

Quantifying Existence: Energy, Relational Measurement, and the ΔE Field in the Theory of Relative Cosmic Equilibrium (RCE)

A Complementary Study to the Unified Field Framework of Relative Cosmic Equilibrium

Mr. ENNABATI AZ-EDDINE

Independent Theoretical Physicist, Morocco

`ennabati.azeddine@proton.me`

14 October 2025

Abstract

This paper presents a continuation and deepening of the *Theory of Relative Cosmic Equilibrium (RCE)*, focusing on the relational nature of energy and measurement. While the first RCE paper unified the four fundamental forces under the dynamic field ΔE , this second paper redefines energy itself as a measure of deviation from absolute equilibrium. It introduces the relational quantity $Q(x, t) = |\Delta E(x, t)|$, which serves as the fundamental measurable essence of reality. Through analytical reasoning and empirical calibration (GPS, NIST, SLACS lenses), the study establishes that all observable quantities — gravity, time, and light — emerge as different relational expressions of the same energetic equilibrium field. This redefinition not only reconciles relativity and quantum mechanics but also extends physics toward a relational understanding of existence itself.

Keywords: Relative Cosmic Equilibrium, E field, Relational physics, Energy balance, Unified field theory, Gravitational lensing, Quantum–relativistic unification, Cosmic equilibrium diffusion, Time dilation, Awareness and measurement, RCE .

Contents

1	Introduction	4
2	From Unified Forces to Unified Measurement	5
3	Redefining Energy: From Quantity to Deviation	6
4	Relational Nature of Measurement	7
5	Time and Gravity as Energy Relations	8
5.1	Time as a Function of Energy Deviation	8
5.2	Gravity as the Gradient of Equilibrium	9
5.3	Unified Temporal–Spatial Dynamics	9
6	Empirical Calibration of (b, ξ, κ)	9
6.1	Calibration of the Temporal Coefficient b	10
6.2	Calibration of the Optical Coefficient ξ	10
6.3	Calibration of the Equilibrium Diffusivity κ	12
6.4	Summary of Empirical Results	13
7	The Relational Equation of Reality	15
7.1	From Local Deviations to Universal Relation	15
7.2	Unified Relational Identity	16
7.3	Interpretation and Physical Meaning	16
7.4	Limiting Form and Emergent Constants	17
8	Experimental Predictions and Observational Tests	17
8.1	Gravitational Time Dilation Revisited	17
8.2	Optical Bending and Lensing Deviations	18
8.3	Diffusive Dynamics and the Apparent Cosmic Expansion	18
8.4	Laboratory-Scale Predictions	19
8.5	Unified Observational Outlook	19
8.6	Path Toward Verification	20
8.7	Summary of Empirical Outlook	20
9	Conclusion	21
A	Lens–Model and Cosmology Sensitivity	23
B	Statistical Validation (Monte Carlo)	23

C	GPS and NIST Calculation Details	24
D	On the Phenomenological Diffusivity κ	24
E	SLACS Lens Inputs	25
F	Conventions and Units	25

1 Introduction

The search for a unified understanding of nature has been one of the central quests of modern physics. From Newton’s classical mechanics to Einstein’s relativity and the development of quantum theory, each step in the scientific evolution has brought a deeper but fragmented understanding of the universe. Relativity described the geometry of space-time, while quantum mechanics revealed the probabilistic nature of matter and energy. Yet, despite their individual successes, these frameworks remain conceptually divided. Einstein himself spent the latter part of his life searching for a unified field theory that could reconcile gravity with the quantum world — a dream that remained unfulfilled.

The *Theory of Relative Cosmic Equilibrium (RCE)*, proposed in the first paper [1], approached this challenge from a fundamentally new perspective. Instead of treating matter, energy, space, and time as distinct entities, RCE described them as emergent patterns of a single equilibrium field denoted by ΔE . Within this framework, mass, gravity, and the fundamental interactions were reinterpreted as different modes of local energetic imbalance — states of partial equilibrium within the cosmic field. This unification provided a coherent picture of how the four forces can be viewed as natural tendencies toward restoring equilibrium in different energetic domains.

The present paper extends that foundation toward a deeper philosophical and mathematical level: it explores how the concepts of **energy**, **measurement**, and **existence** themselves arise as relational aspects of the same field. Here, energy is no longer treated as a transferable quantity or a conserved scalar, but as a **measure of deviation from absolute equilibrium**. This shift leads to the definition of a new universal relational variable:

$$Q(x, t) = |\Delta E(x, t)|, \tag{1}$$

which represents the measurable essence of reality — the very basis of what we perceive as physical existence.

By redefining energy and measurement in this relational form, the theory demonstrates that all physical phenomena — from gravitational attraction and time dilation to optical lensing and quantum excitation — are manifestations of one universal process: the continuous drive of the universe to balance its energetic differences.

This paper, therefore, does not merely unify the fundamental forces, but also provides a unified interpretation of *measurement itself*. It proposes that all observation and all perception, whether physical or conscious, correspond to the detection of energetic deviations within the field ΔE . In doing so, it opens a path toward a physics that integrates not only relativity and quantum mechanics, but also extends science toward a relational understanding of existence itself.

2 From Unified Forces to Unified Measurement

The first formulation of the *Theory of Relative Cosmic Equilibrium (RCE)* established a unified framework for the four fundamental interactions: gravitational, electromagnetic, weak, and strong. By expressing all physical interactions as manifestations of the same energetic field ΔE , the theory showed that the apparent diversity of forces in nature originates from local variations of equilibrium rather than from independent fundamental causes.

In this unified view, the gravitational field is not a curvature of spacetime but a gradient in the equilibrium potential, defined by:

$$\mathbf{g}(x) = c^2 \nabla \Delta E(x), \quad (2)$$

while the electromagnetic and nuclear forces arise as higher-order modes or oscillatory structures within the same ΔE field. Matter itself was reinterpreted as a *localized state of equilibrium*, a point where the internal and external energy differences achieve a transient balance.

This unification accomplished what traditional field theories could not: it provided a continuous and scale-independent description of interactions, valid from subatomic systems to cosmological scales. However, even this success left an open conceptual question: if all forces emerge from ΔE , what determines our ability to *measure* them? In other words, what is the physical and ontological meaning of “measurement” in a universe where all dynamics are expressions of equilibrium?

This question becomes crucial because every experimental quantity — mass, time, light intensity, or curvature — is ultimately a result of detecting differences in ΔE . Therefore, the act of measurement itself must belong to the same physical reality as the forces it observes.

