin-doublet state (Fig. 1b). In this previously unknown deshelling process, an electron is promoted from the \bar{u} to the \bar{v} orbital (solid gray line in Fig. 1b). Here, the optical excitation is required to have the same polarization (π) and similar energy as the O_1 and O_2 transitions (only differing by the electron exchange correlations). The cycle is then completed by a spin-orbit mediated non-radiative transition from the uve spin-doublet to the ue^2 first excited state (purple dashed arrows in Fig. 1b). This mechanism is expected to manifest itself as a laser power-dependent $\gamma'_{3,4}$ rates during a continuous resonant or off-resonant optical excitation of the V_{Si}^- defect further evidenced by our experimental observations.

The effective rate model for V2 is summarized into a six-level rate model (see Supplementary Note 1) as: 1) the metastable-state doublets ve^2 and lowest e^3 are combined into one level due to ultrafast relaxation (γ_{n1}), and 2) the power-dependent deshelling mechanism is represented by the power-dependent decay rates $\gamma'_{3,4}$. Our theoretical calculations are based on this effective six levels to model the experimental data for inferring all the relevant rates.

Experimental determination of the spin-dependent excited-state lifetimes

Firstly, we measure the spin-dependent excited-state lifetimes using the experimental sequence depicted in Fig. 2a (see Methods and ref. 22). A

“repump” laser pulse is used to ensure that the V_{Si}^- center is in the desired negative charge state. This is followed by a sub-lifetime short (1.5 ns) laser pulse at 916.5 nm, resonant with either the O_1 or O_2 transition. The fluorescence decay signal is recorded and subsequently fitted using a single exponential function as shown in Fig. 2b. We determine the excited-state lifetimes of bulk V2 centers as 6.1 ns and 11.3 ns for the O_1 and O_2 transitions, respectively.

Here, we note that the O_2 lifetime is almost twice as long as O_1 , which is in stark contrast with the two nearly identical spin-dependent excited state lifetimes of V1 center in 4H-SiC²². This indicates the V2 center has a much slower intersystem crossing for the $\pm 3/2$ spin sublevels associated with the O_2 transition (compared to the spin $\pm 1/2$ sublevels belonging to the O_1 optical transition). This also implies a significantly higher quantum efficiency for the O_2 transition which has been experimentally observed in a recent work with the V2 centers integrated into nanophotonic resonators¹⁶.

Probing the metastable-state dynamics of the V2 center

We now investigate the predominant decay processes out of metastable states. This requires pumping of the system into the MSs followed by the determination of subsequent spin populations $p_{1/2}$ and $p_{3/2}$ within the spin subspaces of $m_s = \pm 1/2$ and $m_s = \pm 3/2$, respectively. For these studies, we take advantage of the following three key features:

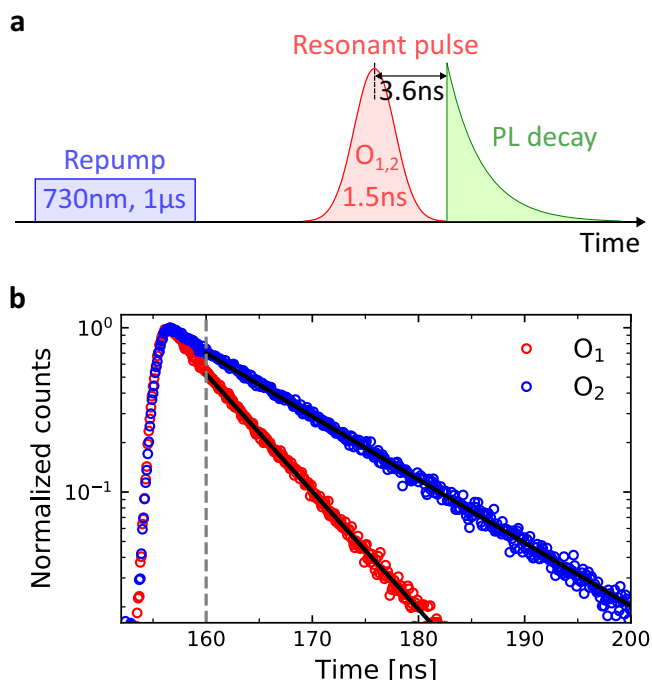


Fig. 2 | Spin-dependent excited-state lifetimes of a single V2 center. **a** Measurement sequence consisting of charge-state initialization with off-resonant laser followed by O_1 or O_2 sub-lifetime short pulses, and fluorescence decay detection. **b** Fluorescence decay signals from the excited states. Solid black lines are single exponential fits.

First, it is known that a prolonged off-resonant excitation of V_{Si}^- center pumps the system into the MS which is followed by a partial, non-complete spin polarization. It is assumed that the $m_s = \pm 1/2$ subspace shows a slightly higher population compared to the $m_s = \pm 3/2$ subspace²⁶.

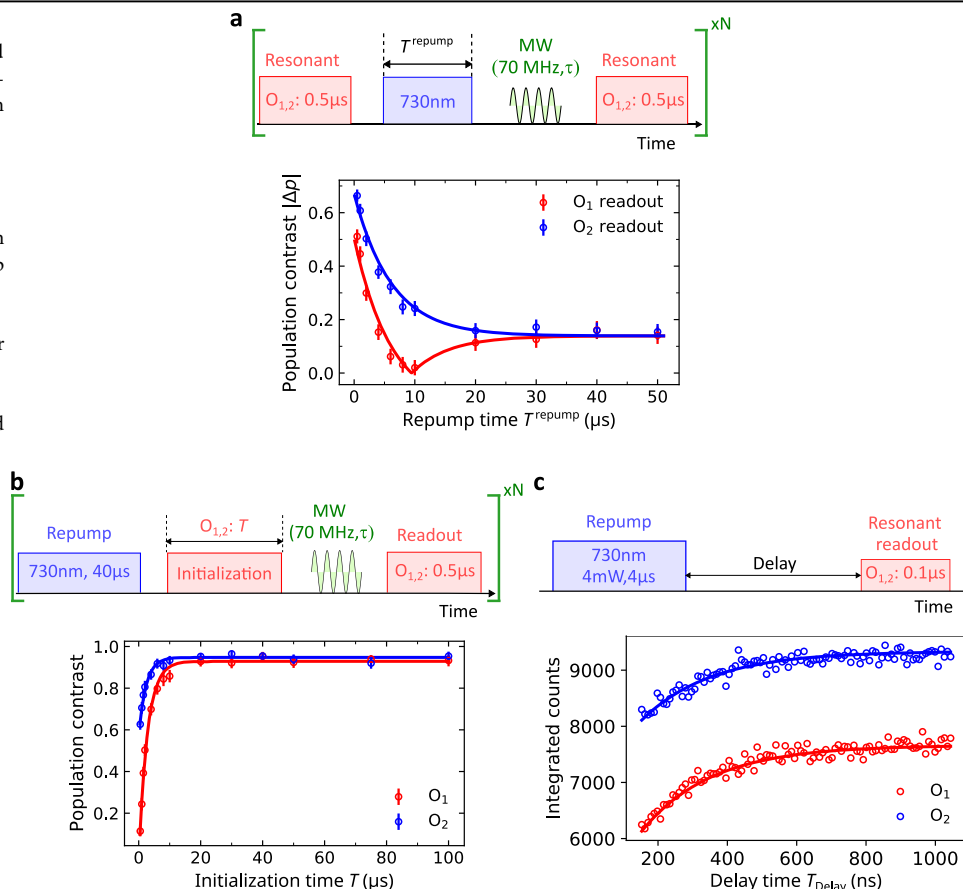
Second, a prolonged resonant excitation along the O_2 or O_1 transitions can be used to achieve a (nearly) complete polarization into the $m_s = \pm 1/2$ or $m_s = \pm 3/2$ subspaces, respectively^{10,22}.

Third, the resonant excitation permits us to selectively read out the spin populations $p_{1/2}$ and $p_{3/2}$ in the subspaces $m_s = \pm 1/2$ and $m_s = \pm 3/2$.

It is not straightforward to infer the relative population or population contrast of the ground states via the fluorescence intensities under the O_1 and O_2 excitation as they depend on the ISC rates and quantum efficiency of each spin-dependent transition. For this reason, we then measure spin Rabi oscillations and determine the ground-state population contrast for probing the metastable-state dynamics. The related experimental sequence is shown in Fig. 3a.

The sequence starts by predominantly initializing the system into the $m_s = \pm 1/2$ ($m_s = \pm 3/2$) spin subspace using $\sim 0.5 \mu s$ long resonant excitation along the O_2 (O_1) transition. Subsequently, an off-resonant laser pulse, with varying duration of T_{repump} and fixed power of $30 \mu W$, is applied to increase the population in the MS, after which we allow the system to relax back to the ground states. To determine the absolute spin populations $p_{1/2}$ and $p_{3/2}$, we then perform spin-Rabi oscillations using a microwave drive at a frequency of 70 MHz , corresponding to the ground state splitting between the $m_s = \pm 1/2$ and $m_s = \pm 3/2$ subspaces. Finally, the spin population is read out by integrating the fluorescence intensity during a $0.5 \mu s$ short resonant laser pulse along the O_2 (O_1) transition. We note that the short readout pulse duration ensures that we exclude any complex dynamics stemming from ISCs, so that the fluorescence intensity signal is proportional to the ground state population. Overall, this sequence allows us to determine the ground state population contrast $\Delta p = (p_{1/2} - p_{3/2}) / (p_{1/2} + p_{3/2})$ as