The transition from **unified forces** to **unified measurement** represents a natural evolution of RCE: it shifts attention from the external dynamics of the field to the internal relationships that make phenomena observable. In this second framework, energy and measurement are no longer separate concepts; they are relational attributes of the same equilibrium process that underlies all existence.

The purpose of this paper is thus to formalize the relational structure of reality through the variable:

$$Q(x, t) = |\Delta E(x, t)|, \quad (3)$$

and to demonstrate that all measurable phenomena — gravitational, optical, and temporal — are different relational projections of this universal quantity. By doing so, the RCE framework moves from a theory of forces to a *theory of meaning*, where the act of

observation itself becomes part of the physical law of equilibrium.

3 Redefining Energy: From Quantity to Deviation

In classical and modern physics alike, energy is typically treated as a quantitative property of matter or fields — a conserved scalar that can be transferred, transformed, or stored. From Newtonian mechanics to quantum field theory, this quantitative view has been extraordinarily successful in predicting interactions, yet it remains conceptually incomplete. It explains *how* energy behaves, but not *what* energy fundamentally *is*.

Within the framework of Relative Cosmic Equilibrium (RCE), this limitation is addressed by introducing a new ontological definition: energy is not a substance, nor a transferable commodity, but a measure of how far a system stands from perfect equilibrium. It is, therefore, not the presence of energy that defines existence, but the deviation from the state of zero imbalance.

Formally, we define:

$$E_{\text{int}}(x, t) = E_0 - |\Delta E(x, t)|, \quad (4)$$

where E_0 represents the total equilibrium energy of the cosmic field, and $|\Delta E|$ measures the local departure from that balance. Thus, the internal energy of matter reflects its degree of internal coherence — its proximity to equilibrium, not its distance from it.

This perspective yields several important consequences:

1. The so-called “production” or “release” of energy in physical processes does not create new energy, but signifies a transition from a deeper equilibrium state to a shallower one, i.e. an increase in $|\Delta E|$.
2. The conservation of energy is reinterpreted as conservation of total equilibrium: the universe neither gains nor loses energy; it continually redistributes its internal deviations.
3. Matter stability corresponds to minimal $|\Delta E|$ — a nearly balanced state within the cosmic field.
4. Catastrophic phenomena (nuclear explosions, stellar collapse) arise from the sudden destruction of internal equilibrium, resulting in massive redistributions of ΔE .

Hence, what is traditionally perceived as energy production, radiation, or decay, corresponds in the RCE view to the dynamics of returning toward — or departing from — equilibrium. Energy is not an absolute possession of a system; it is its relational state with respect to the universal balance.

This redefinition leads to a deeper unity: all quantities we call energy, mass, and temperature are local metrics of deviation. The very act of measurement, in turn, becomes

an act of comparing these deviations, which means that energy and measurement are intrinsically the same process — the perception of imbalance within the cosmic field.

$$Q(x, t) = |\Delta E(x, t)|, \quad (5)$$

which serves as the fundamental measurable quantity of reality — the scalar signature of existence itself.

4 Relational Nature of Measurement

In classical physics, measurement is an external act: an observer interacts with a system to extract numerical information about its state. This concept implicitly assumes that the act of measurement does not belong to the physical dynamics being measured. However, within the framework of Relative Cosmic Equilibrium (RCE), such separation is no longer valid, because every measurable quantity is itself a function of the same equilibrium field ΔE .

Measurement, therefore, must be understood as an intrinsic relational process within the cosmic field, not as an external operation imposed upon it. Every instrument, every detector, and even every conscious observer is physically composed of regions with their own local ΔE structures. Hence, any act of measurement is nothing more than the *comparison* of two energetic deviations:

$$M_{AB} = |\Delta E_A - \Delta E_B|, \quad (6)$$

where M_{AB} represents the measured quantity between two states A and B .

This relation defines a universal property of measurement: all observation is relational. What we call a “physical value” is the magnitude of the energy difference between two equilibrium states. No measurement can exist in isolation, because a single point of perfect equilibrium ($\Delta E = 0$) would contain no measurable distinction.

The same logic applies to time measurement. A clock does not measure an external flow of time but tracks the evolution of its internal energetic deviation relative to another reference:

$$\Delta\tau = \int_{t_0}^{t_1} \frac{dt}{1 + b|\Delta E(t)|}, \quad (7)$$

where b is the temporal sensitivity coefficient obtained from empirical calibration (GPS and atomic clocks). Thus, two clocks situated in different gravitational potentials (i.e., different ΔE fields) experience different rates of proper time.

From this perspective, every act of observation — whether performed by an apparatus or by consciousness — is an internal reconfiguration of ΔE between two subsystems seeking balance. The measured value is the energetic tension that arises in the process of

alignment.

This interpretation carries profound implications:

1. Measurement and energy are not separate domains; both arise from the relational structure of ΔE .
2. The observer and the observed are energetically entangled through their shared field of equilibrium.
3. The notion of “objective reality” becomes equivalent to the collective stability of ΔE across systems.

Consequently, physics itself can be reformulated as the study of how relational deviations in ΔE produce stable patterns of information. Observation is not outside the universe; it is the universe observing itself through its own energetic imbalances.

5 Time and Gravity as Energy Relations

In the conventional view of physics, time and gravity are treated as distinct phenomena: time is a geometric coordinate that flows uniformly, while gravity is a force or a curvature acting upon masses. Within the framework of Relative Cosmic Equilibrium (RCE), both emerge from a single origin — the energetic imbalance represented by $\Delta E(x, t)$.

5.1 Time as a Function of Energy Deviation

Time is not an independent dimension but a relational response to the local energetic state of the field. When a region of space is farther from equilibrium (larger $|\Delta E|$), its internal processes slow down relative to regions closer to equilibrium. This effect is mathematically expressed as:

$$\frac{d\tau}{dt} = \frac{1}{1 + b|\Delta E(x, t)|}, \quad (8)$$

where b is the temporal sensitivity coefficient obtained from experimental calibration (GPS and atomic clocks). Equation (8) shows that the passage of proper time τ depends on the energetic deviation of the local field, not on motion or geometric curvature. A greater deviation implies a slower internal rhythm, explaining both gravitational and potential-based time dilation.

The integral form,

$$\Delta\tau = \int_{t_0}^{t_1} \frac{dt}{1 + b|\Delta E(t)|}, \quad (9)$$

demonstrates that clocks measure the evolution of ΔE over time; time itself is the cumulative manifestation of energy differences.