Fig. 3 | Decay dynamics of the metastable states probed by the spin-Rabi population contrast and delayed pulse measurements. **a** Sequence for spin-Rabi contrast measurement for each point (i.e., each repump time T_{repump}) and the evolution of the ground-state population contrast (absolute value) under resonant O_1 and O_2 readout lasers with increasing repump time. **b** The optical pumping fidelity with resonant laser defined by the population contrast with charge state initialized by the repump laser. **c** Sequence for delayed pulse measurement with varying delay times before resonant readout (upper). Photoluminescence counts integrated over the first 100 ns during resonant readout pulses as function of the delay time (lower). Solid lines are from simulation using all inferred rates summarized in Table 1.



a function of the off-resonant laser pulse duration T^{repump} (for more details, see Supplementary Note 3). The bottom inset of Fig. 3a shows the obtained experimental data. For short times of T^{repump} , the system has not yet reached an equilibrium (partial incomplete spin polarization into the $m_s = \pm 1/2$ subspace²⁶). This is witnessed by a strong population contrast in both cases after initialization into the subspaces of either $m_s = \pm 1/2$ (blue) or $m_s = \pm 3/2$ (red). For $T^{\text{repump}} > 40 \mu\text{s}$, the population contrast reaches a steady state value of $\Delta p \sim 0.14$. Crucially, the behavior of the population contrast for both initializations is different. After initialization into $m_s = \pm 1/2$, we find a monotonic decay of Δp . In contrast for initialization into $m_s = \pm 3/2$, we observe a decay to $\Delta p \sim 0$ at $T^{\text{repump}} \sim 10 \mu\text{s}$ followed by an increase to the steady state value $\Delta p \sim 0.14$. This is explained by the initial population $p_{3/2} \sim 1$ dropping to $p_{3/2} \sim 0.5$ after $T^{\text{repump}} \sim 10 \mu\text{s}$, and further decreasing to $p_{3/2} \sim 0.43$ for $T^{\text{repump}} > 40 \mu\text{s}$. In other words, our experimental results unambiguously determine that the $m_s = \pm 1/2$ subspace is preferably populated from the MSs with a ratio of 0.57/0.43 at an off-resonant laser power of 30 μW . It is important to mention that optical re-excitation i.e. deshelling processes within the MSs are allowed by the selection rules (see Fig. 1b) and have been experimentally observed^{27,28}. Re-excitation can drastically alter the spin population dynamics and as we show in the Supplementary Note 3 we can achieve a ground state population ratio of 0.65/0.35 for an off-resonant laser power of 4 mW.

Having already established that the system reaches a steady state at 30 μW off-resonant pump power after $T^{\text{repump}} \sim 40 \mu\text{s}$, we now proceed to the high-fidelity spin initialization using a resonant excitation along the O_1 (O_2) transition. The related experimental sequence is shown in Fig. 3b (upper panel). An off-resonant laser pulse of 40 μs duration and 30 μW power establishes a steady state (0.57/0.43 ground state populations). Thereafter, a resonant laser pulse of duration T and power 6 nW initiates the high-fidelity spin pumping. The absolute ground state spin populations are read out as before (spin Rabi oscillations, followed by a 0.5 μs spin-selective resonant laser excitation). The experimental results are shown in Fig. 3b (lower inset). For $T > 20 \mu\text{s}$, we reach high initialization fidelities of 95(1)% and 93(1)% into the spin subspaces $m_s = \pm 1/2$ (blue) or $m_s = \pm 3/2$ (red) under O_2 and O_1 optical pumping, respectively.

To further investigate the decay rates from the metastable (MS) states to the ground states (see Fig. 1b), we develop a delayed measurement scheme, as depicted in Fig. 3c. We use a 4 μs long off-resonant laser excitation pulse at 4 mW power, to trap most of the spin population in the MSs at the end of the pulse. This is due to the considerably longer lifetimes of the MSs compared to the excited-state lifetimes and the optical excitation rates. We then capture the MS depopulation dynamics by measuring the time-dependent increase of the ground state populations. To this end, we permit the system to relax to the ground state for a duration of T_{Delay} before starting to integrate the fluorescence emission for 0.1 μs during a resonant excitation along the O_1 and O_2 transitions. We note that these measurements capture all the rates in and out of the MS states²⁹ which are populated by the incoming ISC rates ($\gamma_{1,2}, \gamma'_{1,2}$) and depopulated by the outgoing ones ($\gamma_{3,4}, \gamma'_{3,4}$). The related experimental data is shown in Fig. 3c (bottom inset). The graph also includes the simulated curves using the ISC model and rates given in Table 1 showing an excellent agreement between the experiment and theory. We note that these rates have been inferred through the MS dynamics probed until here and subsequent power-dependent resonant-excitation measurements which are discussed in the next section.