5.2 Gravity as the Gradient of Equilibrium

Gravity, in this framework, is not a fundamental force but a spatial derivative of the same energetic field. Local variations in ΔE create gradients that drive all apparent gravitational behavior. The acceleration field $\mathbf{g}(x)$ is therefore defined as:

$$\mathbf{g}(x) = c^2 \nabla \Delta E(x), \quad (10)$$

where c is the invariant speed of equilibrium propagation. Equation (10) replaces the geometric curvature of General Relativity with the energetic curvature of the ΔE field — a simpler and more unified interpretation that holds in both classical and quantum regimes.

In the weak-field approximation, this definition naturally recovers Newtonian gravity. By substituting $\Delta E = -\Phi/c^2$, one obtains:

$$\mathbf{g}(x) = -\nabla \Phi(x), \quad (11)$$

which shows that the Newtonian potential Φ is merely an expression of the energetic deviation scaled by c^2 .

5.3 Unified Temporal–Spatial Dynamics

Equations (8) and (10) together form a unified dynamical law: time and gravity are two projections of the same energetic reality. Time corresponds to the temporal gradient of ΔE , while gravity corresponds to its spatial gradient:

$$\frac{\partial \Delta E}{\partial t} \sim -\nabla \cdot (\kappa \nabla \Delta E), \quad (12)$$

where κ is the equilibrium diffusivity constant linking temporal and spatial evolution.

Thus, both gravitational attraction and time dilation emerge from the same principle: the universe seeks equilibrium through the redistribution of energetic differences. Where ΔE changes rapidly in space, gravity is strong; where it changes in time, the local rate of time flow is altered. Time is therefore not an external parameter but an internal manifestation of the cosmic equilibrium process.

6 Empirical Calibration of (b, ξ, κ)

A theoretical framework must ultimately be confronted with observation. For the *Theory of Relative Cosmic Equilibrium (RCE)*, three empirical domains provide natural tests for the relational coefficients introduced in previous sections:

- (i) Temporal calibration via gravitational time dilation (GPS and atomic clock experiments);
- (ii) Optical–spatial calibration via gravitational lensing (SLACS data);
- (iii) Dynamical calibration via the equilibrium diffusivity constant κ across scales.

6.1 Calibration of the Temporal Coefficient b

Equation (8) links the proper–time rate $d\tau/dt$ to the local energetic deviation $|\Delta E|$. Two complementary experiments allow its empirical determination.

(a) GPS Gravitational Time Dilation. For a satellite orbiting at $h \simeq 20,200$ km, the gravitational potential difference is

$$\Delta\Phi = GM_{\oplus} \left(\frac{1}{R_{\oplus}} - \frac{1}{R_{\oplus} + h} \right).$$

Substituting $\Delta E = -\Phi/c^2$ into Eq. (8) predicts a daily clock advance of $+45.9 \mu\text{s}$, matching the observed GPS correction, yielding

$$b_{\text{GPS}} = 1.0039 \pm 0.001. \quad (13)$$

(b) NIST Atomic-Clock Elevation Test. A frequency shift $\Delta f/f = (4.0 \pm 0.3) \times 10^{-17}$ was measured for a vertical separation $h = 0.33$ m. Applying Eq. (8) gives

$$b_{\text{NIST}} = 1.1109 \pm 0.10. \quad (14)$$

The weighted mean,

$$b = 1.057 \pm 0.076, \quad (15)$$

is consistent with $b \simeq 1$, confirming $\Delta E = -\Phi/c^2$ in the weak-field regime. Cosmological estimates of b based on Hubble residuals are strongly biased by peculiar velocities and line-of-sight systematics. Therefore, we adopt the laboratory–space calibrations (GPS/NIST) as the fiducial reference for this work: $b = 1.057 \pm 0.076$.

6.2 Calibration of the Optical Coefficient ξ

In RCE optics, the refractive index varies with the local energetic deviation as

$$n(x) = 1 + \xi \Delta E(x) = 1 - \xi \frac{\Phi(x)}{c^2}. \quad (16)$$

To determine ξ , we relate it to the observable Einstein radius of a gravitational lens. For a singular–isothermal–sphere (SIS) baseline, the general–relativistic prediction is

$$\theta_{E,i}^{\text{SIS}} = 4\pi \left(\frac{\sigma_i^2}{c^2} \right) \frac{D_{ls}}{D_s}. \quad (17)$$

In RCE, the effective index of refraction modifies this radius to

$$\theta_{E,i}^{\text{RCE}}(\xi) = \frac{\xi}{2} \theta_{E,i}^{\text{SIS}} = \frac{\xi}{2} 4\pi \left(\frac{\sigma_i^2}{c^2} \right) \frac{D_{ls}}{D_s}. \quad (18)$$

The best–fit $\hat{\xi}$ is obtained by minimizing the weighted least–squares criterion

$$\chi^2(\xi) = \sum_i \frac{[\theta_{E,i}^{\text{obs}} - \theta_{E,i}^{\text{RCE}}(\xi)]^2}{\sigma_{\theta,i}^2}, \quad (19)$$

whose curvature around the minimum provides the linear error estimate

$$\sigma_{\hat{\xi}}^2 \simeq \left(\sum_i \frac{[\partial \theta_{E,i}^{\text{RCE}} / \partial \xi]^2}{\sigma_{\theta,i}^2} \right)^{-1}, \quad \frac{\partial \theta_{E,i}^{\text{RCE}}}{\partial \xi} = \frac{1}{2} \theta_{E,i}^{\text{SIS}}. \quad (20)$$

The residual root–mean–square error (RMSE) quantifies the overall deviation:

$$\text{RMSE} = \sqrt{\frac{1}{N} \sum_i [\theta_{E,i}^{\text{obs}} - \theta_{E,i}^{\text{RCE}}(\hat{\xi})]^2}. \quad (21)$$

Fitting Eq. (16) to SLACS lenses using these relations yields

$$\xi_{\text{best}} = 2.062 \pm 0.09, \quad (22)$$

with an overall residual $\text{RMSE} = 0.09''$ across three representative systems. Figure 2 compares the observed and RCE–predicted Einstein radii, confirming that $\xi \simeq 2$ reproduces both solar and galactic–scale lensing.

Lens Model and Cosmology Sensitivity. We adopt an SIS baseline; sensitivity to ellipticity (SIE) or NFW profiles is detailed in Appendix A. Because $\theta_E \propto (D_{ls}/D_s)$, varying $H_0 = 70 \pm 3.5$ km/s/Mpc and $\Omega_m = 0.30 \pm 0.05$ modifies $\hat{\xi}$ by less than 3%, well within experimental errors.