Power-dependent resonant-excitation spin initialization measurements

To obtain a comprehensive understanding of the spin initialization process through resonant excitation, we use the resonant laser power as an additional probing parameter ranging from 6 nW to 20 nW. We limit the maximum power to 20 nW to avoid excessive photo-ionization³⁰, as well as power broadening, which would result with the loss of spin selectivity³¹. As depicted in Fig. 4a, the measurement sequence consists of an off-resonant excitation pulse (32 μW , 40 μs) to initialize the V_{Si}^- center into the negatively charged state and to initialize the ground state into slightly unbalanced spin

Table 1 | Radiative and non-radiative transition lifetimes of V2 color centers in 4H-SiC

a							
Transitions	$1/\gamma_r$	$1/\gamma_1$	$1/\gamma_1'$	$1/\gamma_2$	$1/\gamma_2'$	$1/\gamma_3$	$1/\gamma_4$
Lifetimes (ns)	17.84	11.05	56.75	130.59	41.02	250.72	1035.35
MS ₁ Lifetime $1/(\gamma_3 + \gamma_4)$						201.84 ns	
b							
Resonant excitation power (nW)	Theoretically inferred power (nW)			$1/\gamma_3'$ (= $1/\gamma_4'$) (ns)		MS ₂ Lifetime (ns)	
6	5.58			5928.73		2964.37	
10	8.44			4377.85		2188.93	
15	15.01			2170.80		1085.40	
20	Reference			1481.69		740.85	

a The MS₁ (e^-) metastable state lifetime is inferred according to the ISC mechanism described in Fig. 1b, c–iv. b The MS₂ (v^2e) metastable state lifetime is found to be dependent on the optical excitation power due to the uv spin-doublet shelving state shown in Fig. 1b. The experimental resonant excitation powers and the theoretically inferred ones (20 nW as a reference power for calculation) are shown.

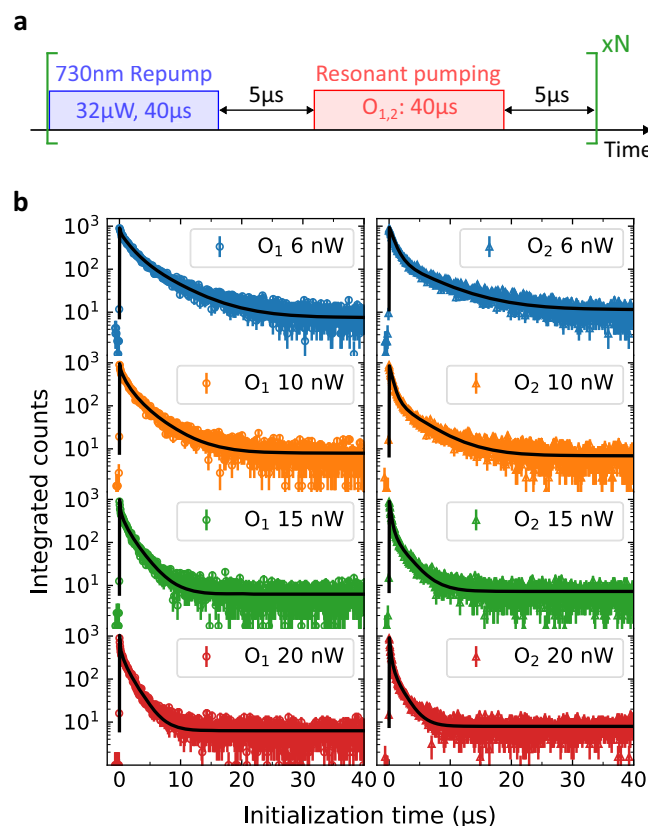


Fig. 4 | Time-dependent fluorescence decay under resonant excitation.

a Experimental sequence based on state initialization with an off-resonant repump laser, followed by spin-selective resonant pumping. b Measured fluorescence intensity signals for depopulation of both spin subspaces with the O_1 (left) and O_2 (right) lasers. The decay curves are measured and analyzed for varied resonant laser powers.