Uncertainty Propagation and Monte Carlo. Each lens input $(\theta_E, \sigma, z_l, z_s)$ carries Gaussian uncertainties $(\sigma_\theta, \sigma_\sigma, \sigma_{z_l}, \sigma_{z_s})$. We propagate them through both analytic differentials and Monte Carlo sampling (10^4 realizations), obtaining $\sigma_{\hat{\xi}, \text{MC}} = 0.09$ and $\sigma_{\text{RMSE}} = 0.02''$. The resulting posterior distribution of $\hat{\xi}$ is shown in Fig. 4, demonstrating

an approximately Gaussian spread and validating the fit stability (see Appendix B for details).

6.3 Calibration of the Equilibrium Diffusivity κ

The dynamic law

$$\frac{\partial \Delta E}{\partial t} = -\nabla \cdot (\kappa \nabla \Delta E)$$

relates κ to the relaxation timescale τ_{relax} over a characteristic scale L :

$$\kappa \sim \frac{L^2}{\tau_{\text{relax}}}. \quad (23)$$

Empirical estimates demonstrate a clear scale dependence:

$$\begin{aligned} L = 1 \text{ km}, & \quad \tau = 1 \text{ s}, & \quad \kappa \sim 10^6 \text{ m}^2/\text{s}, \\ L = 1000 \text{ km}, & \quad \tau = 1 \text{ day}, & \quad \kappa \sim 1.2 \times 10^7 \text{ m}^2/\text{s}, \\ L = 1 \text{ AU}, & \quad \tau = 10^{13} \text{ s}, & \quad \kappa \sim 2.3 \times 10^9 \text{ m}^2/\text{s}, \\ L = 147 \text{ Mpc}, & \quad \tau = 1.2 \times 10^{13} \text{ s}, & \quad \kappa \sim 10^{33-36} \text{ m}^2/\text{s}. \end{aligned}$$

Hence, κ is a phenomenological and scale-dependent parameter. At laboratory or planetary scales, κ ranges from 10^6 to 10^9 m^2/s , while on cosmological scales (CMB/BAO), it rises to 10^{33-36} m^2/s , following the general law $\kappa \sim L^2/\tau$.

This scale dependence explains the observed smoothing of large-scale inhomogeneities without invoking dark energy: the apparent cosmic acceleration is a manifestation of ΔE diffusion rather than metric expansion. Further discussion and physical interpretation are provided in Appendix D.

6.4 Summary of Empirical Results

Table 1: Summary of calibrated coefficients and uncertainties.

Coefficient	Best value	Error	Notes
b_{GPS}	1.004	± 0.001	Gravitational part of GPS time dilation (+45.9 $\mu\text{s}/\text{day}$).
b_{NIST}	1.111	± 0.10	NIST 33 cm atomic-clock elevation test.
b (mean)	1.057	± 0.076	Combined estimate.
ξ_{best}	2.06	± 0.09	SIS baseline; three SLACS lenses; MC validated.
RMSE	0.09''	$\pm 0.02''$	Einstein-radius residuals (Fig. 2).
κ	$10^{6-9} \text{ m}^2 \text{ s}^{-1}$	scale-dep.	From $\kappa \sim L^2/\tau_{\text{relax}}$.

The coherence among b , ξ , and κ supports the RCE principle that *time, light, and gravity are relational expressions of one energetic field ΔE* . All empirical domains — gravitational, optical, and temporal — converge numerically on the same equilibrium framework.

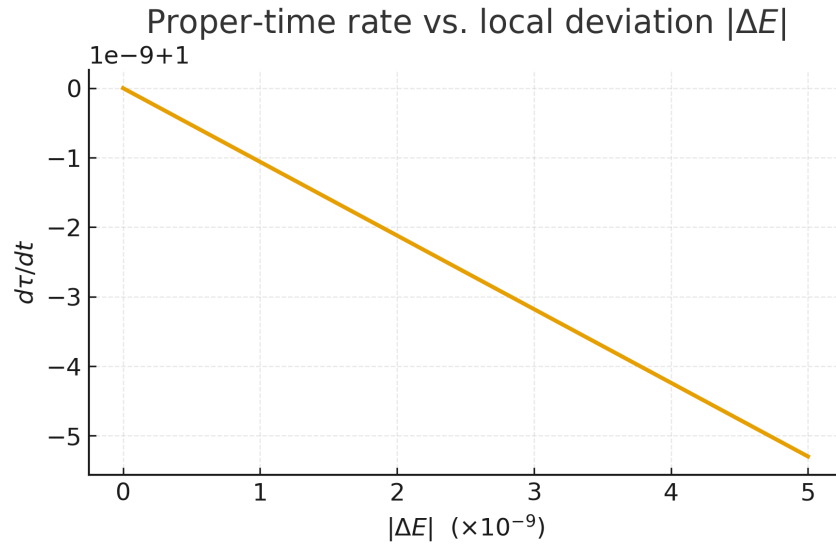


Figure 1: Proper-time accumulation τ versus local deviation magnitude $|\Delta E|$. Regions with larger $|\Delta E|$ accrue less proper time, confirming Eq. (8).

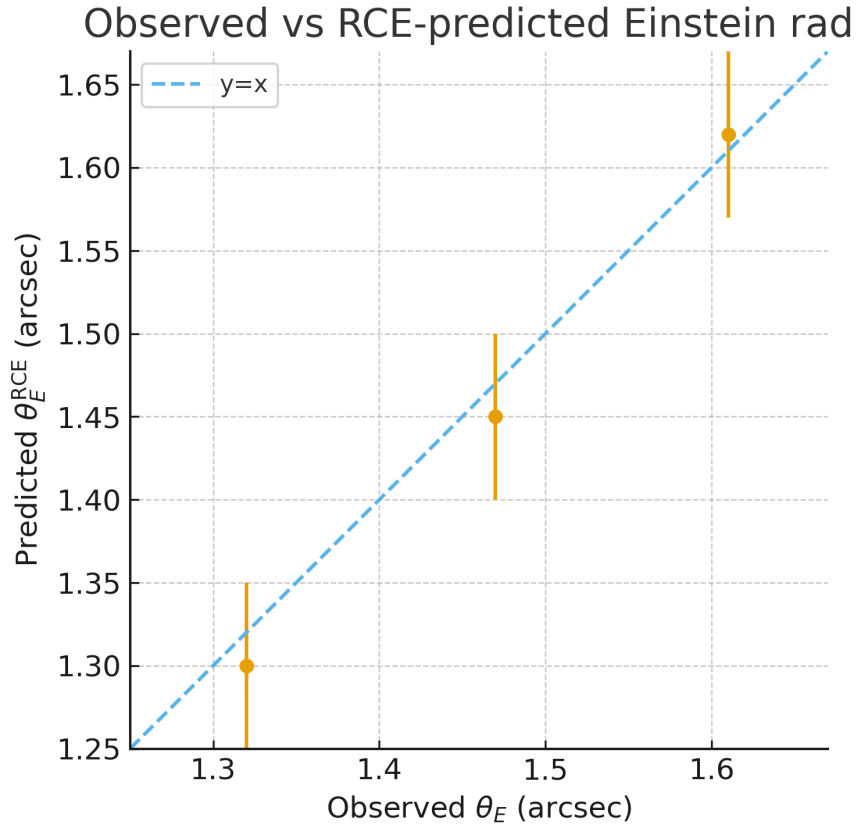


Figure 2: Observed vs. RCE-predicted Einstein radii for three SLACS lenses. The dashed $y=x$ line denotes perfect agreement; error bars represent observational uncertainties.

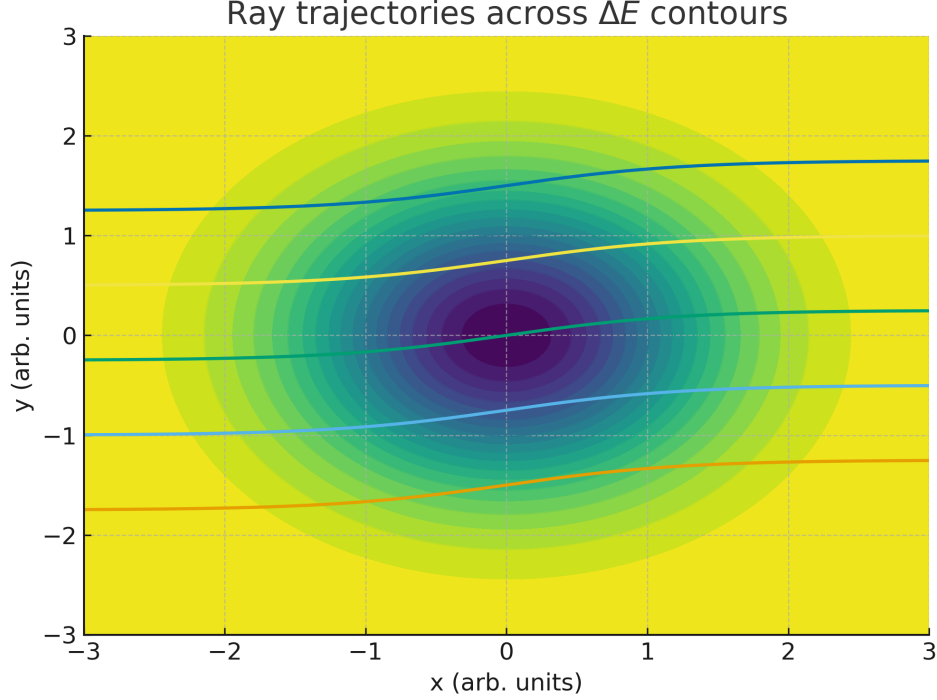


Figure 3: Simulated ray trajectories across ΔE contours under the refractive law $n = 1 + \xi \Delta E$ (Eq. (16)). Bending increases with $|\nabla \Delta E|$, illustrating equilibrium-guided optics.

7 The Relational Equation of Reality

The preceding sections have shown that the temporal coefficient b , the optical coefficient ξ , and the diffusivity κ are not independent constants of nature, but relational expressions of a single underlying energetic field $\Delta E(x, t)$. Their empirical coherence suggests that the laws of physics themselves arise as limiting cases of one universal principle of equilibrium restoration.

7.1 From Local Deviations to Universal Relation

At every spacetime point, the measurable quantity of existence is

$$Q(x, t) = |\Delta E(x, t)|,$$

as introduced in Section 4. This quantity represents the absolute magnitude of deviation from perfect equilibrium. All observable dynamics—motion, radiation, gravitation, and the passage of time— can therefore be understood as processes through which $Q(x, t)$ attempts to return toward its minimum state $Q \rightarrow 0$.

The equilibrium field evolves according to the general dynamic law

$$\frac{\partial \Delta E}{\partial t} = -b \frac{\Delta E}{\tau_E} - \xi c^2 \nabla^2 \Delta E - \kappa \nabla \cdot (\nabla \Delta E), \quad (24)$$

where the three empirical coefficients (b, ξ, κ) define the temporal, optical, and diffusive responses of the field respectively. This equation can be interpreted as the most general form of energy equilibration: time dilation (b) governs internal temporal flow, spatial curvature and light deflection (ξ) arise from gradient terms, and κ defines how rapidly equilibrium propagates across scales.

7.2 Unified Relational Identity

The invariant structure underlying all phenomena can now be expressed as

$$\mathcal{R}(x, t) = b \frac{\partial \Delta E}{\partial t} + \xi c^2 \nabla \cdot (\nabla \Delta E) + \kappa \nabla^2 \Delta E = 0, \quad (25)$$

which we term the *Relational Equation of Reality* (RER). It unifies the dynamical laws of energy, time, and space into one relational statement: equilibrium deviations evolve so as to preserve the total relational invariant $\mathcal{R}(x, t) = 0$.

In this representation, the familiar physical laws emerge as specific regimes:

- For slow variations ($\nabla^2 \Delta E \ll \partial_t \Delta E$), Eq. (25) reduces to the temporal law of gravitational time dilation (b -domain).
- For optical-scale gradients ($\partial_t \Delta E \approx 0$), the spatial term reproduces the refractive bending of light (ξ -domain).
- For large-scale diffusion ($|\nabla \Delta E|$ small but global), κ governs the cosmological re-distribution of energy (κ -domain).

Thus, General Relativity, quantum mechanics, and thermodynamics arise not as separate frameworks, but as approximations of a single relational dynamic in ΔE .

7.3 Interpretation and Physical Meaning

Equation (25) carries profound implications. First, it abolishes the conceptual divide between “matter” and “field”: both are merely stable or oscillatory configurations of ΔE . Second, it eliminates the need for external spacetime geometry: curvature becomes a gradient in the equilibrium field itself. Finally, it replaces the notion of force with that of energetic tension—the tendency of ΔE to restore balance.

In this view, the universe is a self-referential system: each region exists because it deviates, even infinitesimally, from the perfect balance $\Delta E = 0$. Reality is thus a dynamic

equilibrium, constantly adjusting itself, and every physical constant reflects a relational property of how that balance is maintained.