populations (see Fig. 3a). Then, we selectively depopulate the spin subspaces $m_s = \pm 1/2$ or $m_s = \pm 3/2$ through continued resonant excitation along the O_1 (or O_2) optical transition while recording the fluorescence intensity for 40 μs . At all power levels, 40 μs resonant excitation is sufficiently long to

completely depopulate the respective spin sublevels, as witnessed by the fluorescence signals reaching the noise level of the single-photon detectors. As shown in Fig. 4b, the time-dependent fluorescence intensity shows a tail that extends over to several microseconds. This indicates the involvement of a long-lived metastable state in the ISC, which is later corroborated by our rate results (see Table 1). The state initialization fidelity extracted from the resonant optical pumping measurement reaches $\sim 99.5(1)\%$ which is higher than the value inferred from the spin Rabi oscillation which provides a lower bound of the state initialization fidelity. The lower fidelity in the latter case is caused by a small residual magnetic field originating from the magnetization of the instruments mixing the ground state spin sublevels and it can be further improved by applying a sufficiently large external magnetic field^{10,11}.

We now build a parameter optimization and fine-tuning algorithm that can be carried out over the density matrix master equation of the spin selective ISC model shown in Fig. 1b, constrained only by the measured excited state lifetimes (see Methods). The time dependent fluorescence decay data at all four powers and the delayed pulse measurement data are all simultaneously fitted using this algorithm. The resulting fit curves for the fluorescence decays are presented in Fig. 4b, showing excellent agreement with the experimental data. Individual analysis of the resonant initialization and delayed pulse measurement leads to a differing number of metastable states. Our ISC model presented in Fig. 1b leads to an excellent agreement with both measurements in Figs. 3 and 4, and involves a minimum number of metastable states for accurately describing the experimental data. The resulting transition rates are summarized in Table 1. In accordance with the model in Fig. 1b, we find two effective metastable states playing a significant role in the ISC. The first metastable state (MS_1) consists of the ve^2 and e^3 spin-doublet states in which the fast dynamic relaxation ($\gamma_{n1} \gg \gamma_i, \gamma'_i$) of ve^2 onto e^3 is captured within. The second effective metastable state (MS_2) is formed from the v^2e spin-doublet state. Due to the deshelling of v^2e spin doublet to uve spin doublet under optical excitation (see Fig. 1b), the MS_2 lifetime shows a significant power dependence during resonant excitation measurements. Using the deshelling model and taking 20 nW as a reference power, from each of the remaining fit curves we theoretically infer the rest of the resonant excitation powers. The calculated powers are well within the experimental error tolerances showing excellent agreement (see Table 1) across all powers and providing further evidence of the deshelling mechanism.

At this point we highlight key differences between the V1 and V2 centers in 4H-SiC. In our previous work, we showed that V1 center has a

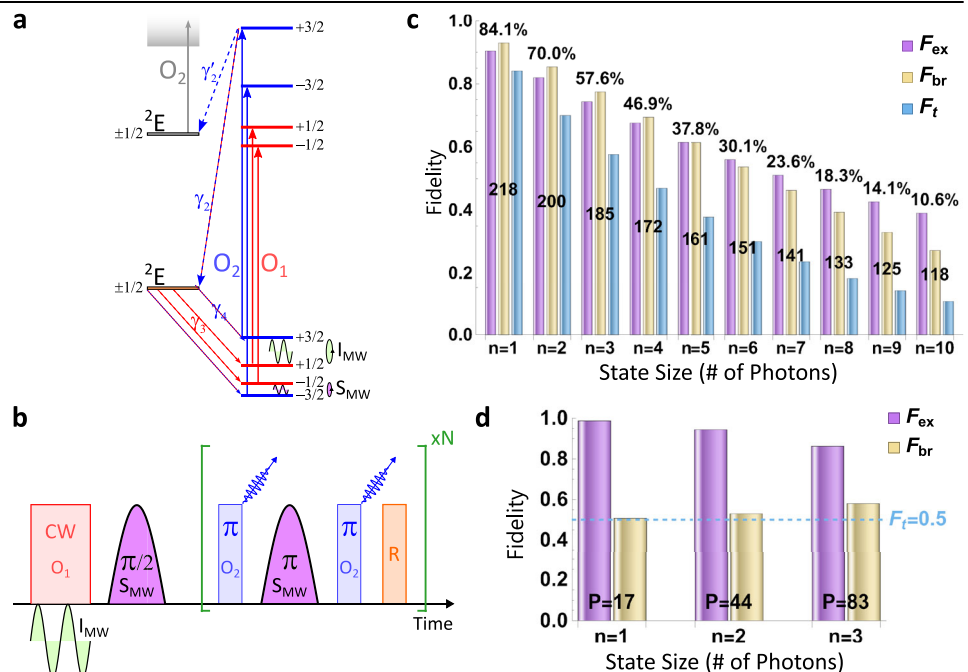
metastable state with ~ 200 ns lifetime²². This is very similar to the MS_1 lifetime of the V2 center, as we have shown in this work. However, the V2 center shows an additional long-lived MS_2 metastable state (up to ~ 3 μ s at low excitation powers), for which no such evidence was observed for V1. We explain this difference by the PJT effect which results in a strong vibronic mixing between the MS_1 (ve^2) and MS_2 (v^2e) states. For the V1 center with near- T_d symmetry, this effectively results in a single metastable state due to the increased degeneracy between the v and e MOs. On the other hand, for V2 centers, such degeneracy is removed by the much more distorted local symmetry (C_{3v}) along the c -axis³², suppressing any mixing. The weaker PJT effect for V2 centers is additionally confirmed by our recent work, which showed that V2 centers maintain narrow optical linewidths at significantly higher temperatures compared to V1 centers³². The very long lifetime of MS_2 also affects the behavior of V2 color centers under off-resonant excitation. Especially at high laser powers, Stokes excitation can lead to another depletion channel for MS_2 which eventually reduces the effective lifetime of the entire metastable state manifold to the lifetime of the MS_1 . This behavior is experimentally corroborated by our high-repump-power results in Fig. 3c, as well as previous room-temperature investigations^{27,28}.