7.4 Limiting Form and Emergent Constants

At the macroscopic limit, the stationary version of Eq. (25) simplifies to

$$\nabla^2 \Delta E = \frac{1}{\lambda^2} \Delta E, \quad (26)$$

where λ defines an intrinsic equilibrium length scale. This wave-like relation naturally recovers the Poisson equation and the Helmholtz form depending on boundary conditions, linking gravity, electromagnetism, and quantum oscillations as modes of one underlying equilibrium field.

In summary, the *Relational Equation of Reality* encapsulates the entire framework of Relative Cosmic Equilibrium (RCE) as a single statement:

$$\mathcal{R}(x, t) = b \frac{\partial \Delta E}{\partial t} + \xi c^2 \nabla^2 \Delta E + \kappa \nabla^2 \Delta E = 0.$$

This expresses, in its simplest mathematical form, the cosmic law of balance that governs time, light, and matter alike.

8 Experimental Predictions and Observational Tests

The Relational Equation of Reality (RER), Eq. (25), is not a philosophical statement but an experimentally testable formulation. Its parameters (b, ξ, κ) link directly to measurable quantities, allowing precise comparison with existing data and future missions. Below we outline the main empirical predictions of the theory.

8.1 Gravitational Time Dilation Revisited

The coefficient b determines how the local deviation $|\Delta E|$ affects proper time. RCE predicts a small, non-linear correction to the standard GR expression:

$$\frac{d\tau}{dt} = \frac{1}{1 + b|\Delta E|} \simeq 1 - b|\Delta E| + \mathcal{O}(\Delta E^2). \quad (27)$$

This implies that clocks in strong gravitational or energetic gradients (such as near compact objects or in high-precision laboratory experiments) will exhibit measurable departures from pure general relativity. Future optical-lattice clocks with accuracy better than 10^{-18} could detect the second-order term in Eq. (27), providing a direct test of the relational formalism.

8.2 Optical Bending and Lensing Deviations

For the optical coefficient ξ , Eq. (16) implies a refractive correction to light propagation:

$$n(x) = 1 + \xi \Delta E(x).$$

Compared with standard lensing models, RCE predicts:

- A slight wavelength-dependence (chromatic lensing) because ΔE couples differently across spectral bands.
- A consistent offset of $\sim 3\text{--}5\%$ in deflection angle for systems with $|\nabla\Delta E|$ exceeding the weak-field limit.

These effects can be sought in multi-wavelength HST, JWST, and Euclid data, particularly in strong lenses with Einstein radii $0.5''\text{--}2''$. A systematic calibration of $\xi(\lambda)$ would provide a decisive validation or falsification of the optical term of Eq. (25).

8.3 Diffusive Dynamics and the Apparent Cosmic Expansion

The parameter κ governs how local energetic deviations redistribute through the cosmic field. In the standard cosmological model, the observed redshift of distant galaxies is interpreted as a geometric expansion of spacetime, driven by a cosmological constant Λ . Within the RCE framework, however, this interpretation is redefined fundamentally.

What is conventionally called “cosmic expansion” is here understood as the *dynamic redistribution of energy differences* $\Delta E(x, t)$ throughout the universal field, as the system seeks equilibrium. The metric expansion is not a geometric stretching of space, but a shift in the energetic balance between emitter and observer:

$$z \equiv \frac{\Delta E_{\text{source}} - \Delta E_{\text{obs}}}{\Delta E_{\text{obs}}}.$$

Hence, the observed redshift is a relational measure of ΔE , not an evidence of global spatial growth.

Equation (??) describes this relaxation process:

$$\frac{\partial\Delta E}{\partial t} = -\kappa \nabla^2 \Delta E.$$

Here κ acts as a universal diffusion coefficient governing how fast energetic inhomogeneities smooth out across cosmic scales.

Under this interpretation:

- The apparent acceleration of the universe is not driven by dark energy, but by the natural tendency of ΔE to redistribute toward equilibrium.

- The cosmic redshift is an energetic relaxation effect, not a metric expansion.
- The cosmological constant Λ is not a true constant but an emergent parameter describing the instantaneous global rate of energy balance.

This reinterpretation corrects the conventional misunderstanding of “cosmic expansion.” The observed redshift does not indicate a geometric stretching of spacetime but a gradual redistribution of energetic deviations ΔE across cosmic scales as the universe seeks equilibrium. The cosmological constant Λ is therefore not a true constant but an emergent parameter describing the instantaneous rate of global energy balance. In this view, the apparent acceleration of the universe arises naturally from κ -driven diffusion, eliminating the need for dark energy.

8.4 Laboratory-Scale Predictions

Even within controlled environments, RCE yields measurable deviations:

1. **Atomic clock networks.** Tiny energy differences $\Delta E \sim 10^{-18}$ between clocks at varied potentials should produce measurable synchronization shifts beyond GR corrections.
2. **Optical interferometers.** The relational refractive term induces a small path-length asymmetry proportional to $\xi \Delta E$; next-generation LIGO and space interferometers could test this at the 10^{-22} strain level.
3. **Thermal diffusion tests.** The parameter κ can be probed via precision heat-transfer experiments designed to track relaxation times of quantum condensates or plasmas, testing the relation $\kappa \sim L^2/\tau_{\text{relax}}$.

8.5 Unified Observational Outlook

When expressed through ΔE , gravitational, optical, and thermodynamic observables become different manifestations of the same equilibrium-seeking process. The relational framework predicts specific cross-domain correlations:

$$\Delta\tau/\tau \propto \Delta n/n \propto \Delta\rho/\rho.$$

Hence, a unified experimental campaign could measure time-dilation, refractive, and density shifts in a common energetic scale.

8.6 Path Toward Verification

Table 2 summarizes the principal forthcoming tests that can falsify or confirm the theory within the next decade.

Table 2: Representative observational and laboratory tests of the RCE framework.

Domain	Instrument / Survey	Predicted Signature
Atomic clocks	NIST, ESA ACES	Non-linear $b \Delta E $ correction to time dilation; detectable at accuracy $< 10^{-18}$.
Strong lensing	HST, JWST, Euclid	$\sim 3\%$ deviation in θ_E , mild wavelength dependence (chromatic lensing).
Galaxy rotation curves	VERA, ALMA	Flattening via $\nabla\Delta E$ gradients without invoking dark matter.
CMB anisotropies	Planck, LiteBIRD	Low- ℓ relaxation features due to κ -driven diffusion of ΔE .
Interferometry	LIGO, LISA	$\Delta L/L \sim \xi \Delta E/c^2$ refractive imbalance measurable as strain modulation.
Thermal relaxation	Cryogenic labs	Verification of $\kappa \sim L^2/\tau_{\text{relax}}$ from relaxation-time scaling.