Discussion

From our measured rates for V2 centers in 4H-SiC, the higher quantum efficiency of the O_2 transition with spin $|m_s| = 1/2$ leads to a higher cooperativity (see Supplementary Note 4) when integrated in nanophotonic resonators, which has been recently observed¹⁶. Here, we develop protocols for the generation of time-bin entangled multi-photon states from a single V2 center that can take advantage of this high quantum efficiency of the O_2 transition. We perform a detailed analysis of our protocols and consider multiple sources of imperfections including both spin conserving (i.e., excited-state phonon scattering, imperfect excitation) and spin-flip (due to ISC mechanism) errors.

Two ground-state spins $|g_1\rangle = |-1/2\rangle$ and $|g_2\rangle = |-3/2\rangle$ are chosen as entanglers for the Greenberger-Horne-Zeilinger (GHZ) and one-dimensional cluster states. Our protocol is adapted from a similar concept initially developed for quantum dots³³ and consists of periodic optical drive of O_2 and coherent microwave control of ground-state spins. The Kramer's degenerate ground-state spins are further split into four sublevels (see Fig. 5a) by applying a sufficiently large magnetic field (e.g., $B = 5$ mT) for longer

Fig. 5 | Generation of entangled multi-photon GHZ and cluster states. a Relevant energy scheme of V_{Si}^- used in the protocol. **b** Pulse sequences described in the main text. **c** Total estimated fidelity of GHZ and cluster states with sizes up to $n = 10$ photons as a product of excitation and branching ratio errors. Optimized Purcell enhancement factors for each state size are shown on the bars. **d** Minimum Purcell factor requirements to reach a total fidelity of 0.5 for GHZ and cluster states up to three photons.



spin coherence time³⁴. The entire protocol shown in Fig. 5b involves the following steps:

- The ground state spin is initialized to $|g_1, 0\rangle + |g_2, 0\rangle$ (normalization omitted w.l.o.g.) by resonant optical pumping of O_1 transition during a continuous microwave driving (I_{MW}) of the spin $|+3/2\rangle \leftrightarrow |+1/2\rangle$ transition followed by a microwave $\pi/2$ pulse ($S_{MW}^{\pi/2}$) resonant with $|-3/2\rangle \leftrightarrow |-1/2\rangle$.
- An optical π pulse resonantly excites the O_2 transition resulting with the spontaneous emission of the first ZPL photon into an early time bin: $|g_1, 0\rangle + |g_2, 1_E\rangle$.
- The spin states are swapped via S_{MW}^{π} pulse: $|g_2, 0\rangle + |g_1, 1_E\rangle$.
- Upon resonant excitation of O_2 with a second π pulse, another photon is emitted into a late time bin: $|g_2, 1_L\rangle + |g_1, 1_E\rangle$.
- For a GHZ state generation, a final $R = S_{MW}^{\pi/2}$ pulse (i.e., X-gate) is applied resulting with $|g_1, 1_L\rangle + |g_2, 1_E\rangle$. Similarly, for a cluster state generation, the Pauli-X gate can be replaced by a Hadamard gate ($R = H = XY^{1/2}$) resulting with a generator $C^\dagger = |g_+\rangle\langle g_2|a_E^\dagger + |g_-\rangle\langle g_1|a_L^\dagger$ for each period with $|g_\pm\rangle = (|g_1\rangle \pm |g_2\rangle)/\sqrt{2}$. By repeating one period (from ii to v) of this protocol N times we obtain an N -photon GHZ state or a cluster state depending on the final gate operation.

The dephasing of the excited states for V2 centers induced by acoustic phonons was shown to be negligible by the preservation of narrow PLE linewidths up to 20 K³². Therefore, the fidelity related to phonon-induced pure dephasing, defined³³ as $F_p^{GHZ,C} = 1 - N\gamma_d/(\gamma_r + 2\gamma_d)$, is close to 1 with $\gamma_d \ll \gamma_r$. We also consider excitation errors in the resonant driving pulses that induce undesired stimulated photon emissions (weak, long pulse) and detuned O_1 transition (strong, short pulse) given³³ as $F_{ex} = 1 - N\left(\frac{\sqrt{3}\pi}{8}\right)\gamma_r/\Delta$. With our measured radiative decay rate and ~ 1 GHz separation between O_1 and O_2 transitions, the pulse timing for a square π -pulse optimized upon 2π -rotation of the detuned transition is found to be 0.9 ns for a three-photon GHZ/cluster state resulting in an excitation fidelity of 74.3%. The fidelity of the GHZ and cluster states with branching errors (emission into phonon sideband and ISC) are the same for the protocol shown in Fig. 5 and given as $F_{br}^{GHZ,C} = (P_{O_2})^N$ conditioned upon a successful detection without any post-processing. P_{O_2} is the ZPL emission probability for the O_2 radiative transition and defined as $(P\alpha\gamma_r)/((1-\alpha)\gamma_r + P\alpha\gamma_r + \gamma_2 + \gamma_2')$ in terms of Debye-Waller factor $\alpha \sim 9\%$ ³², Purcell factor P , and the rates inferred in Table 1. We find $F_{br}^{GHZ,C} = 0.06$ without any cavity Purcell enhancement with the above optimized pulse timing. The cavity enhancement of radiative lifetime improves $F_p^{GHZ,C}$ and $F_{br}^{GHZ,C}$, but it degrades F_{ex} slightly as the excited state radiative lifetime is modified as $\gamma_r \rightarrow (1-\alpha)\gamma_r + P\alpha\gamma_r$. To maximize the overall fidelity defined as $F_t = F_p F_{ex} F_{br}$, we calculate the optimized Purcell factors for each state size as shown in Fig. 5c. The primary limitation to the total fidelities shown here comes from the competition between the excitation and branching ratio errors as F_{br} increases while F_{ex} decreases with larger Purcell factors. To reach a total fidelity of 50%, GHZ or cluster states of maximum three photons are feasible. We calculate the minimum required Purcell factors to reach $F_t = 50\%$ (Fig. 5d) for various state sizes compatible with existing nanophotonic resonators^{15,16,35}. Photon states of larger size (>3 photons) can be achieved by increasing the excited-state ZFS ($\sim \Delta$) via applied strain allowing for much larger Purcell enhancements to be applied³⁶. In comparison to the quantum dot platform where the linear cluster state has been realized²¹, the V2 centers additionally provide excellent quantum memories based on electron and nuclear spins^{5,10,14,37}. Thus, the system is in principle capable of connecting quantum memories with multi-photon states and promising a loss-tolerant demonstrator which requires one emitter, two memories and six photons³⁸.

In summary, we have established the complete electronic fine structure and intrinsic spin dynamics of the V2 silicon vacancy centers in 4H-SiC unraveling all the previously unknown spin-dependent radiative and non-

radiative decay rates, ISC, and deshelling mechanisms. The mechanisms identified here successfully explain several previous measurements done with V2 centers including anti-Stokes excitation³⁹, ODMR with off-resonant readout²⁸, as well as autocorrelation of resonator-integrated defects¹⁶. Our work also explains the main differences between V1 and V2 centers in 4H-SiC. The unraveled understanding of the complete spin-optical dynamics of the V2 center provides the critical engineering guidelines towards its integration into nanophotonic enhancement structures, such as waveguides and resonators. To showcase this, we additionally propose realistic protocols for generating time-bin entangled multi-photon GHZ and cluster states, taking advantage of the high quantum efficiency of the O_2 transition. We provide in-depth analysis of state fidelities, optimization of pulse timings, and minimum Purcell enhancement requirements for generating GHZ or cluster states of various sizes. We show that two-photon GHZ and cluster states can be readily realized with existing SiC nanophotonic resonators, whereas higher photon-number states would require further improvements. In this sense, we believe that phonon or strain engineering of V2 centers will become necessary to suppress excitation errors by increasing the excited state zero-field splitting, and to improve the overall branching ratio.

Overall, our studies provide a holistic summary on the intrinsic spin-optical dynamics of the V2 center in 4H-SiC. This now permits defining ideal experimental protocols and routines for maximizing the performance in various quantum technology applications, as well as optimizing the optical performance of V2 centers via integration into nanophotonic resonators. Additionally, our methods can be straightforwardly adapted to improve the understanding of internal spin dynamics of other color centers.