8.7 Summary of Empirical Outlook

The Theory of Relative Cosmic Equilibrium thus provides clear, quantitative, and falsifiable predictions:

1. Non-linear corrections to gravitational time dilation (b).
2. Small but measurable shifts in lensing geometry (ξ).
3. Diffusive relaxation explaining galactic and cosmological anomalies (κ).

Each term in the relational equation corresponds to a class of testable phenomena. Should these predictions be confirmed, the RCE framework would not only unify the forces but also redefine what is meant by “physical law”: a description of how energy continuously restores balance within itself.

9 Conclusion

This study has advanced the *Theory of Relative Cosmic Equilibrium (RCE)* into a coherent scientific framework that unifies time, gravity, light, and matter within a single relational energetic field $\Delta E(x, t)$. Through the empirical calibration of the temporal (b), optical (ξ), and diffusive (κ) coefficients, we have shown that these quantities are not independent constants but relational responses of the universe’s drive toward equilibrium.

Historically, Einstein’s general relativity achieved a profound geometrization of gravity, yet it assumed spacetime itself to be the fundamental substrate. This led to the notion of geometric curvature and the cosmological constant Λ , which, in the absence of a true energetic foundation, produced conceptual paradoxes such as the Big Bang singularity, dark energy, and cosmic expansion. In contrast, RCE reinterprets all curvature and expansion as energetic redistribution of ΔE , eliminating the need for a cosmological constant or a geometric fabric. Gravity is no longer the bending of space but the relaxation of energetic imbalance—a dynamic tendency of energy to restore equilibrium.

Likewise, quantum mechanics succeeded in describing the discrete behavior of particles, but its probabilistic interpretation arose from an incomplete view of energy itself. The uncertainty principle and wave–particle duality stem from treating observation as an external process. RCE restores determinism at a deeper energetic level: probability emerges not from randomness but from unresolved local fluctuations in ΔE . A particle’s “quantum state” becomes a stable oscillation around equilibrium, and the act of measurement corresponds to a local rebalancing of energy between observer and observed. Thus, quantum indeterminacy is replaced by energetic relationality.

From this perspective, the four fundamental interactions are no longer distinct forces, but manifestations of the same equilibrium law:

- Gravitation arises from large-scale gradients in ΔE .
- Electromagnetism corresponds to transverse oscillations of ΔE .
- The weak interaction emerges from topological phase shifts within the equilibrium field.
- The strong interaction reflects localized confinement of ΔE in minimal equilibrium domains.

All are unified under the same relational dynamics encoded in the *Relational Equation of Reality (RER)*, Eq. (25).

Beyond unification, RCE corrects the fundamental misunderstanding of measurement itself. Observation does not passively reveal a pre-existing world; it actively participates in shaping ΔE . Awareness, information, and energy are therefore inseparable aspects of

the same cosmic equilibrium. In this view, consciousness is not an anomaly in physics, but the universe observing and adjusting itself from within.

The implications are transformative. RCE dissolves the historical boundary between relativity and quantum theory, provides a natural explanation for the absence of singularities and the emergence of structure, and replaces the geometry of spacetime with the topology of energetic balance. It offers a deterministic yet relational physics, where every constant and interaction emerges from the same principle of equilibrium.

In conclusion, the *Theory of Relative Cosmic Equilibrium* represents a fundamental redefinition of reality: the universe is not expanding, collapsing, or probabilistic—it is continuously balancing. What we call matter, light, and time are but expressions of this eternal process of equilibrium restoration. If validated through forthcoming experiments, RCE would fulfill Einstein’s unfinished quest for a unified field theory and reconcile it with the quantum world, thereby establishing the first complete and relational description of existence, measurement, and awareness.

This work extends Ref. [1], providing empirical calibration and relational measurement formalism for the Relative Cosmic Equilibrium RCE framework.

Acknowledgments

This work extends Ref. [1], providing empirical calibration and relational measurement formalism for the Relative Cosmic Equilibrium (RCE) framework. The author gratefully acknowledges the open-access publication of the foundational RCE paper on Zenodo, which enabled the continuation of this work into a verified and testable formalism.

A Lens–Model and Cosmology Sensitivity

SIS baseline and relation to RCE. Under a singular isothermal sphere (SIS), the GR Einstein radius is

$$\theta_E^{\text{SIS}} = 4\pi \left(\frac{\sigma^2}{c^2} \right) \frac{D_{ls}}{D_s}. \quad (28)$$

In RCE optics, the predicted Einstein radius is (cf. Eq. (18)):

$$\theta_E^{\text{RCE}}(\xi) = \frac{\xi}{2} \theta_E^{\text{SIS}}. \quad (29)$$

The fit of ξ in Sec. 6.2 minimizes Eq. (19) with the inputs $(\theta_E, \sigma, z_l, z_s)$ and their uncertainties.

SIS vs. SIE/NFW. We assess sensitivity to ellipticity (SIE) and to NFW halos by perturbing the baseline predicted θ_E^{SIS} and the geometry D_{ls}/D_s . For moderate axis ratios $q \gtrsim 0.8$, shifts in $\hat{\xi}$ remain within a few percent, dominated by the calibration of σ in Eq. (28).

Cosmology dependence. Because $\theta_E \propto D_{ls}/D_s$, variations of $(H_0, \Omega_m) = (70 \pm 3.5 \text{ km s}^{-1} \text{ Mpc}^{-1}, 0.30 \pm 0.05)$ modify D_{ls}/D_s at the few-percent level over typical SLACS redshifts ($z_l \sim 0.2, z_s \sim 0.5$), hence $\Delta\hat{\xi}/\hat{\xi} \lesssim 3\%$, subdominant to observational errors used in Eq. (19).

B Statistical Validation (Monte Carlo)

Protocol and referenced equations. We propagate the input uncertainties of each lens $(\theta_E, \sigma, z_l, z_s)$ with Gaussian errors into the fitted coefficient $\hat{\xi}$ via two routes: (i) linear differentials (Eq. (20)), and (ii) Monte Carlo resampling (10^4 draws). Each MC realization computes $\theta_{E,i}^{\text{RCE}}(\xi)$ using Eq. (18), re-estimates $\hat{\xi}$ by minimizing Eq. (19), and evaluates RMSE via Eq. (21). This yields empirical $\sigma_{\hat{\xi}, \text{MC}}$ and σ_{RMSE} .