Methods

Experimental setup

All the experiments are performed with a home-built scanning confocal microscope at 5.5 K in a closed-cycle cryostat (Montana Instruments). The resonant excitation of the single V2 color center uses a tunable single-frequency diode laser (Toptica DLC DL pro) at 916.5 nm. The acousto-optic modulator (Gooch&Housego) and electro-optic amplitude modulator (Jenoptik) enable continuous-wave and pulsed excitation resonantly. A custom-made diode laser is employed for off-resonant excitation at 730 nm. A polarization-maintaining fiber combines all excitation lasers which are focused onto the sample by a microscope objective (Zeiss EC Epiplan-Neofluar $\times 100$, NA = 0.9). The scanning of the sample is enabled by a fast-steering mirror (Mad City Labs). The fluorescence emission is collected at phonon-side bands (940–1033 nm) by a superconducting nanowire single photon detector (Photon Spot). The fabrication of the 4H-SiC sample, defect generation, and development of a solid immersion lens have been described in our previous work¹⁰.

Density matrix master equation parameter optimization

The resonant PL decay of the V2 defect can be accurately modeled by using the fine structure and ISC model in Fig. 1b. The spin-selective fluorescence signal corresponds to the time-dependent excited state populations, that are calculated using the following master equation, $\rho/dt = -\frac{i}{\hbar}[H_0, \rho] + \gamma_r \sum_{i=1}^2 L(A_i^\dagger) + \sum_{i=1}^4 \gamma_i L(A_{ms_i}^\dagger) + \sum_{i=1}^4 \gamma_i' L(A_{ms_i})$. The radiative and non-radiative decay processes are represented by the Lindblad super-operators, $L(O)$. The H_0 is the Hamiltonian constructed from optically driven spin $\pm 1/2$ and $\pm 3/2$ ground and excited states, $H_0 = (D_g - D_e - \delta_L)(|g_{1/2}\rangle\langle g_{1/2}| - |e_{1/2}\rangle\langle e_{1/2}|) - (D_g - D_e - \delta_L)(|g_{3/2}\rangle\langle g_{3/2}| - |e_{3/2}\rangle\langle e_{3/2}|) + [\Omega_L(|g_{1/2}\rangle\langle e_{1/2}| + |g_{3/2}\rangle\langle e_{3/2}|) + h.c.]$ in the rotating frame of the laser with power dependent Rabi frequency Ω_L and detuning $\delta_L = \omega_L - \omega_{ZPL}$. The radiative decays, $A_r^i = |g_i\rangle\langle e_i|$, are governed by the same radiative decay rates γ_r for both O_1 and O_2 transitions. The non-radiative ISC decays in and out of each metastable state ($ms_1 = ve^2$ and $ms_2 = v^2e$) are given by $A_{ms_1}^i = |ms_1\rangle\langle \varphi_i|$ and $A_{ms_2}^i = |ms_2\rangle\langle \varphi_i|$ in which $\varphi_{i=1,2,3,4} = \{e_{s_{1/2}}, e_{s_{3/2}}, g_{s_{1/2}}, g_{s_{3/2}}\}$ after the effective rate

simplification with $\gamma_{n1} \gg \gamma_{3,4}$ and $\gamma_{n2} \ll \gamma'_{3,4}$. We use a custom-built parameter optimization algorithm based on both Nelder–Mead and differential evolution numerical nonlinear optimization methods for simultaneously fitting the excited state population solutions of separate master equations at four different laser powers with the time dependent photoluminescence decay measurement data. At each trial, a secondary simplified master equation reflecting the 100 ns integration window for pulse sequence in Fig. 1c is used to also evaluate the fit quality of each rate solution with the delayed pulse measurement data.

Data availability

The data presented in this manuscript are available at the data repository of the University of Stuttgart under <https://doi.org/10.18419/darus-4226>.

Code availability

The codes used in this manuscript are available from the corresponding authors on reasonable request.

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Author contributions

D.L., F.K., Ö.O.S and J.W. conceived and designed the experiments. D.L. and F.K. performed the experiments. D.L. and Ö.O.S. analyzed the data. Ö.O.S. developed the theoretical modeling and simulations. D.L. and Ö.O.S. carried out the numerical simulations. J.U.-H. provided the SiC sample. T.O. and N.T.S. irradiated the SiC with electrons for defect generation. F.K., V.B., E.H., T.S. and J.W. assisted the data analysis. D.L., F.K. and Ö.O.S. wrote the manuscript with helpful inputs from all the authors.

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Competing interests

The authors declare no competing interests.

Additional information

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