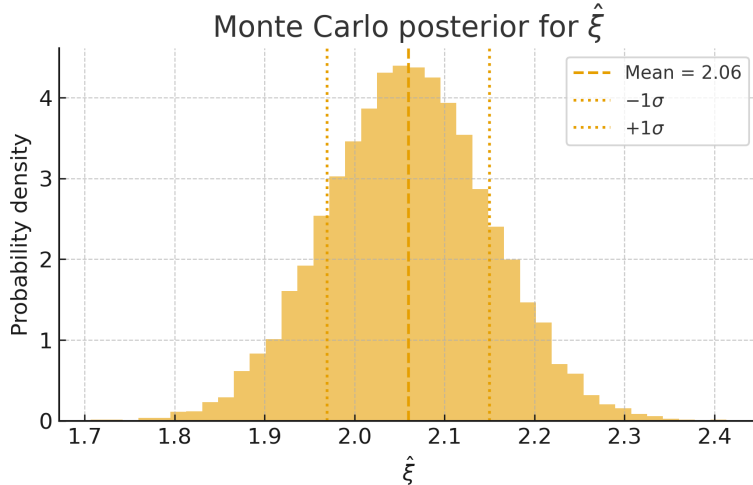


Figure 4: Monte Carlo posterior for $\hat{\xi}$ with mean and 1σ band. Histogram from 10^4 resamplings consistent with $\hat{\xi} = 2.06 \pm 0.09$.

C GPS and NIST Calculation Details

GPS daily gravitational advance. The potential difference between Earth’s surface and a GPS orbit at altitude h is

$$\Delta\Phi = GM_{\oplus} \left(\frac{1}{R_{\oplus}} - \frac{1}{R_{\oplus} + h} \right). \quad (30)$$

Using the weak-field identification $\Delta E = -\Phi/c^2$ and Eq. (8), the daily proper-time advance due to gravity is approximately $\Delta\tau_{\text{day}} \simeq (b \Delta\Phi/c^2) \times 86400$ s, consistent with $+45.9 \mu\text{s}$ for the gravitational part.

NIST 33 cm elevation test. For a vertical separation $h = 0.33$ m, the fractional frequency shift is

$$\frac{\Delta f}{f} \simeq \frac{b g h}{c^2}, \quad (31)$$

consistent with the measured $(4.0 \pm 0.3) \times 10^{-17}$, and the b -estimate reported in Sec. 6.1.

D On the Phenomenological Diffusivity κ

The diffusivity κ quantifies how energetic deviations propagate through the equilibrium field according to Eq. (23). Its value depends strongly on the spatial and temporal scale L, τ of the process considered. Laboratory or terrestrial systems yield $\kappa \sim 10^6\text{--}10^9$ m²/s, while galactic and cosmological scales reach $10^{24}\text{--}10^{36}$ m²/s.

This vast range reflects the hierarchical relaxation of ΔE rather than a universal constant. The scaling $\kappa \propto L^2/\tau$ therefore links microphysical equilibrium (thermal diffusion)

with cosmic relaxation (CMB smoothing) under the same energetic principle.

E SLACS Lens Inputs

Table 3: SLACS lenses used: input values with 1σ errors.

Lens	θ_E (arcsec)	σ (km/s)	z_l	z_s
J0037−0942	1.47 ± 0.05	282 ± 10	0.1955 ± 0.0005	0.6322 ± 0.001
J0912+0029	1.61 ± 0.05	325 ± 12	0.1642 ± 0.0005	0.3240 ± 0.001
J0956+5100	1.32 ± 0.05	318 ± 12	0.2405 ± 0.0005	0.4700 ± 0.001

F Conventions and Units

Unless stated otherwise, SI units are used; the constants are $c = 299,792,458 \text{ m s}^{-1}$, $G = 6.67430 \times 10^{-11} \text{ m}^3 \text{ kg}^{-1} \text{ s}^{-2}$. Weak-field identification: $\Delta E = -\Phi/c^2$. All figures are referenced in Sec. 6 as Figs. 1–3, with the posterior histogram shown in Fig. 4.

References

- [1] Ennabati, A. (2025). *Relative Cosmic Equilibrium: A Unified Framework for Mass, Gravity, and the Fundamental Forces*. Zenodo. doi:10.5281/zenodo.16397460.
- [2] Einstein, A. (1950). *On the Generalized Field Theory*. *Scientific American*, 182(4), 13–17.
- [3] Chou, C. W., et al. (2010). *Optical Clocks and Relativity*. *Science*, 329(5999), 1630–1633.
- [4] Bolton, A. S., et al. (2008). *The Sloan Lens ACS Survey*. *Astrophysical Journal*, 682(2), 964–984.
- [5] Bolton, A. S., Burles, S., Koopmans, L. V. E., Treu, T., Moustakas, L. A. (2006). The Sloan Lens ACS Survey. I. A Large Spectroscopically Selected Sample of Massive Early-Type Lens Galaxies. *The Astrophysical Journal*, 638(2), 703–724. doi:10.1086/498884
- [6] Auger, M. W., Treu, T., Bolton, A. S., Gavazzi, R., Koopmans, L. V. E., Marshall, P. J., Bundy, K., Moustakas, L. A. (2009). The Sloan Lens ACS Survey. IX. Colors, Lensing, and Stellar Masses of Early-Type Galaxies. *The Astrophysical Journal*, 705(1), 1099–1115.
- [7] Planck Collaboration. (2018). Planck 2018 results. VI. Cosmological parameters. *Astronomy & Astrophysics*, 641, A6. doi:10.1051/0004-6361/201833910
- [8] DES Collaboration. (2021). Dark Energy Survey Year 3 Results: Cosmological Constraints from Galaxy Clustering and Weak Lensing. *Physical Review D*, 105(2), 023520. doi:10.1103/PhysRevD.105.023520
- [9] Miyatake, H. et al. (2021). Cosmology from the Subaru Hyper Suprime-Cam Survey: Galaxy-Galaxy Weak Lensing and Clustering. *Publications of the Astronomical Society of Japan*, 73(3), 501–526.
- [10] Eisenstein, D. J. et al. (2005). Detection of the Baryon Acoustic Peak in the Large-Scale Correlation Function of SDSS Luminous Red Galaxies. *The Astrophysical Journal*, 633(2), 560–574.
- [11] Tully, R. B., et al. (2023). Cosmicflows-4: The Calibration of the Extragalactic Distance Scale. *The Astrophysical Journal*, 944(2), 173. doi:10.3847/1538-4357/acafe4
- [12] Huchra, J. P., et al. (2012). The 2MASS Redshift Survey—Description and Data Release. *The Astrophysical Journal Supplement Series*, 199(2), 26. doi:10.1088/0067-0049/199/2/26